



Core-collapse Supernova Neutrino Detection at JUNO

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Tuesday, May 9, 2023



Outline

- JUNO experiment
- CCSN monitor system
- Energy spectra reconstruction
- Summary



Introduction



JUNO experiment

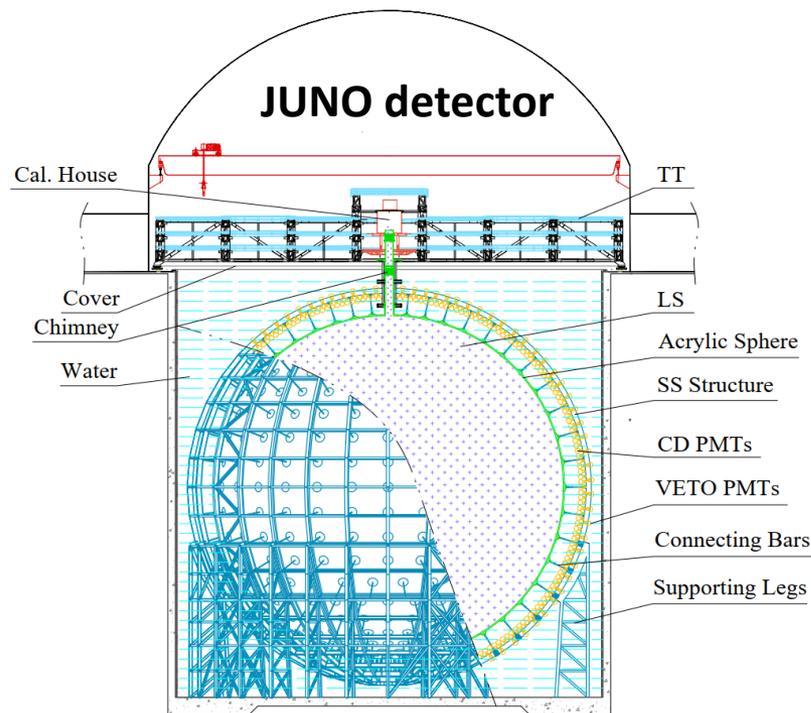


➤ JUNO detector:

- 20 kton LS
- 30 kton water
- 3% energy resolution @1MeV
- ~17612 20-inch PMTs
- ~25600 3-inch PMTs

➤ Multipurpose:

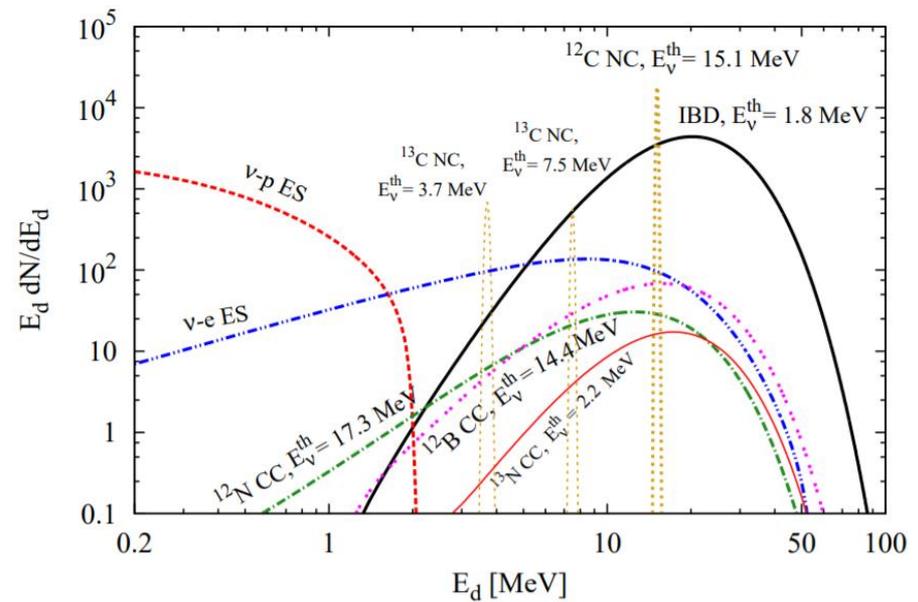
- Neutrino mass ordering
- Precision measurement of oscillation parameters
- **Supernova neutrino**
- Solar neutrino, DSNB, geo-neutrino, ...





CCSN detection at JUNO

JUNO can detect all flavors of neutrinos via several interactions



Channel	Interaction	Detection signal	Statistics@10kpc
IBD	$\bar{\nu}_e + p \rightarrow e^+ + n$	Prompt and delayed (220 μs)	~5000
pES	$p + \nu \rightarrow p + \nu$	Single p-like (small energy)	~2000
eES	$e^- + \nu \rightarrow e^- + \nu$	Single e-like	~300
C12	$C12 + \nu \rightarrow \nu + C12^*$	Single e-like ($E \sim 15.1$ MeV)	~300
N12	$\nu_e + C12 \rightarrow e^- + N12$ $N12 \rightarrow \nu_e + e^+ + C12$	Prompt and delayed (11 ms)	~100
B12	$\bar{\nu}_e + C12 \rightarrow e^+ + B12$ $B12 \rightarrow \bar{\nu}_e + e^- + C12$	Prompt and delayed (20 ms)	~100

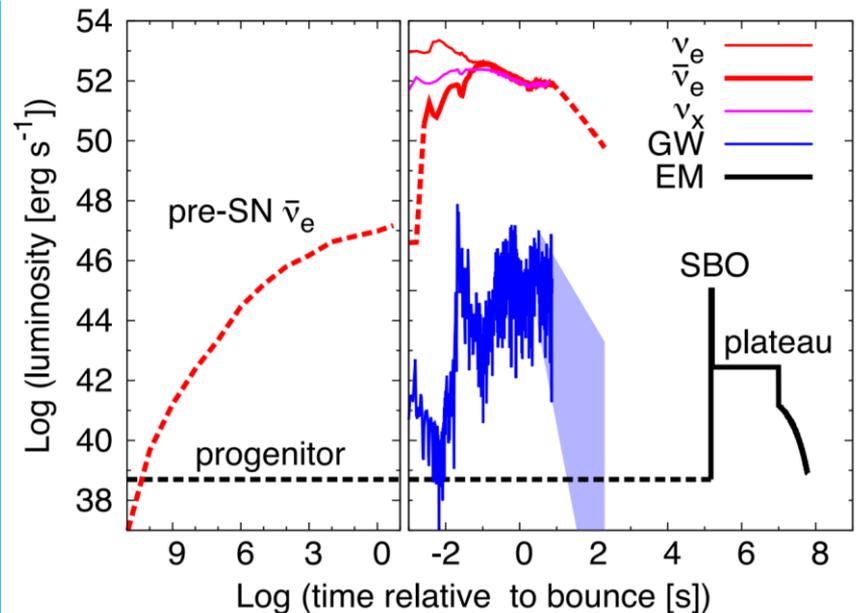


CCSN monitoring system



Neutrinos as CCSN early warning

- Messengers of core-collapse supernova
 - Electromagnetic signals
 - Gravitational waves
 - **Neutrinos**
- Neutrino: early warning of CCSN
 - pre-supernova (pre-SN) neutrino:
 - Days before core-collapse
 - $\langle E \rangle < 2 \text{ MeV}$
 - Supernova (SN) neutrino:
 - $\sim O(10 \text{ s})$
 - $\langle E \rangle \sim O(10 \text{ MeV})$



