



Dark Photon Dark Matter Detection with Radio Telescopes

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Based on 2010.15836 [PRL 2021], 2207.05767 [PRL 2023],
2301.03622 [NC 2024]

第三届地下和空间粒子物理与宇宙物理前沿问题研讨会

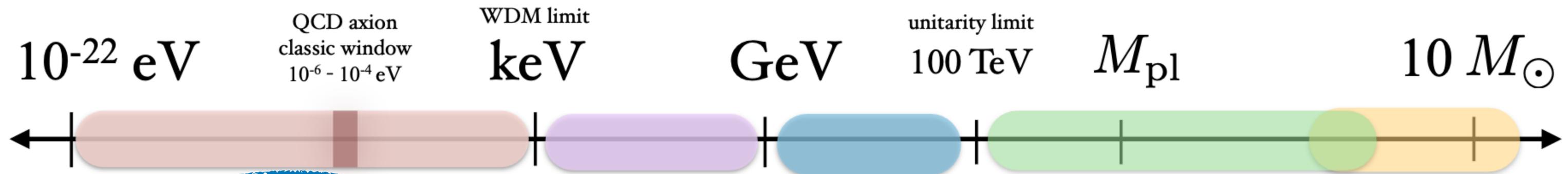
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What is the nature of dark matter?

Unknown matter and energy $\sim 95\%$

The dark matter candidate models

1904.07915, TASI lecture



“Ultralight” DM
non-thermal
bosonic fields

“Light” DM
dark sectors
sterile ν
can be thermal

WIMP

Composite DM
(Q-balls, nuggets, etc)

**Primordial
black holes**

Today's focus

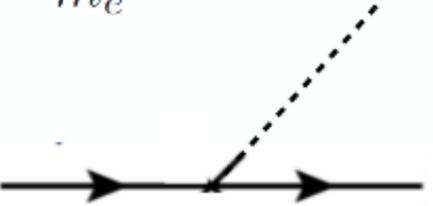
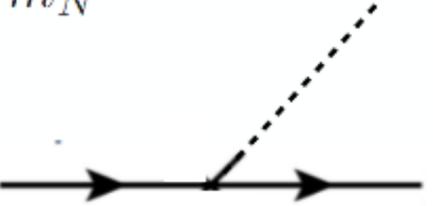
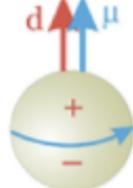


HEP at a cross-road: explore all directions!

Ultralight Bosonic Dark Matter

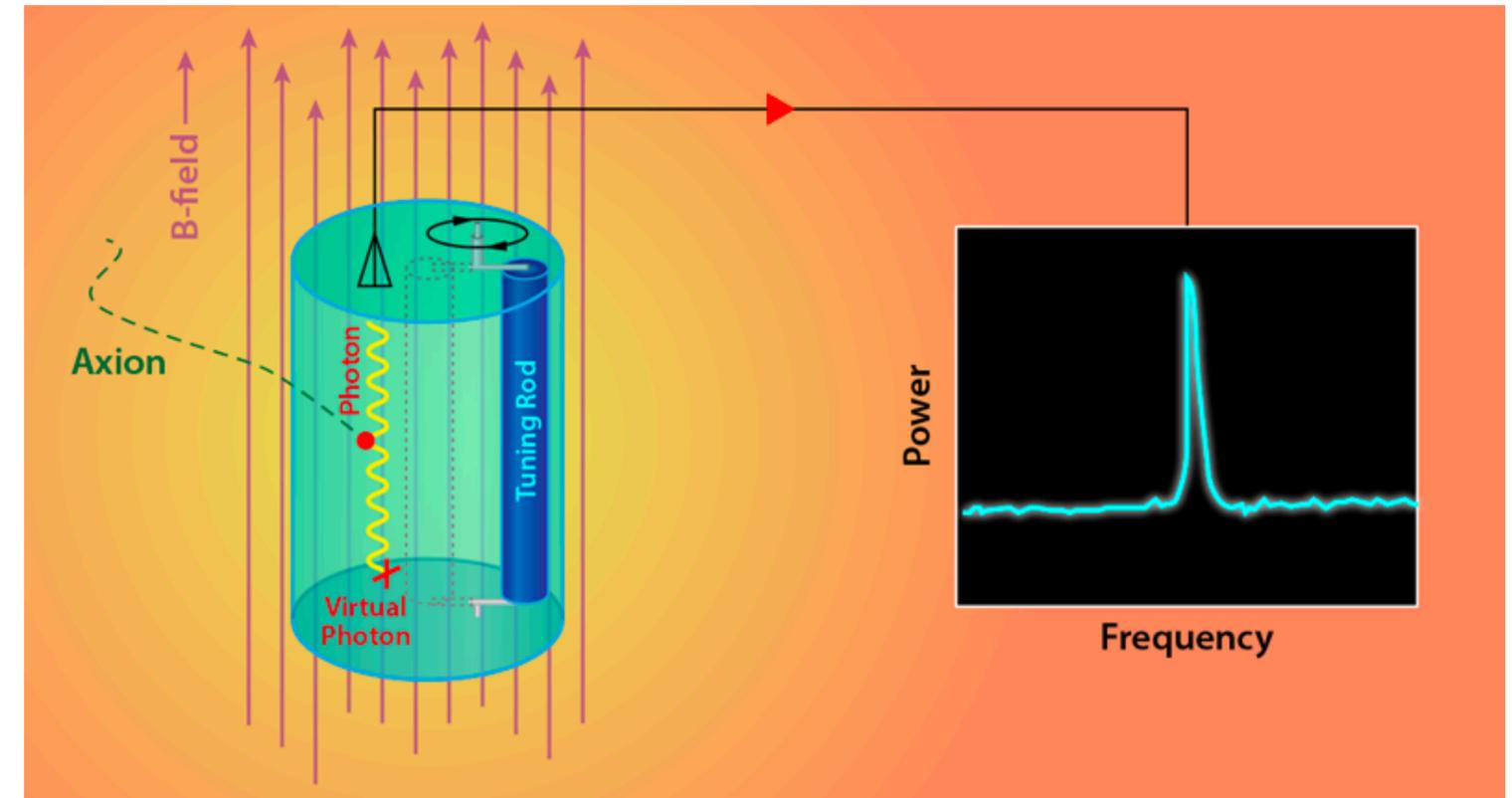
- Ultralight: $m \lesssim \text{keV}$, ultralight due to shift symmetry (pseudo-Nambu Goldstone, e.g. Axion)
- Bosonic: Pauli-exclusion for fermionic DM
- Exits as classical fields ($m \lesssim \mathcal{O}(1) \text{ eV}$)
- Typical models:
 - Pseudo-scalar: Axion, Axion-like Particle
 - Dark Scalar: dilaton-like coupling
 - Vector: Kinetic Mixing Dark Photon, $U(1)_{B-L}$ dark photon etc

超轻暗物质：赝标量轴子

photon coupling	electron coupling	nucleon coupling	Neutron electric dipole
$-\frac{g_{a\gamma}}{4} F_{\mu\nu} \tilde{F}^{\mu\nu} a$ 	$\frac{g_{ae}}{m_e} [\bar{e} \gamma^\mu \gamma^5 e] \partial_\mu a$ 	$\frac{g_{aN}}{m_N} [\bar{N} \gamma^\mu \gamma^5 N] \partial_\mu a$ 	$\propto \frac{1}{m_n} [F_{\mu\nu} \bar{n} \sigma^{\mu\nu} \gamma^5 n] \frac{A}{f_A}$ 

$$\mathcal{L}_{\text{ALP}} = g_{ag} \frac{a}{f_a} G\tilde{G} + g_{a\gamma} \frac{a}{f_a} F\tilde{F} + g_{af} \frac{\partial_\mu a}{2f_a} \bar{f} \gamma^\mu \gamma^5 f$$

$$g_{a\gamma\gamma} a F_{\mu\nu} \epsilon^{\mu\nu\alpha\beta} F_{\alpha\beta} \sim g_{a\gamma\gamma} a \vec{E} \cdot \vec{B}$$



矢量型超轻暗物质：暗光子

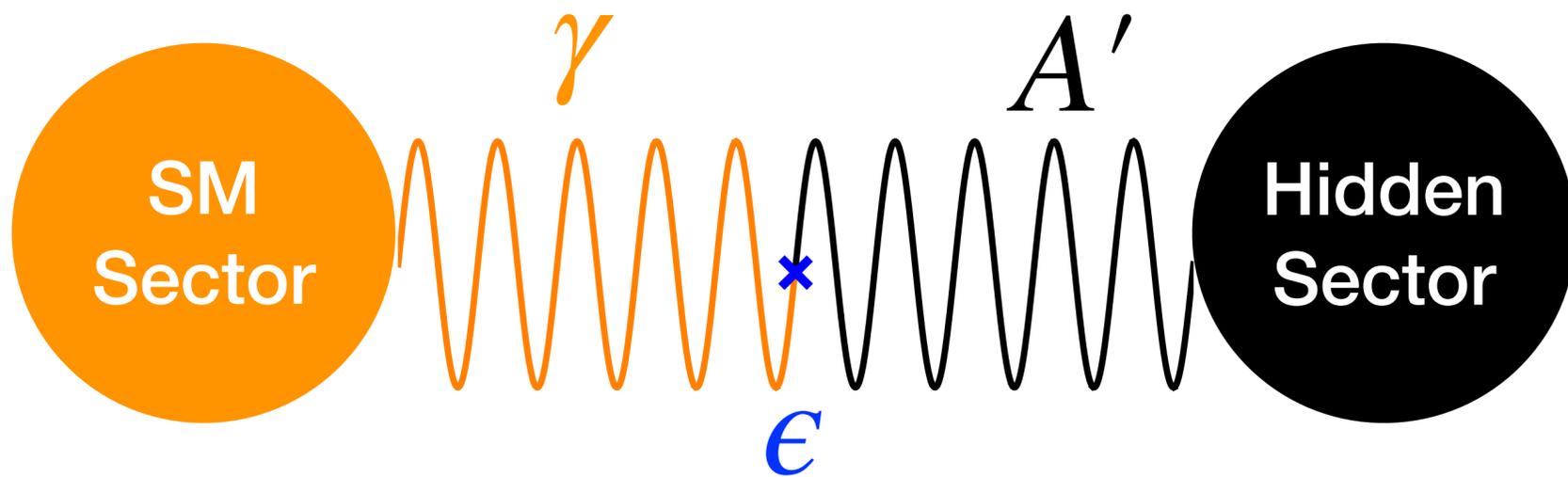
- Maxwell Equations: $\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + 0 \times A^\mu A_\mu - eA_\mu j_{\text{em}}^\mu$

- Extra U(1) extension of Maxwell Equations

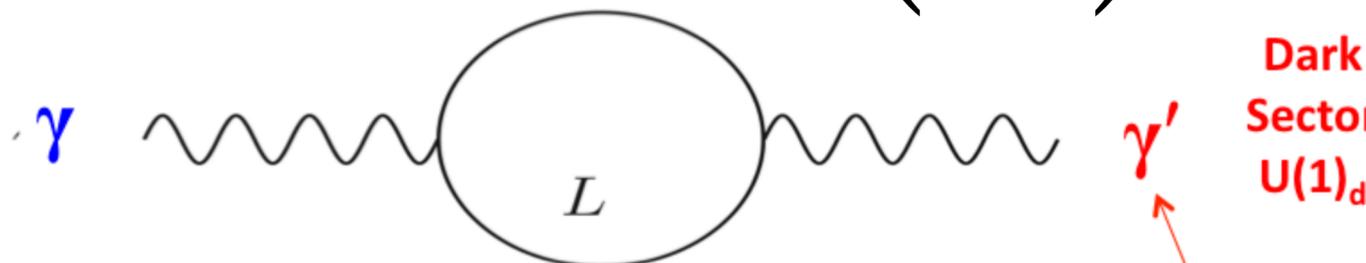
$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + 0 \times A^\mu A_\mu - eA_\mu j_{\text{em}}^\mu - \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'^\mu A'_\mu - \frac{1}{2}\epsilon F'_{\mu\nu}F^{\mu\nu}$$

A proper low energy model from UV physics
Log dependence of UV scale

$$\epsilon \sim -\frac{gg'}{16\pi^2} \log\left(\frac{m_L^2}{\mu^2}\right)$$

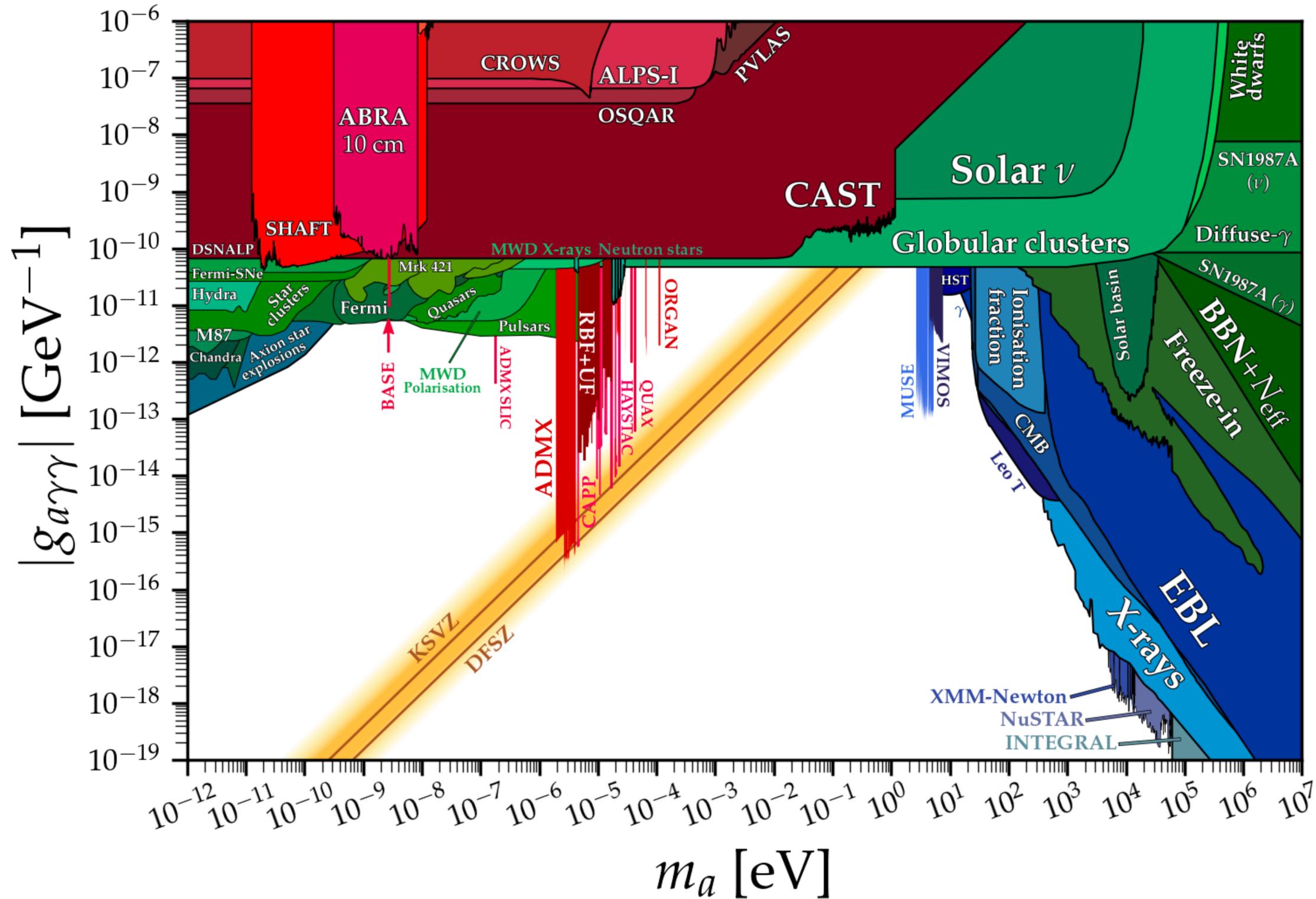


Standard Model Sector U(1)