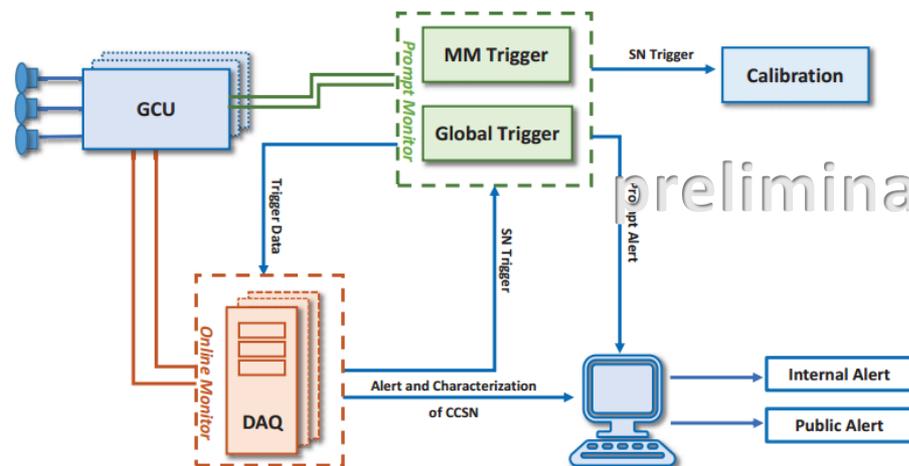
- Pointing using neutrino:
 - Neutrino interaction, such as eES and IBD
 - Triangulation



Design of CCSN monitor system

Three monitoring systems to give CCSN alert:

- Prompt monitor
 - On global trigger
 - On dedicated Multi-messenger (MM) trigger system
- Online monitor



Prompt monitor on global trigger board:

- Embedded in Global trigger board
- Intend for core-collapse supernova neutrino

DAQ Online monitor:

- Use trigger-less T/Q
- Perform fast reconstruction

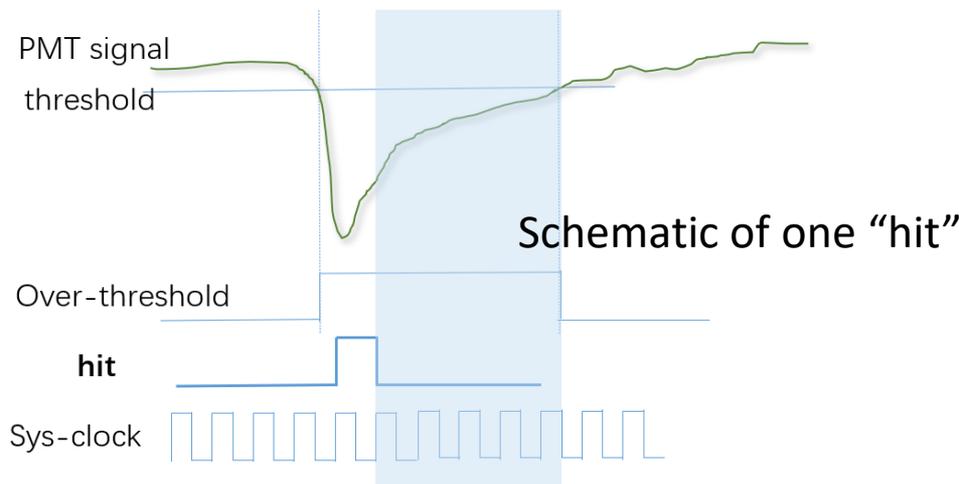
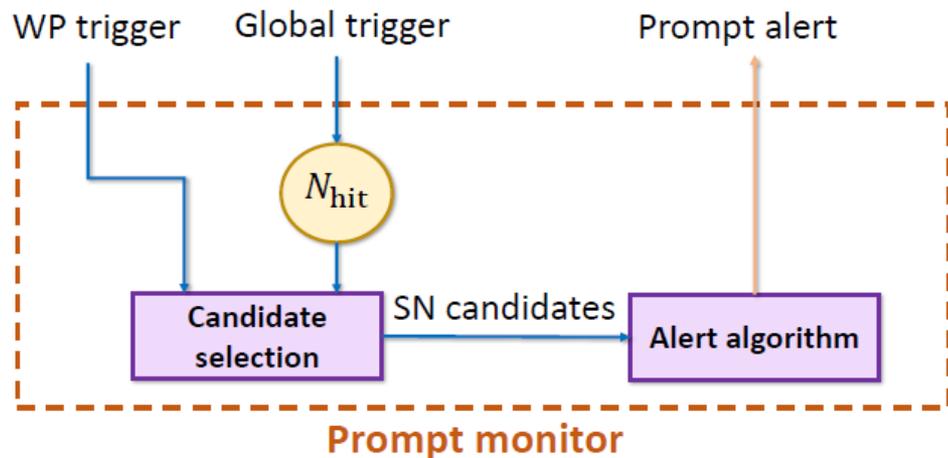
How to find an alert:

- Select SN/pre-SN candidates
- Find the sudden increase of event rate



Design of prompt monitor

- Embedded in global trigger board
- Event selection:
 - Select SN signals based on N_{hit}
 - Muon veto based on WP trigger to suppress background
- N_{hit} definition: number of PMTs being fired within some time interval ($\sim 1 \mu s$)





Event selection and background

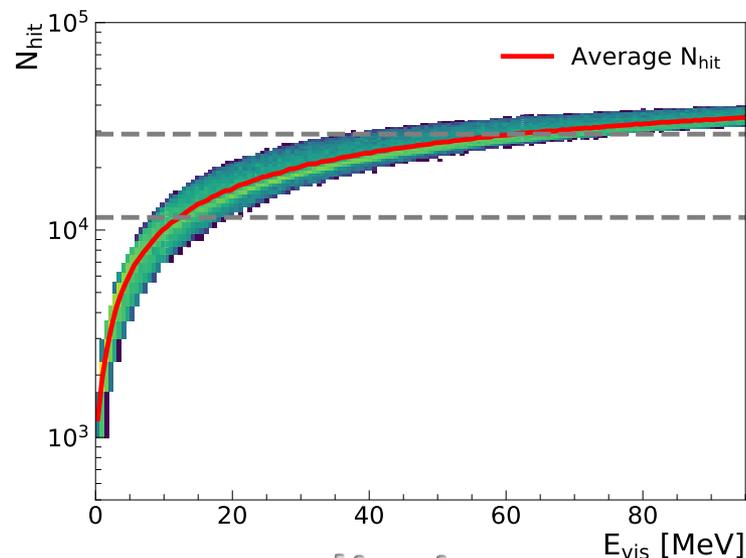
Prompt monitor

➤ Select SN candidates

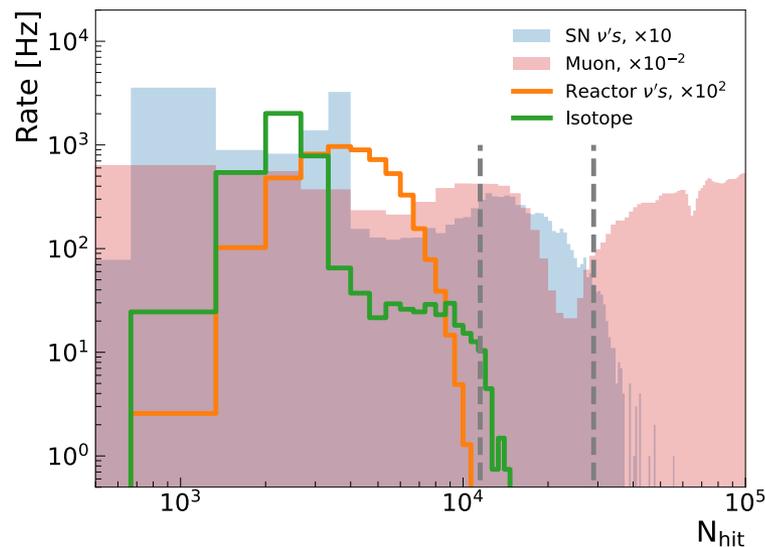
- No reconstruction info
- $N_{hit} \in (N_{low}, N_{high})$
- Energy at $N_{low} \sim 8\text{MeV}$
- Energy at $N_{high} \sim 40\text{MeV}$

➤ Dominant background:

- Cosmogenic isotopes, e.g. B12, B8, ...
- Rate: $\sim 209/\text{day}$



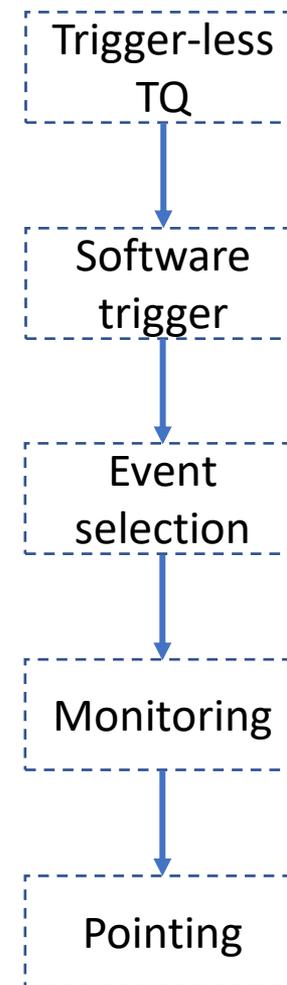
preliminary





Design of online monitor

- Use trigger-less T/Q as input
- Use software trigger to build events
 - Perform at DAQ
 - Have lower energy threshold compared with global trigger
- Perform event reconstruction to extract energy, vertex, ...
- Select IBD events
 - Different criteria for SN and pre-SN
 - Monitor them separately
- Fast characterization after CCSN alert:
 - Pointing, light curve, etc.