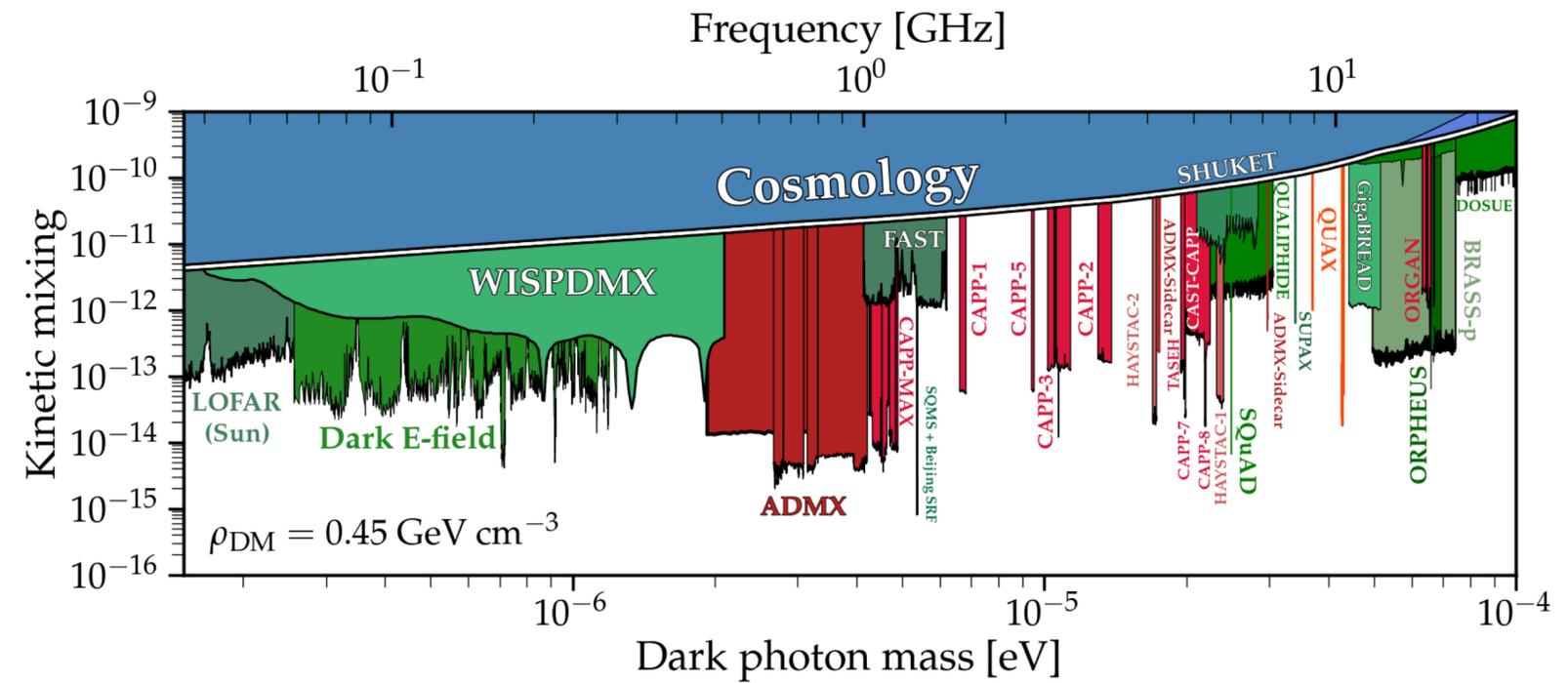
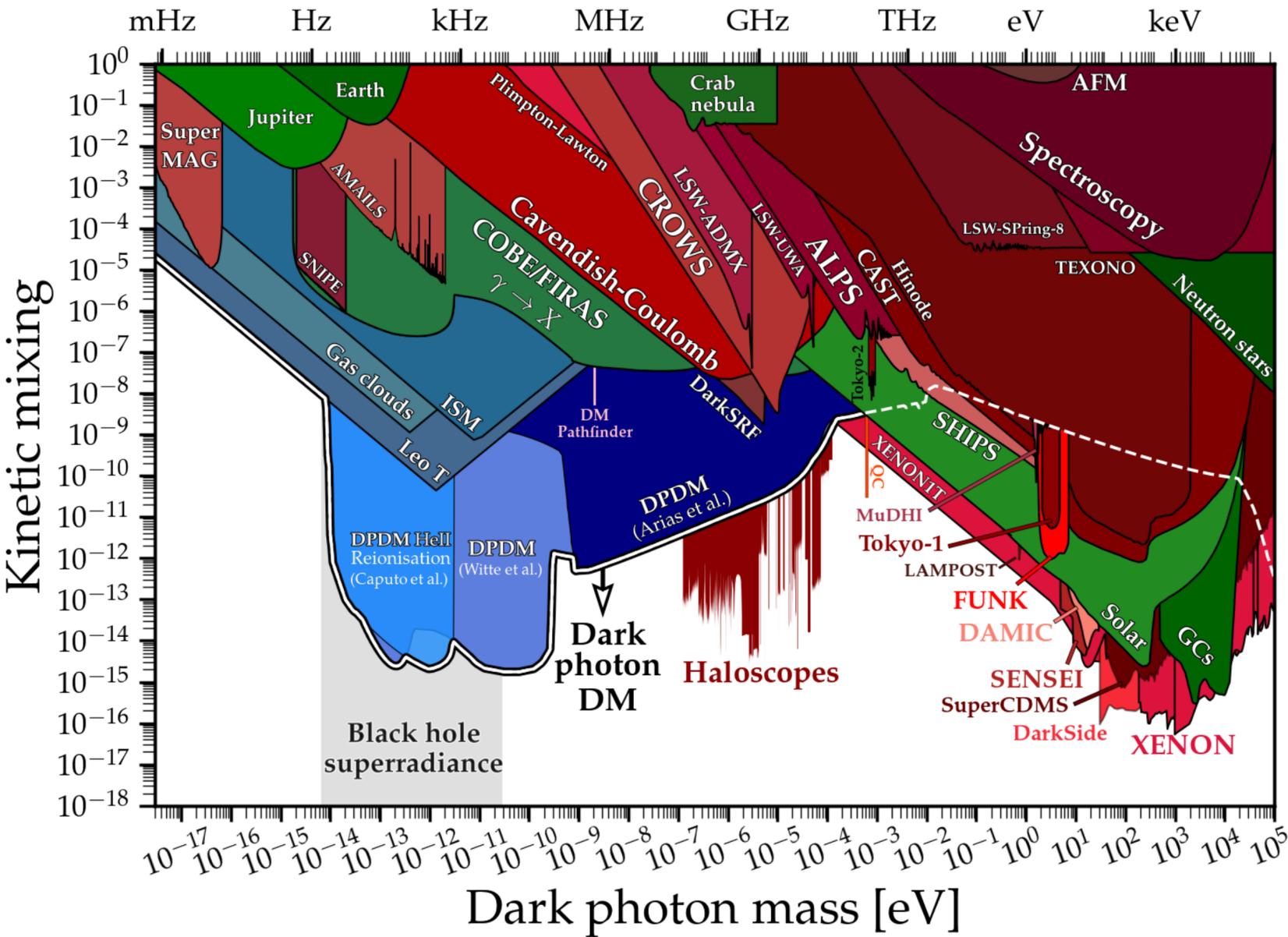