Event selection and background

Online monitor

➤ With reconstruction info, select IBD-like candidates

➤ SN IBD:

➤ Background: reactor neutrino, Li9/He8, ...

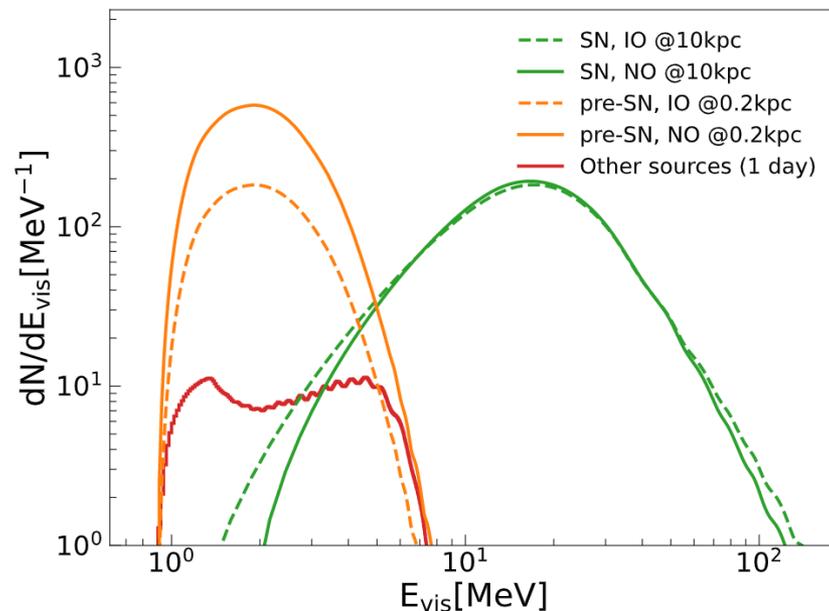
➤ Background rate: 127/day

➤ Pre-SN IBD:

• Background: reactor neutrino, ...

• Background rate: 21/day

preliminary

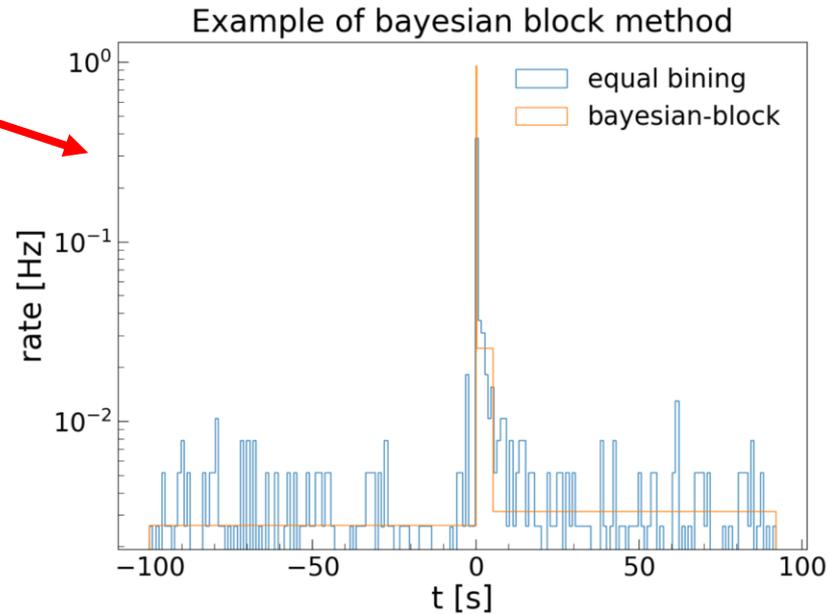
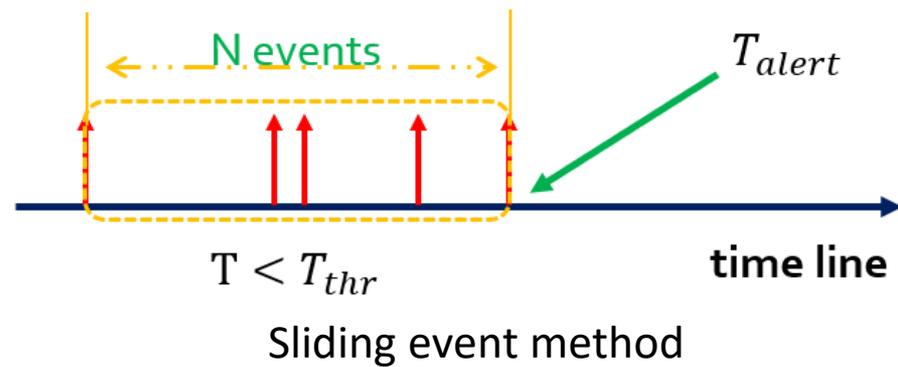


Visible energy of IBDs from pre-SN (Patton model), SN (Nakazato model) and other sources



Performance

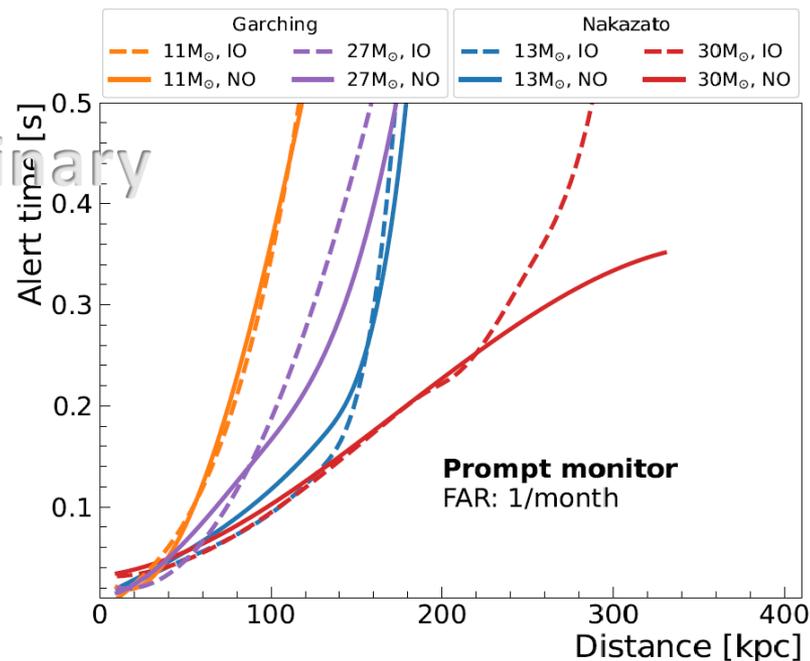
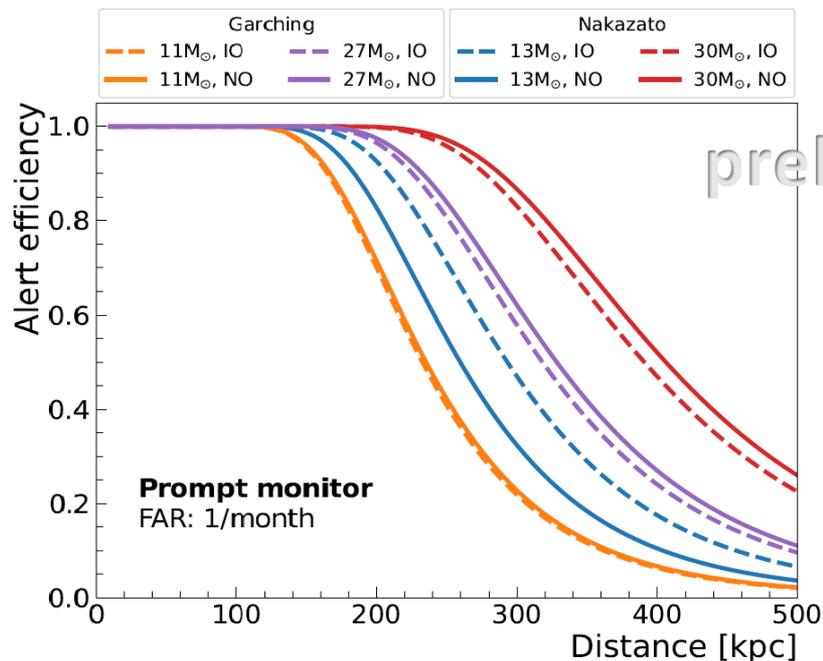
- False alert rate (FAR):
 - Determined by:
 - Background rate
 - Alert algorithm
 - Alert algorithm parameters
 - 1/month in the following
- Alert efficiency
- Alert distance:
 - The distance at which alert efficiency is 50%
- Alert time



Bayesian blocks method



Performance—prompt monitor



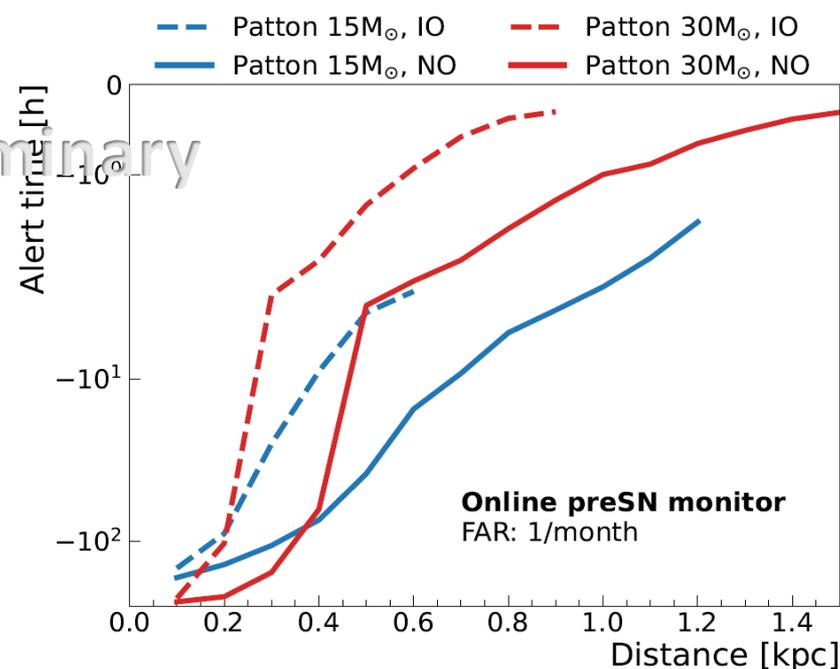
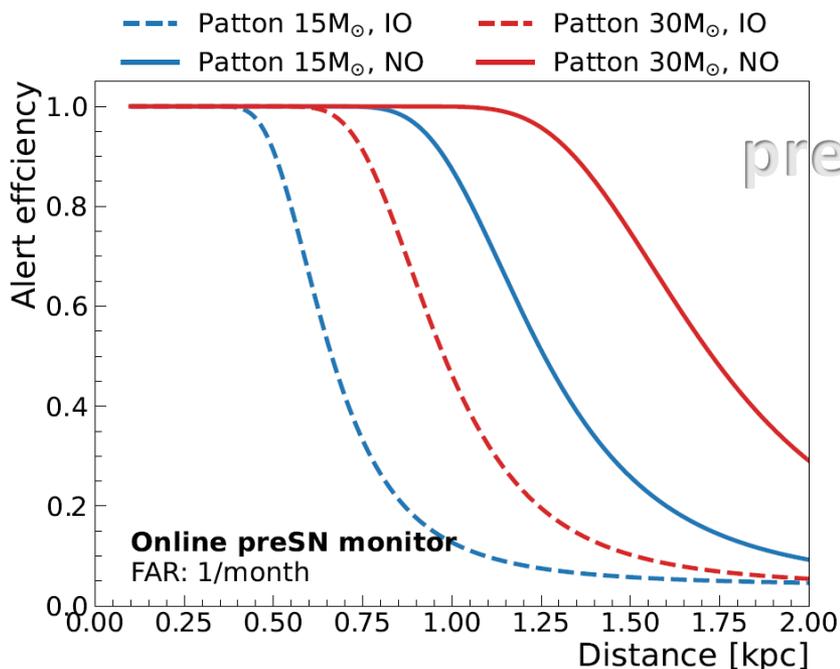
- Alert distance: **230~400 kpc**
- Alert time @10 kpc: **10~30 ms**
- Cover Milky Way, LMC and SMC with 100% efficiency

Nakazato/Garching	13/11 M _⊙ , NO	13/11 M _⊙ , IO	30/27 M _⊙ , NO	30/27 M _⊙ , IO
Distance [kpc]	260/235	294/233	408/328	393/318
Time @10kpc [ms]	18.8/14.4	15.4/12.5	30.8/13.7	30.3/12.3



Performance—online monitor

Use pre-SN monitor as example



- Alert distance: **0.6~1.7 kpc**
- Alert time @0.2 kpc: **>~100hr earlier**
- Cover Betelgeuse with 100% efficiency

Patton	15M _⊙ , NO	15M _⊙ , IO	30M _⊙ , NO	30M _⊙ , IO
Distance [kpc]	1.26	0.66	1.73	0.98
Time @0.2kpc [hr]	-139	-90	-219	-103