- Two free parameters: $m_{A'}$ and ϵ

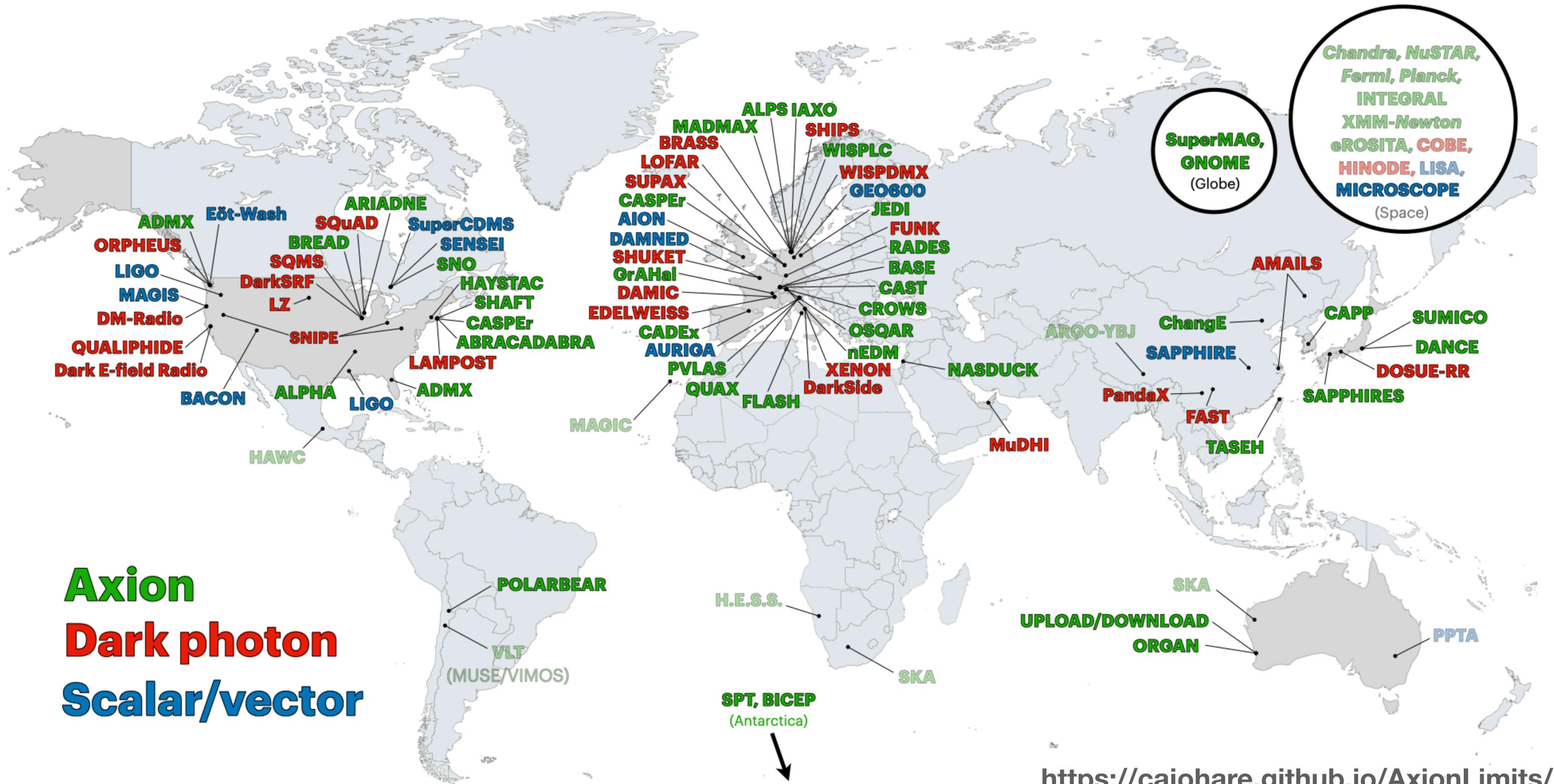
超轻玻色型暗物质探寻



超轻玻色型暗物质探寻

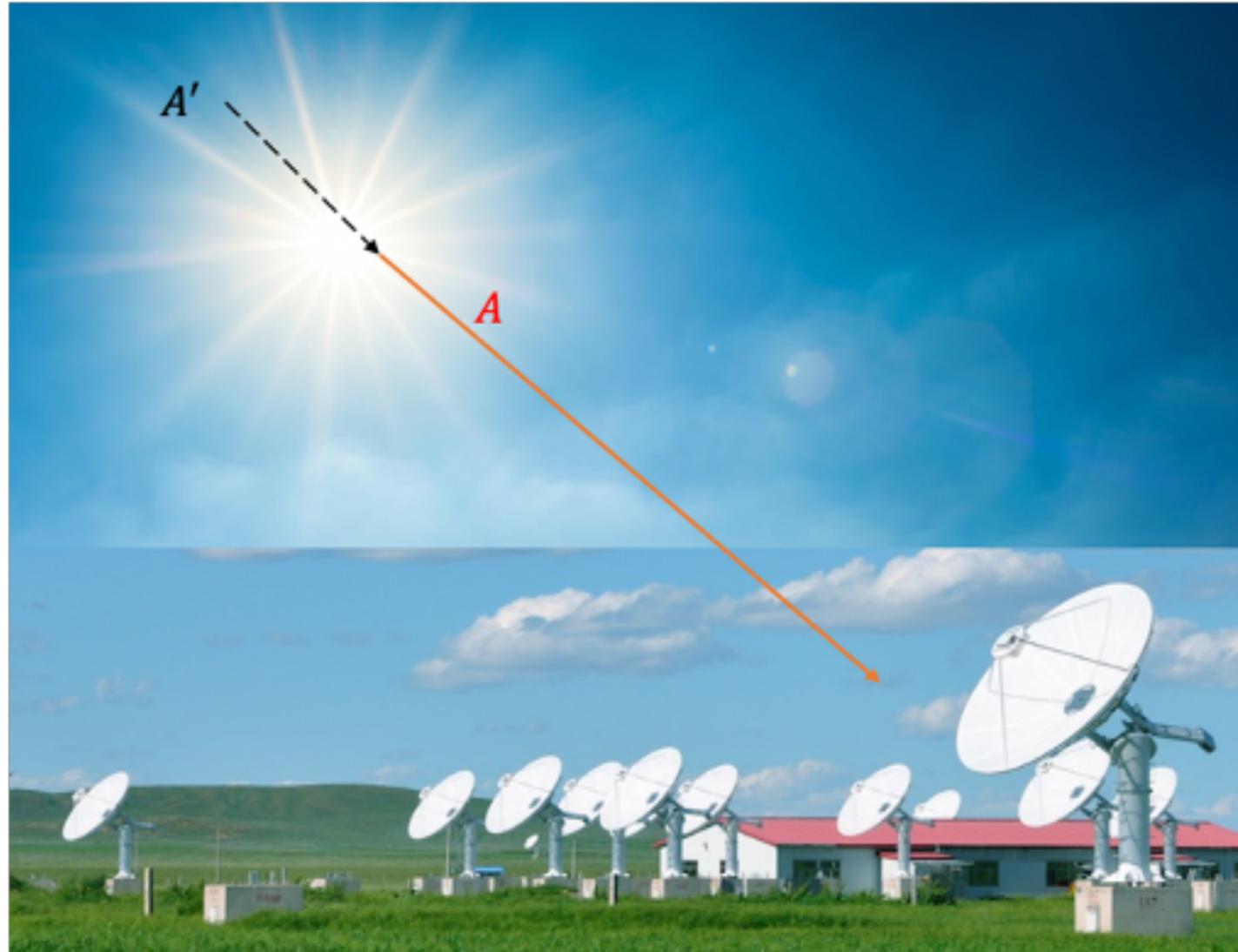


超轻玻色型暗物质探寻



Radio astronomy and ultralight bosonic dark matter

太阳物理



Dark photon dark matter

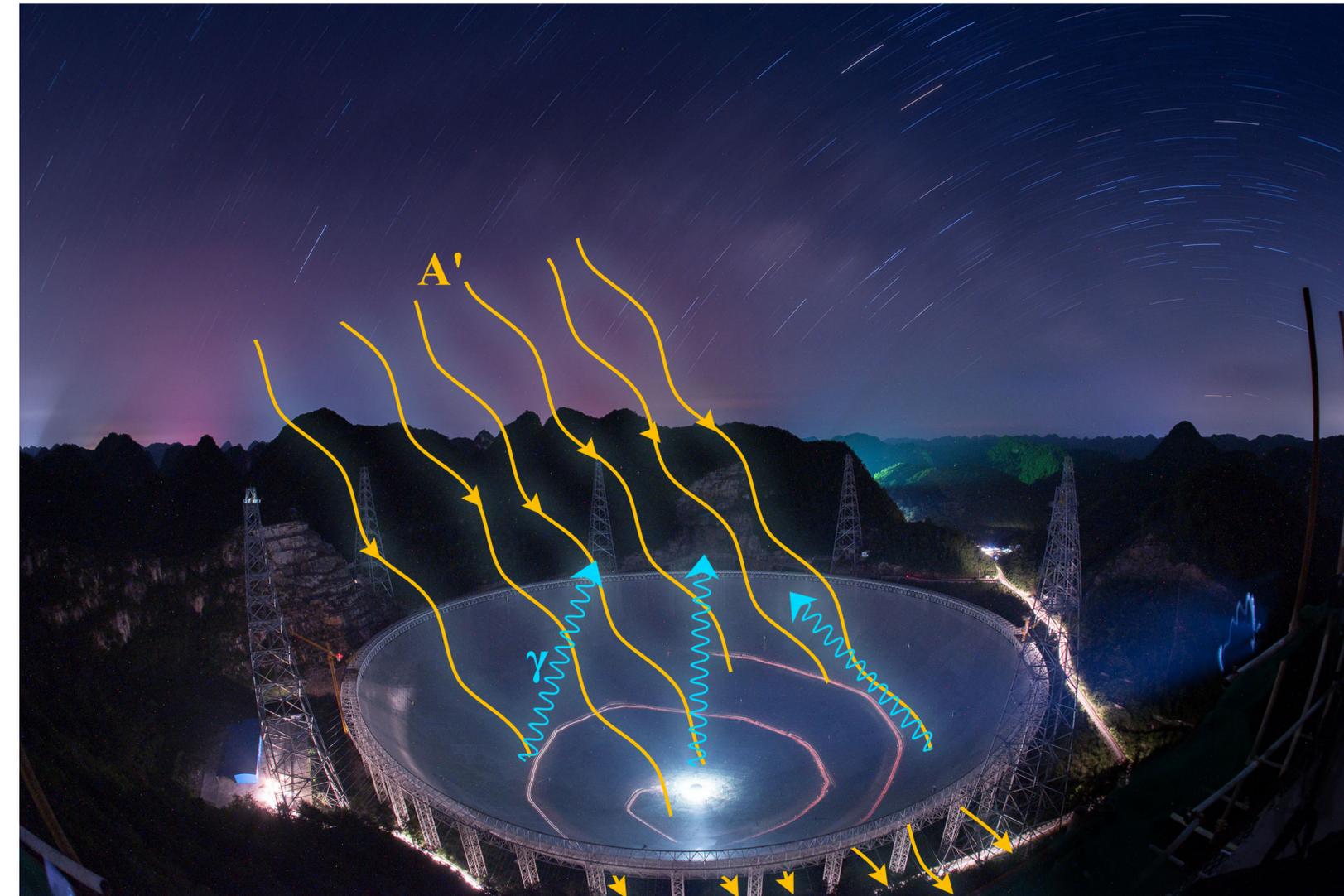
resonant conversion at solar corona