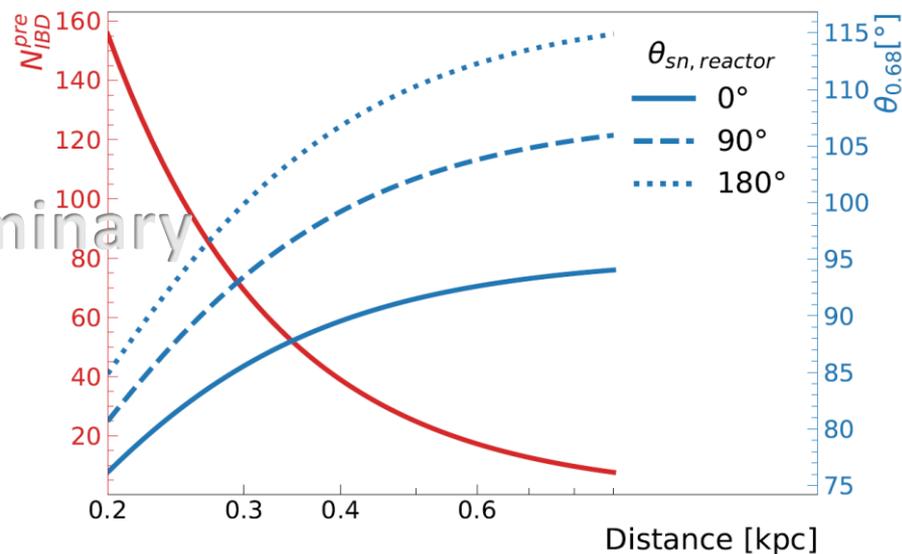
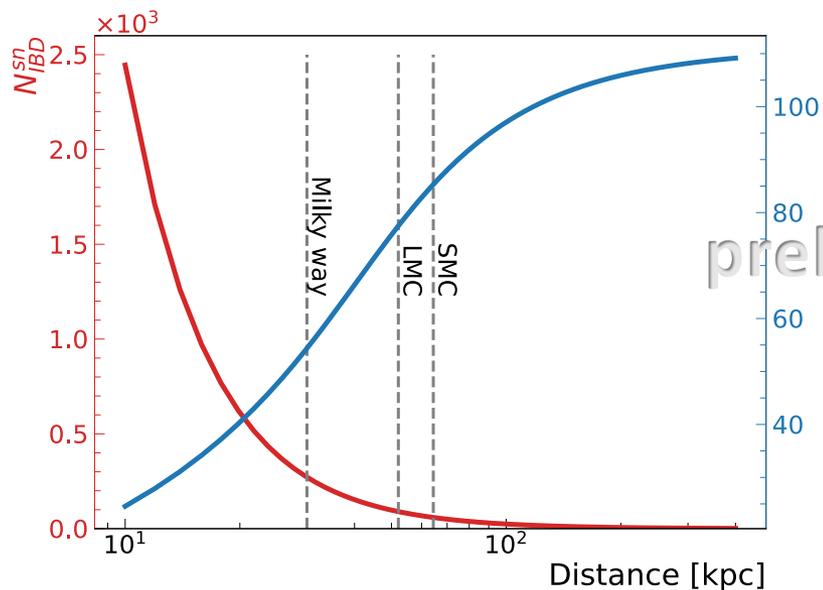
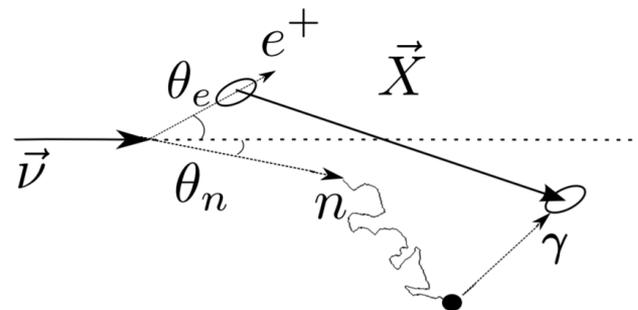
Performance—CCSN pointing

➤ CCSN pointing using IBD events:

- $\vec{d}_v = \frac{1}{N} \sum_{i=1}^N \vec{X}_{pn}^i$

➤ SN@10 kpc: $\sim 25^\circ$

➤ Pre-SN@0.2 kpc: $\sim 80^\circ$



Using $13 M_\odot$ Nakazato model and $15 M_\odot$ Patton model as example



Neutrino spectra reconstruction



Extract neutrino energy spectra

Neutrino interactions:

➤ IBD:

- $\bar{\nu}_e + p \rightarrow e^+ + n$
- $E_{vis} = E_\nu - (m_n - m_p) + m_e$

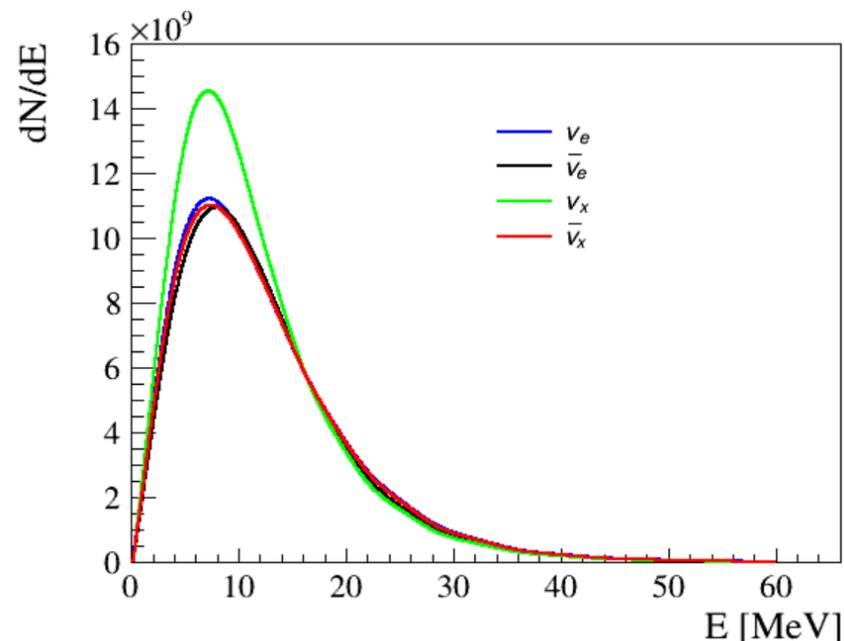
➤ pES:

- $p + \nu \rightarrow p + \nu$
- $E_k = \frac{E_\nu}{1+m_p/[(1-\cos\theta)E_\nu]} < \frac{2E_\nu^2}{m_p}$

➤ eES:

- $e^- + \nu \rightarrow e^- + \nu$
- $E_k = \frac{E_\nu}{1+m_e/[(1-\cos\theta)E_\nu]} < E_\nu$

➤ Combining all three channels can provide full flavor info



Neutrino flux using Nakazato model with $20 M_\odot$



The unfolding problem

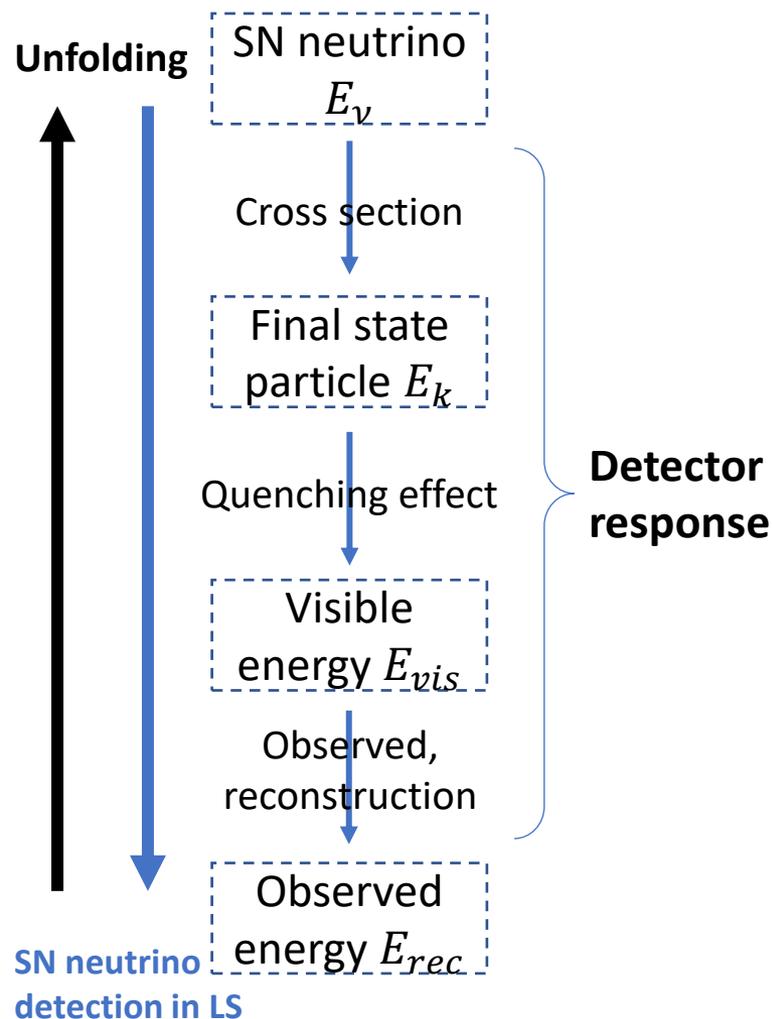
E_ν vs. E_{rec}

- Neutrino spectra: F
- Reconstructed spectra: S
- Detector response: A
- The relationship can be modeled by:
 $AF = S$

$$\begin{array}{l}
 \text{IBD} \\
 \text{pES} \\
 \text{eES}
 \end{array}
 \begin{bmatrix}
 N_p D_{\text{IBD}} \sigma_{\nu_e}^{\text{IBD}} & N_p D_{\text{IBD}} \sigma_{\bar{\nu}_e}^{\text{IBD}} & N_p D_{\text{IBD}} \sum \sigma_{\nu_x}^{\text{IBD}} \\
 N_p D_{\text{pES}} \sigma_{\nu_e}^{\text{pES}} & N_p D_{\text{pES}} \sigma_{\bar{\nu}_e}^{\text{pES}} & N_p D_{\text{pES}} \sum \sigma_{\nu_x}^{\text{pES}} \\
 N_e D_{\text{eES}} \sigma_{\nu_e}^{\text{eES}} & N_e D_{\text{eES}} \sigma_{\bar{\nu}_e}^{\text{eES}} & N_e D_{\text{eES}} \sum \sigma_{\nu_x}^{\text{eES}}
 \end{bmatrix}
 \cdot
 \begin{bmatrix}
 F_{\nu_e} \\
 F_{\bar{\nu}_e} \\
 F_{\nu_x}
 \end{bmatrix}
 =
 \begin{bmatrix}
 S_{\text{IBD}} \\
 S_{\text{pES}} \\
 S_{\text{eES}}
 \end{bmatrix}$$

Unfolding

- Due to statistical fluctuation, direct inversion will not get physical results
- Unfolding technique:
 - SVD method
 - Bayesian method





Detector response

➤ IBD channel:

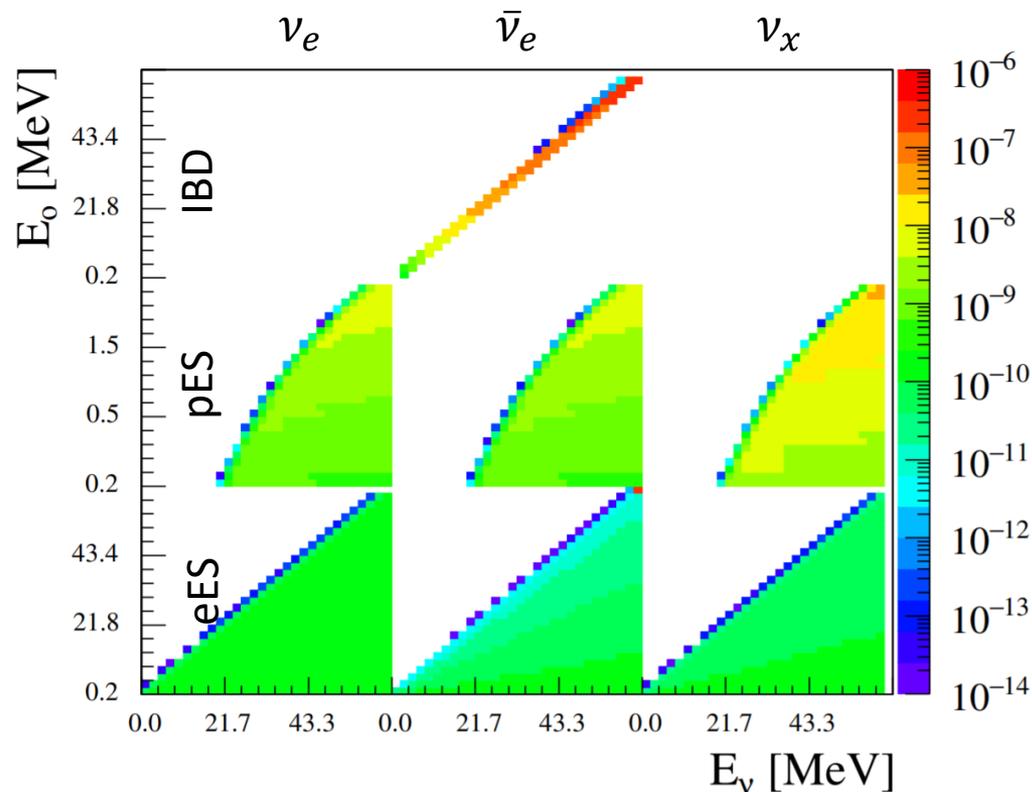
- Diagonal matrix
- In reality, there may be off diagonal elements due to energy leakage

➤ pES channel:

- E_{rec} is largely suppressed
- Cut off due to energy threshold

➤ eES channel:

- Lower Triangular Matrix



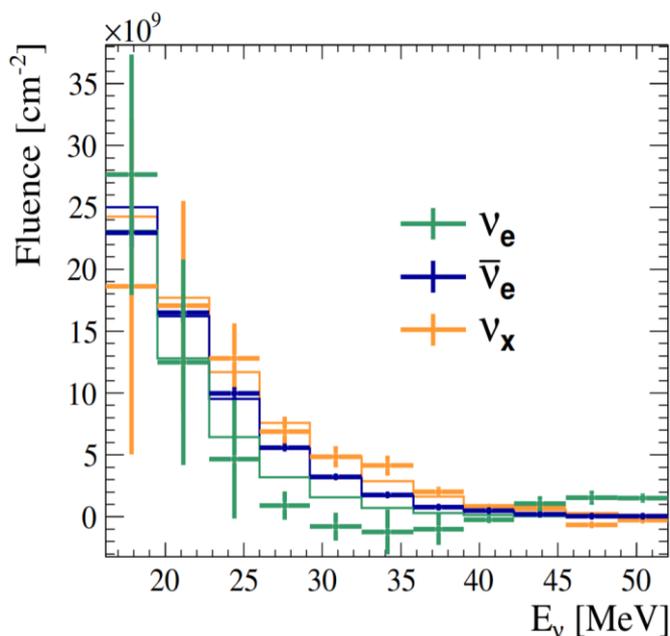
The response matrix combining three interaction channels



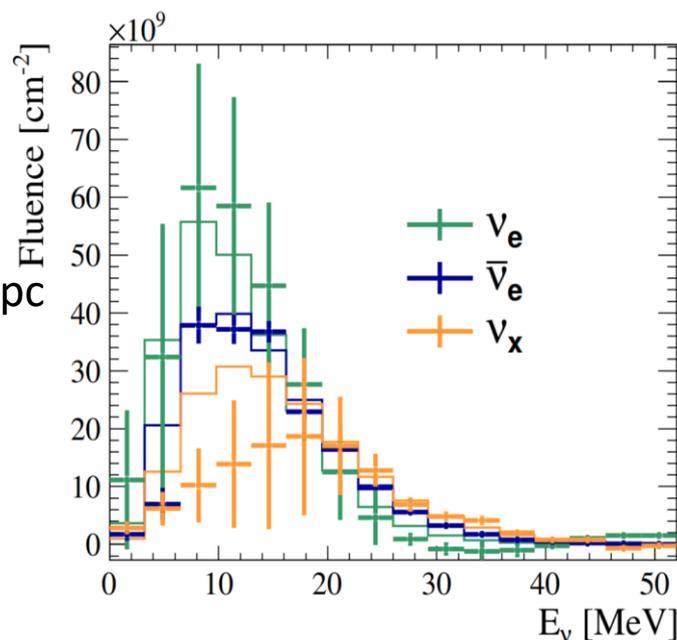
Reconstruction result

The reconstruction of detected energy spectra of all flavors

- Use toy MC samples
- Suppose the actual interaction channel is known
- Due to energy threshold, large bias at $E_\nu < 20\text{MeV}$



CCSN @10kpc





Summary

- JUNO advantage in CCSN detection
 - Large detector and excellent energy resolution
 - Multi channel detection, especially the pES channel
- CCSN monitor
 - Contribute to the multi-messenger detection
 - Monitor pre-SN
 - CCSN pointing
- Energy spectra reconstruction:
 - Reconstruct the full flavor neutrino energy spectra
 - CCSN burst mechanism
 - Neutrino flavor conversion