An, Huang, JL, Xue, 2010.15836 (PRL 2021)

An, Chen, Ge, Liu, Luo, 2301.03622 (NC 2024)

Editor Highlights

Radio telescope at Earth



Dark photon dark matter

conversion at radio telescope

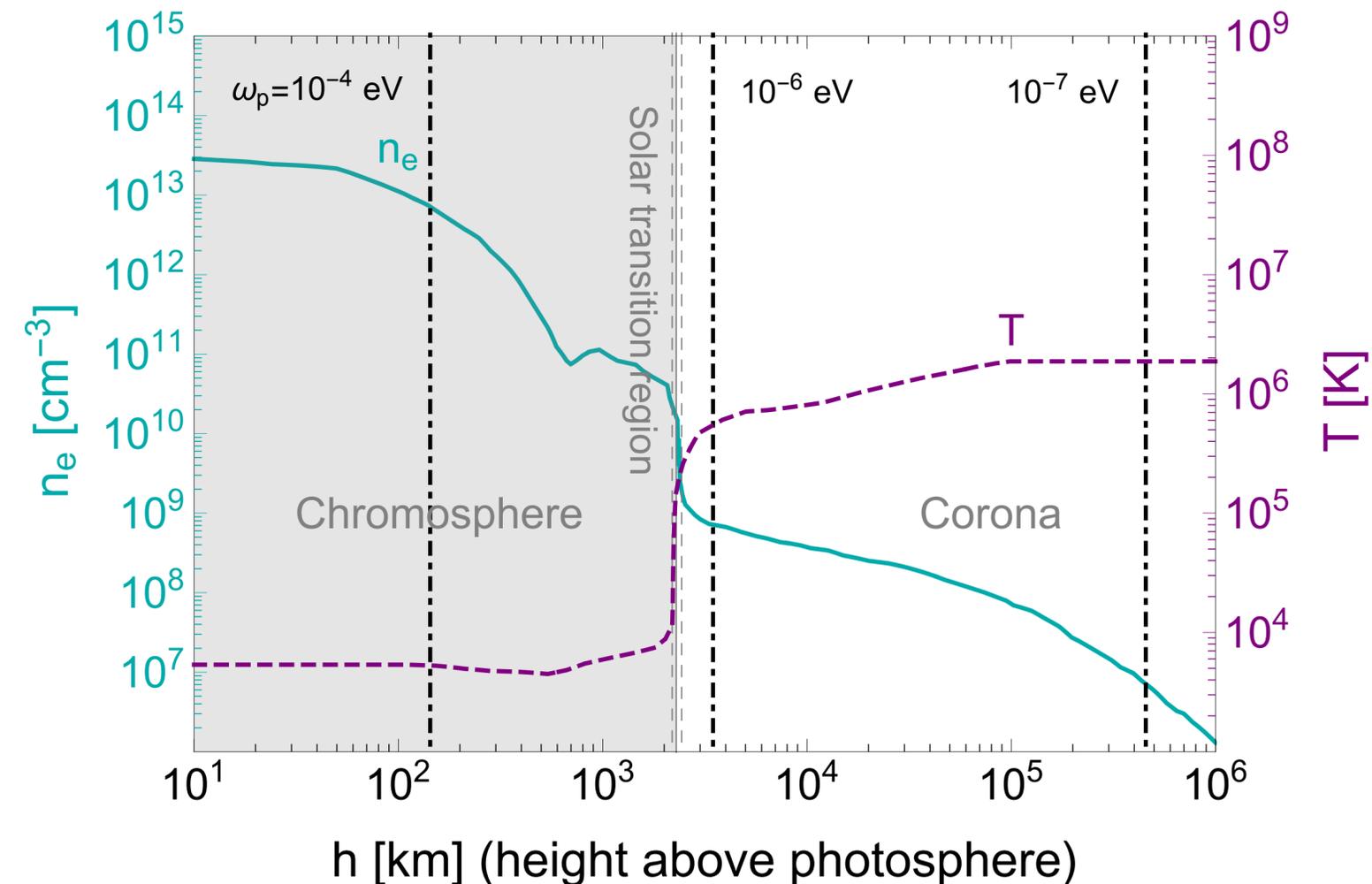
An, Ge, Guo, Huang, JL, Lu, 2207.05767 (PRL 2023, Featured in Physics)

reported by APS Physics, Phys.org, Physics Today

The dark photon dark matter conversion at solar corona

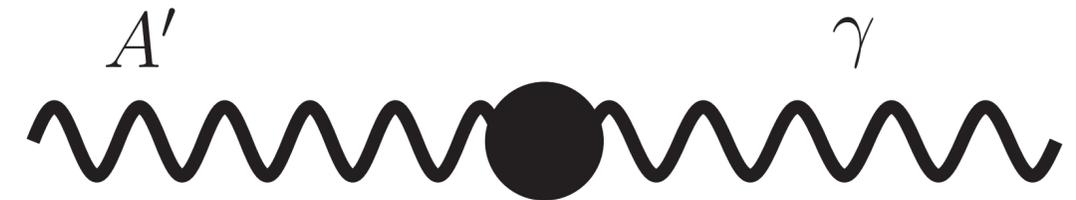
- The plasma frequency

$$\omega_p = \left(\frac{4\pi\alpha n_e}{m_e} \right)^{1/2} = \left(\frac{n_e}{7.3 \times 10^8 \text{ cm}^{-3}} \right)^{1/2} \mu\text{eV}$$



- Resonant conversion $A' \rightarrow \gamma$

- When $m_{A'} = \omega_p$



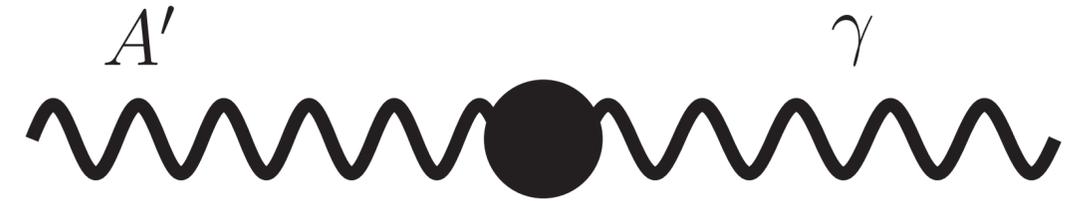
- For any A' mass, it can happen at a radius r_c

- $m_{A'} = \omega_p(r_c)$

- Can set limits for mass range $m_{A'} \in [10^{-8}, 10^{-5}] \text{ eV}$

The dark photon dark matter conversion at solar corona

- The resonant conversion probability (QFT method)



$$P_{A' \rightarrow \gamma}(v_r) = \frac{1}{3} \int \frac{dt}{2\omega} \frac{d^3p}{(2\pi)^3 2\omega} (2\pi)^4 \delta^4(p_{A'}^\mu - p_\gamma^\mu) \sum_{\text{pol}} |\mathcal{M}|^2$$

$$= \frac{2}{3} \times \pi \epsilon^2 m_{A'} v_r^{-1} \left| \frac{\partial \ln \omega_p^2(r)}{\partial r} \right|_{\omega_p(r)=m_{A'}}^{-1}$$

$$\mathcal{M} = -\epsilon m_{A'}^2 \left(\xi_\gamma^*(p) \cdot \xi_{A'}(p) \right)$$

$$\frac{1}{3} \sum_{\text{pol}} |\mathcal{M}|^2 = \frac{2}{3} \epsilon^2 m_{A'}^4$$

$$\int dt \delta(E_{A'} - E_\gamma) = 2\omega^{-1} \left(\frac{\partial \ln \omega_p^2}{\partial t} \right)^{-1}$$

$$\mathcal{L} \supset -\frac{1}{2} \epsilon F'_{\mu\nu} F^{\mu\nu}$$

- Due to the forced 4-momentum conservation, it applies to resonant conversion only.
- The [wave method](#) can work and is in agreement with QFT calculation

$$\left[\omega^2 - k^2 - \begin{pmatrix} \omega_p^2 & -\epsilon m_{A'}^2 \\ -\epsilon m_{A'}^2 & m_{A'}^2 \end{pmatrix} \right] \begin{pmatrix} A(r, t) \\ A'(r, t) \end{pmatrix} = 0$$

Sensitivity of the radio telescope

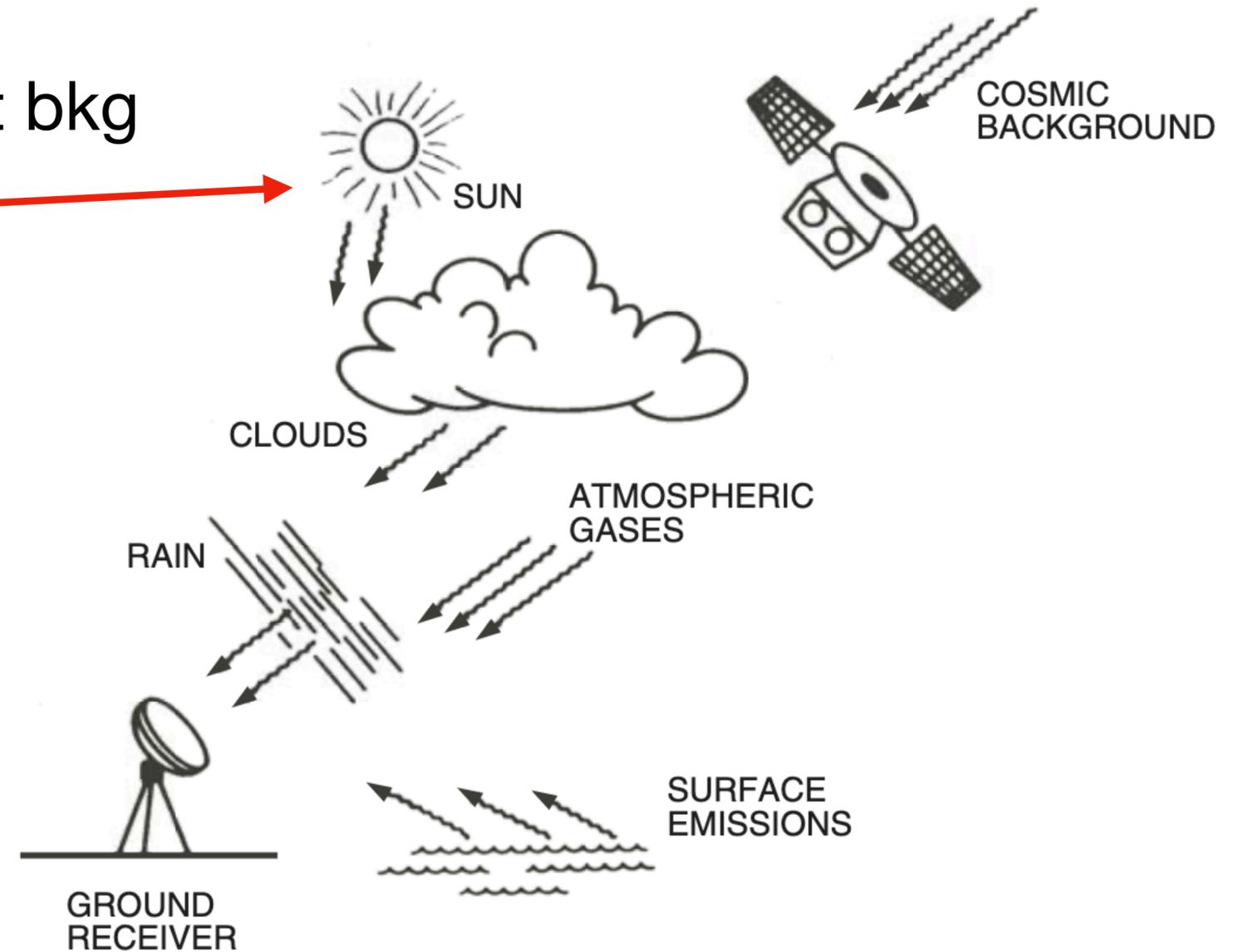
- The system equivalent flux density
- For solar observation, Sun is the largest bkg

$$SEFD = 2k_B \frac{T_{\text{sys}} + T_{\odot}^{\text{nos}}}{A_{\text{eff}}}$$

- The minimum detectable flux density

$$S_{\text{min}} = \frac{SEFD}{\eta_s \sqrt{n_{\text{pol}} \mathcal{B} t_{\text{obs}}}}$$