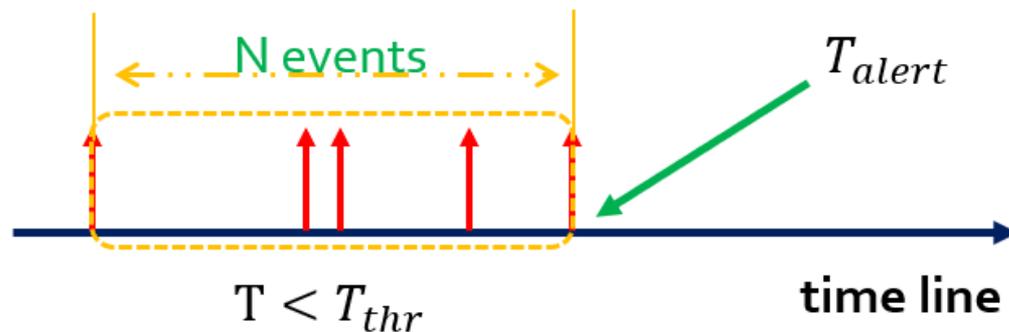


Back up

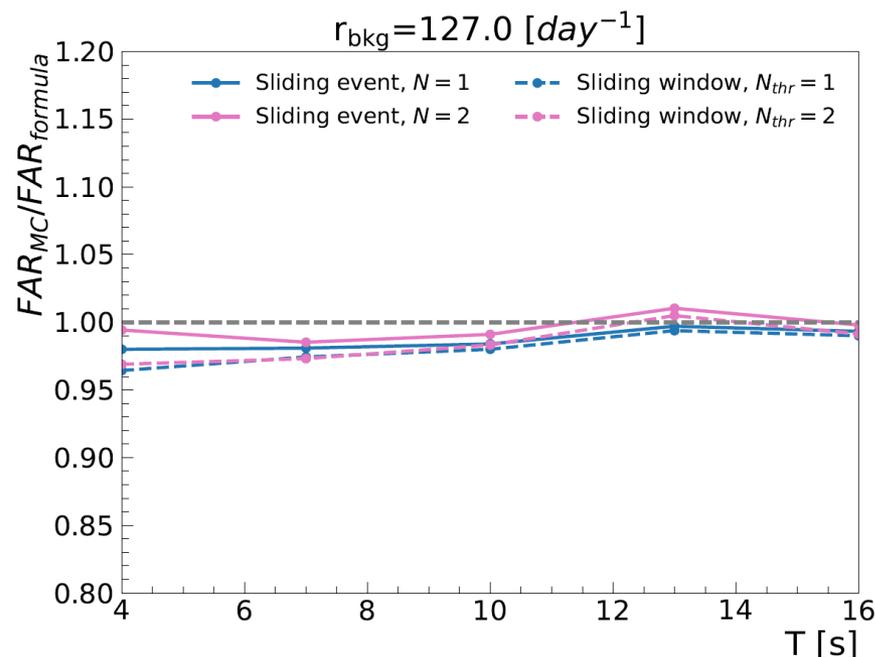


Alert algorithms—sliding event

- Choose the N latest candidates
- Calculate the time interval of them T
- Compare with a predefined threshold T_{thr} to give the alert
- False alert rate:



$$FAR = \frac{1}{1 + \sum_{n=1}^{N_{thr}-1} p_n(T)} r e^{-rT} \sum_{n > N_{thr}-1} \frac{(rT)^n}{n!}$$



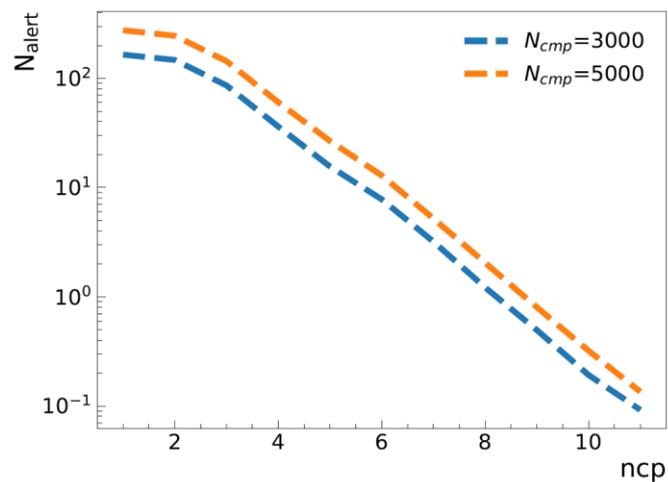
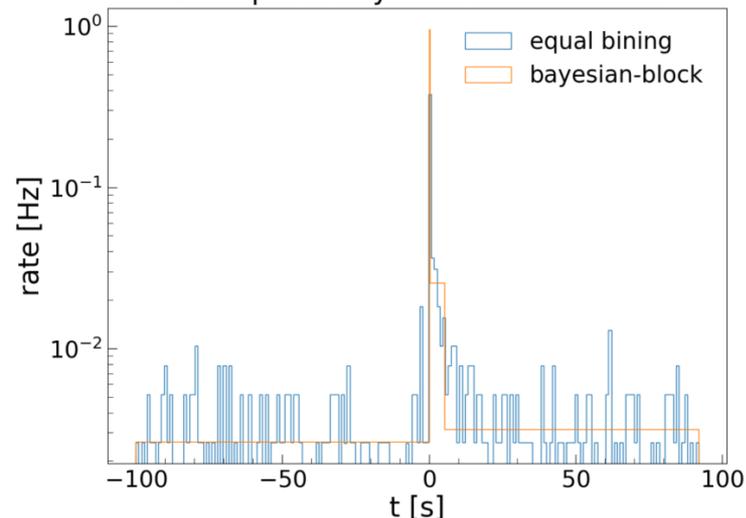


Alert algorithms—Bayesian block

- Choose the N latest candidates
- Use Bayesian block algorithm to divide time line into blocks
- Give the alert when:
 - More than 1 blocks
 - The event rate between adjacent blocks increase
- False alert rate extracted by toy MC

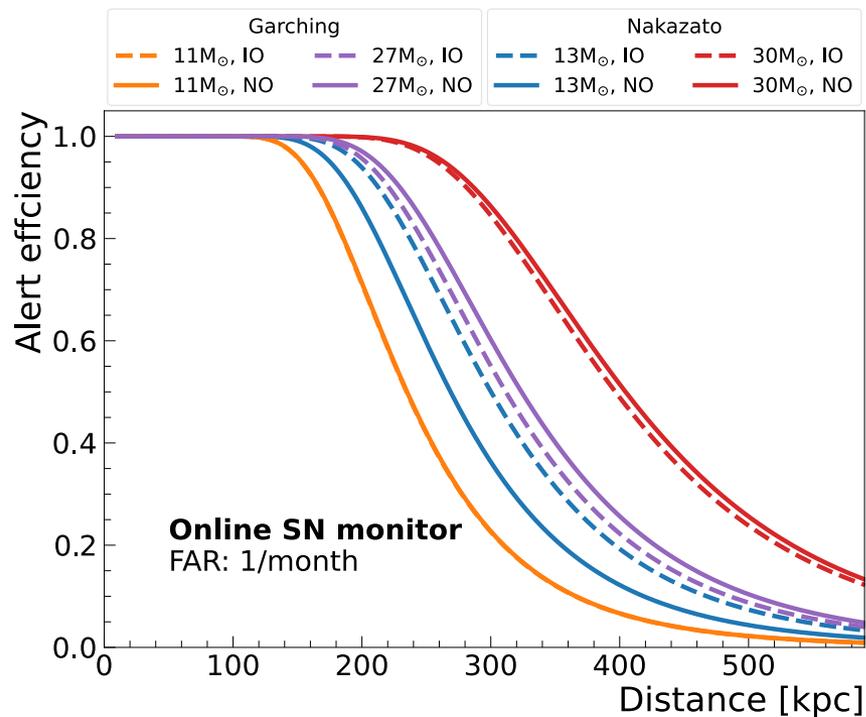
$$FAR = \frac{N_{cmp} f(ncp)}{T} = \frac{r_{bkg} T f(ncp)}{T} = r_{bkg} f(ncp)$$

Example of bayesian block method





Online SN monitor results



Nakazato	13M_⊙, NO	13M_⊙, IO	30M_⊙, NO	30M_⊙, IO
Distance [kpc]	271	303	406	398
Garching	11M_⊙, NO	11M_⊙, IO	27M_⊙, NO	27M_⊙, IO
Distance [kpc]	238	238	327	314



Summary of Alert distance and time

Prompt monitor

Nakazato	$13M_{\odot}$, NO	$13M_{\odot}$, IO	$30M_{\odot}$, NO	$30M_{\odot}$, IO
Distance [kpc]	260	294	408	393
Time @10kpc [ms]	18.8	15.4	30.8	30.3

Garching	$11M_{\odot}$, NO	$11M_{\odot}$, IO	$27M_{\odot}$, NO	$27M_{\odot}$, IO
Distance [kpc]	235	233	328	318
Time @10kpc [ms]	14.4	12.5	13.7	12.3

Online SN monitor

Nakazato	$13M_{\odot}$, NO	$13M_{\odot}$, IO	$30M_{\odot}$, NO	$30M_{\odot}$, IO
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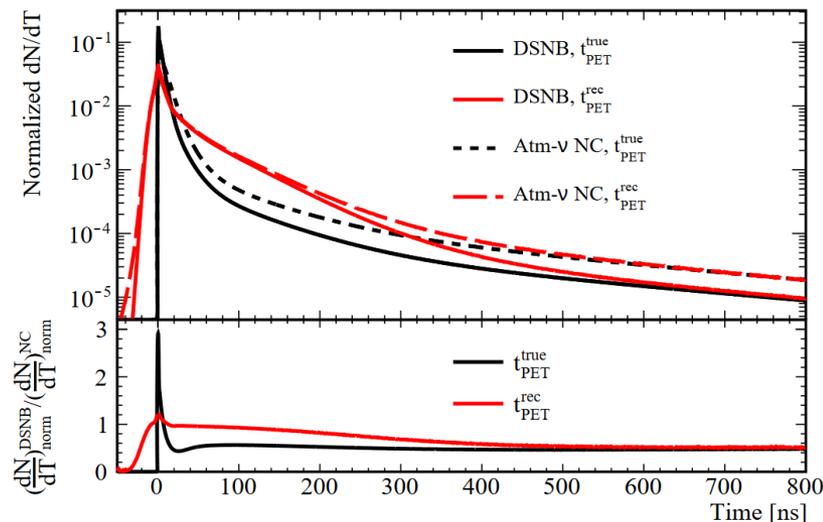
Online pre-SN monitor

Patton	$15M_{\odot}$, NO	$15M_{\odot}$, IO	$30M_{\odot}$, NO	$30M_{\odot}$, IO
Distance [kpc]	1.26	0.66	1.73	0.98
Time @0.2kpc [hr]	-139	-90	-219	-103



Channel discrimination

- IBD and C12 CC interactions:
 - prompt and delayed coincidence
- pES and eES:
 - Distinguish by utilizing the difference in luminescence time of LS
- Unphysical events:
 - Due to PMT after pulse
 - Characteristics: Small E_{rec} ; small R_{rec} ; correlated to previous event
- Event pile up: under studying



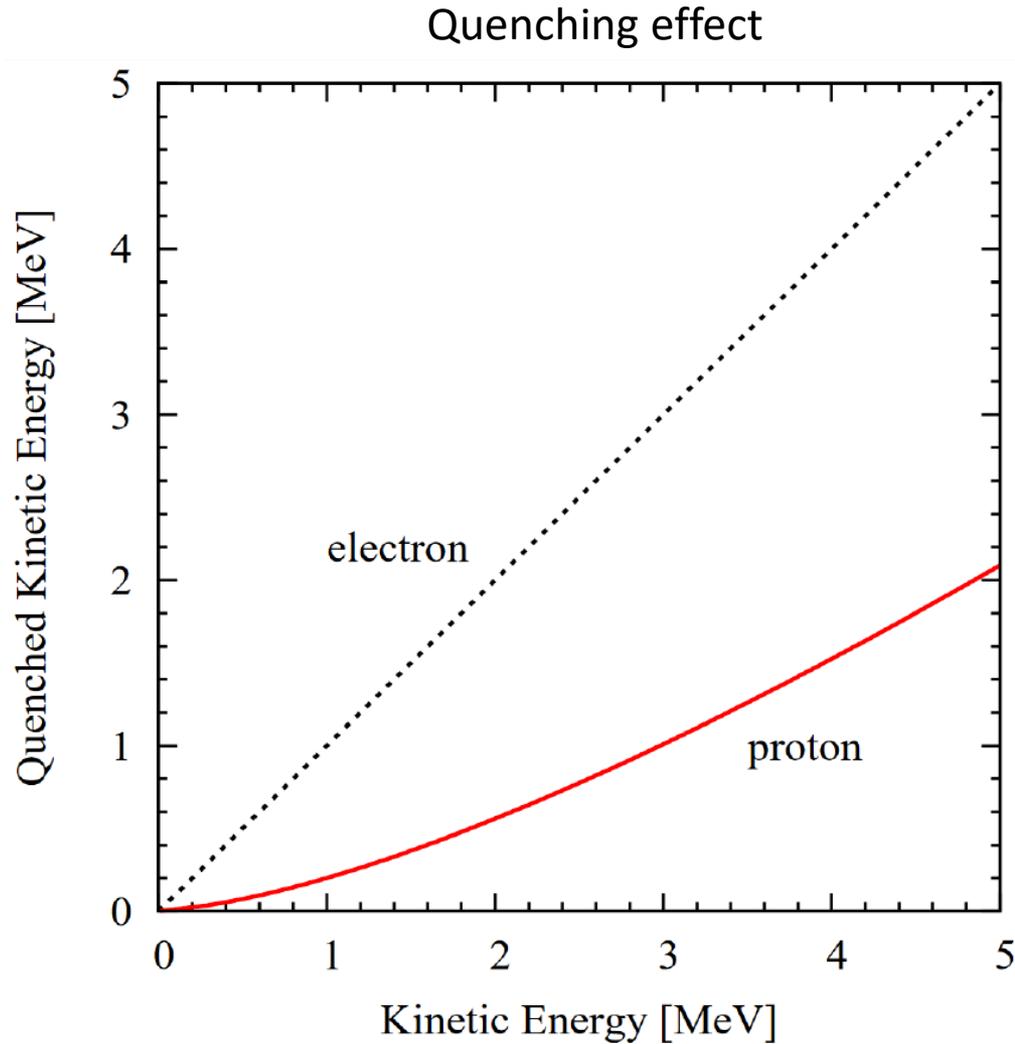
Selection strategy:

- Remove unphysical events (after pulse triggers)
- Select IBD and CC interactions
- Use PSD to distinguish pES and eES
- Fit and extract C12 channel



Quenching

- asd





Prove of AF=S

$$\begin{aligned}\frac{dn^c(E_{rec})}{dE_{rec}} &= \sum_f \int \left(\int N_i R^c(E_{rec}, E_{dep}) \frac{d\sigma_f^c(E_{dep}, E_\nu)}{dE_{dep}} dE_{dep} \right) \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu \\ &= \sum_f \int g_f^c(E_{rec}, E_\nu) \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu\end{aligned}$$

其中

$$g_f^c(E_{rec}, E_\nu) = \int N_i R^c(E_{rec}, E_{dep}) \frac{d\sigma_f^c(E_{dep}, E_\nu)}{dE_{dep}} dE_{dep}$$

$$F_j^f = \int_{bin j} \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu$$

$$S_i^c = \int_{bin i} \frac{dn^c(E_{rec})}{dE_{rec}} dE_{rec}$$

$$\begin{aligned}S_i^c &= \sum_f \int_{bin i} \int g_f^c(E_{rec}, E_\nu) \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu dE_{rec} \\ &= \sum_{f,j} \int_{bin i} \int_{bin j} g_f^c(E_{rec}, E_\nu) \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu dE_{rec} \\ &= \sum_{f,j} \int_{bin j} \left(\int_{bin i} g_f^c(E_{rec}, E_\nu) dE_{rec} \right) \frac{dF^f(E_\nu)}{dE_\nu} dE_\nu\end{aligned}$$

$$R_{f ij}^c = \int_{bin i} g_f^c(E_{rec}, E_\nu) dE_{rec}$$

$$S_i^c = \sum_{f,j} R_{f ij}^c F_j^f$$