Name	f [MHz]	B_{res} [kHz]	$\langle T_{\text{sys}} \rangle$ [K]	$\langle A_{\text{eff}} \rangle$ [m ²]
SKA1-Low	(50, 350)	1	680	2.2×10^5
SKA1-Mid B1	(350, 1050)	3.9	28	2.7×10^4
SKA1-Mid B2	(950, 1760)	3.9	20	3.5×10^4
LOFAR	(10, 80)	195	28,110	1,830
LOFAR	(120, 240)	195	1,770	1,530

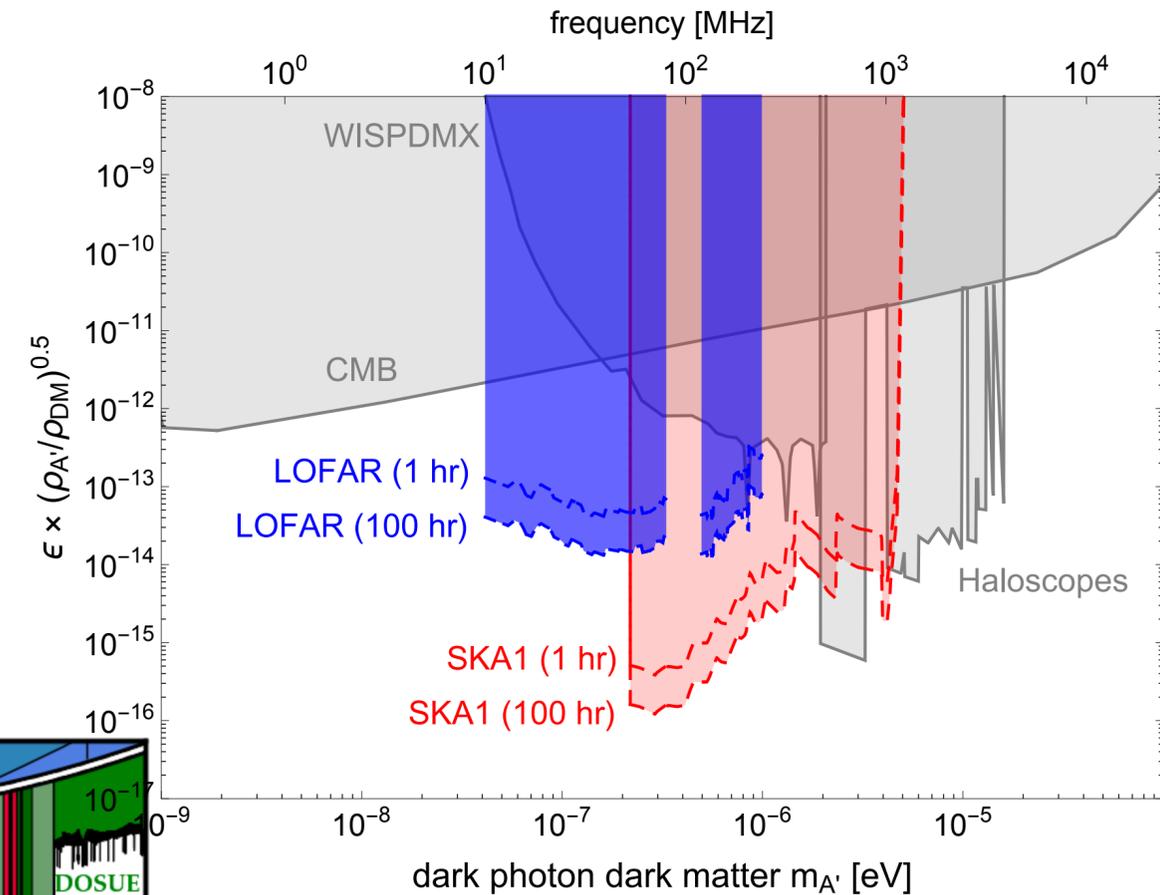
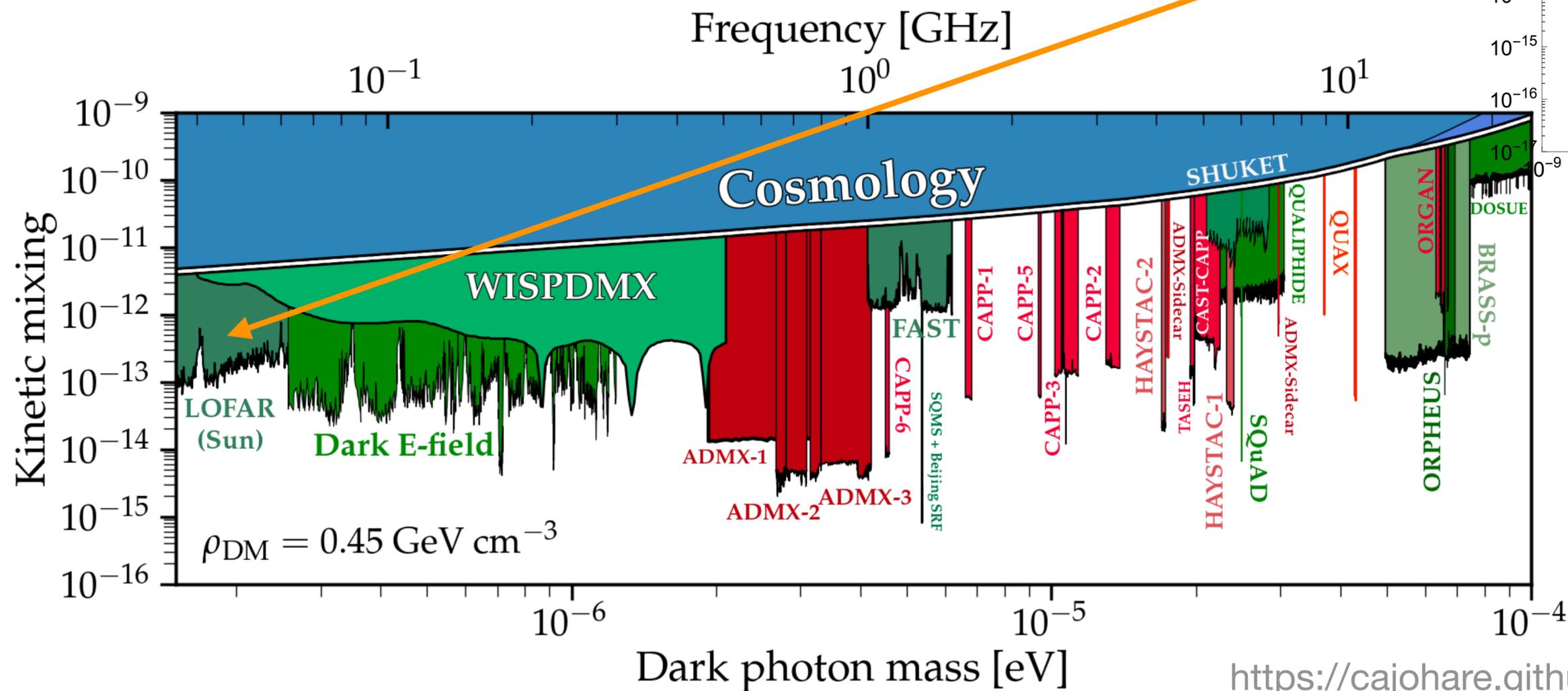


The sensitivity of DPDM from solar resonant conversion

- Attenuation of the mono-photon signal is considered,

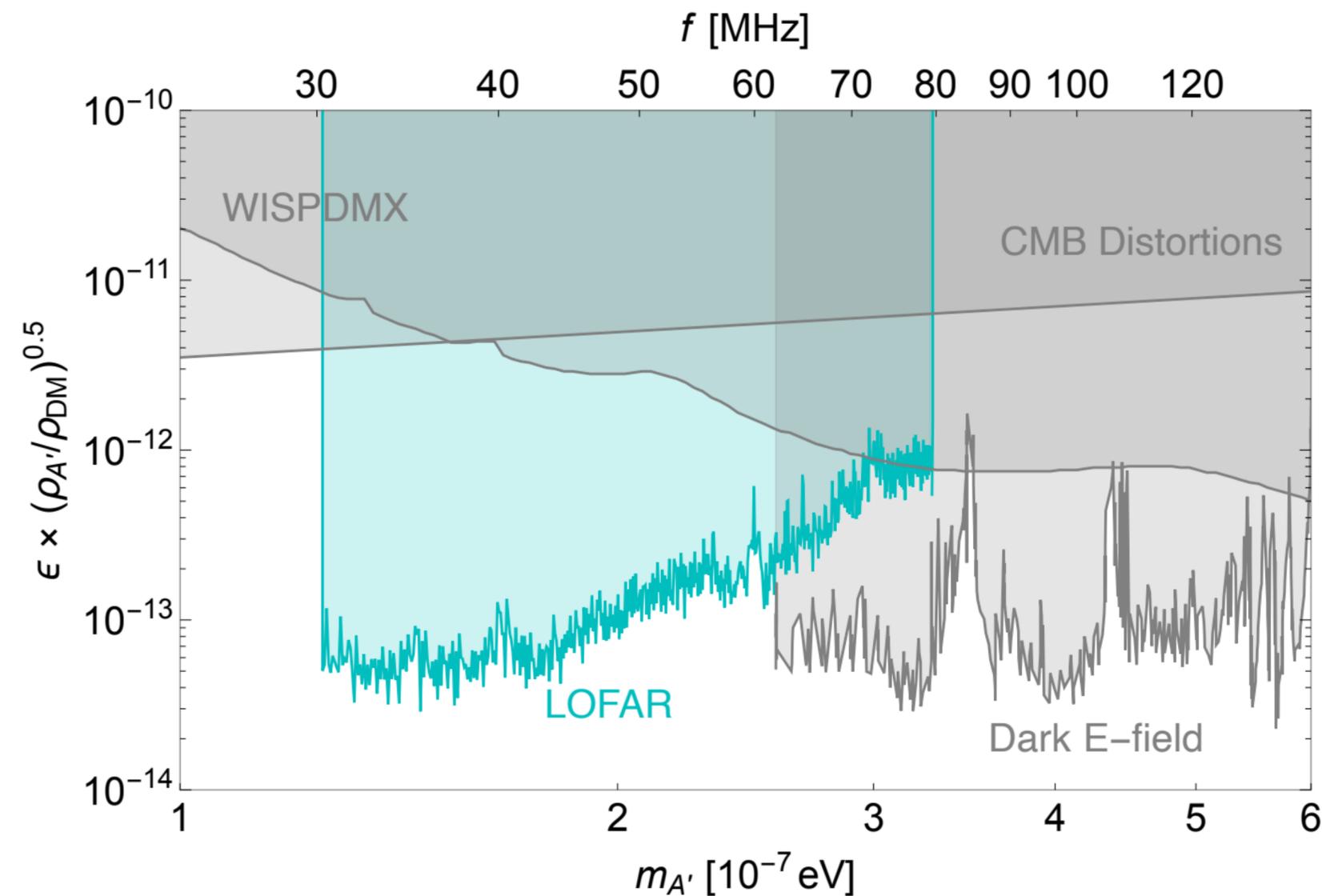
$$S_{\text{sig}} \times P_s = S_{\text{min}}$$

- 10 MHz lower end from LOFAR threshold
- 1 GHz higher end due to photon attenuation

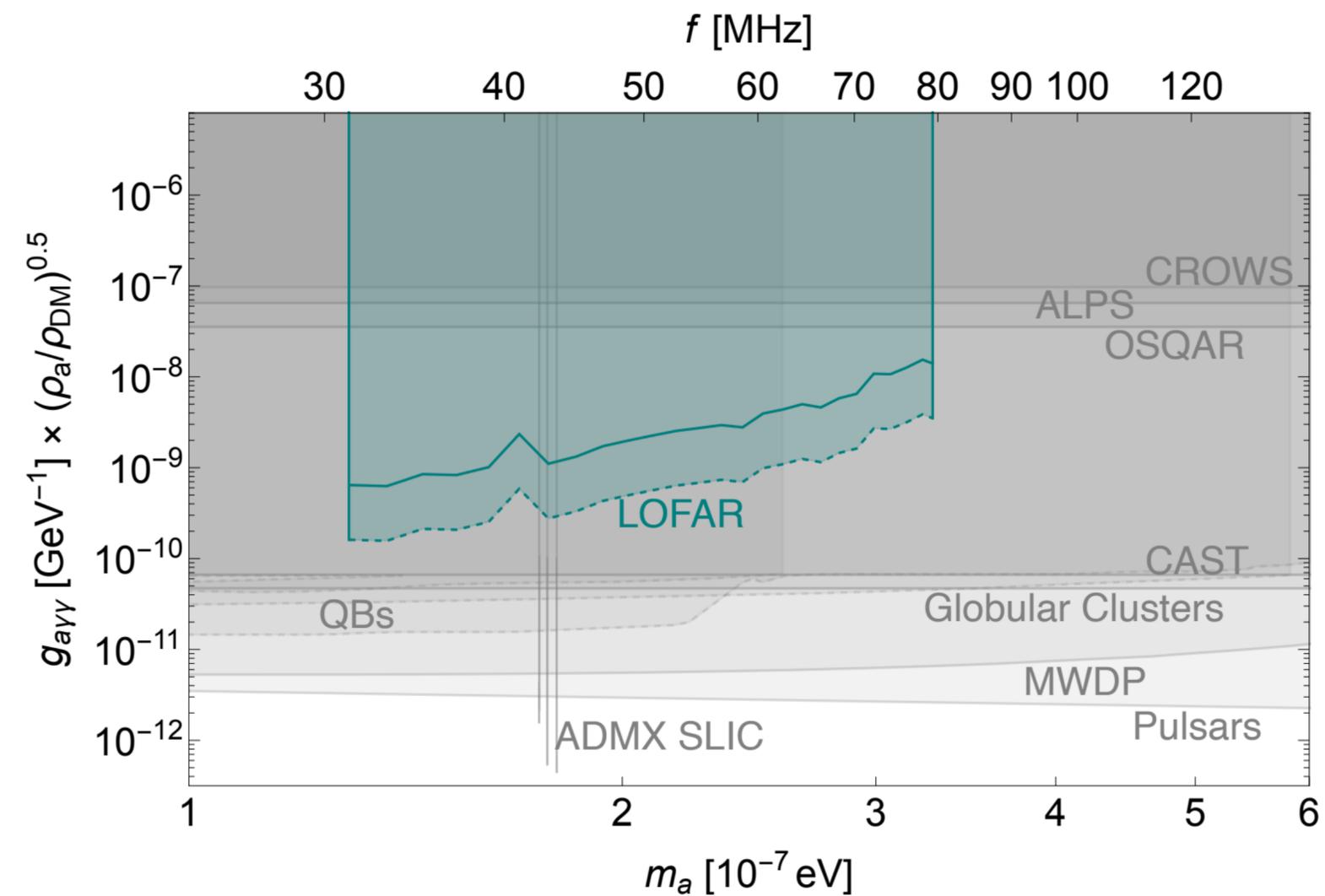


Phys.Rev.Lett. 126 (2021) 18, 181102

The sensitivity of DPDM from LOFAR data



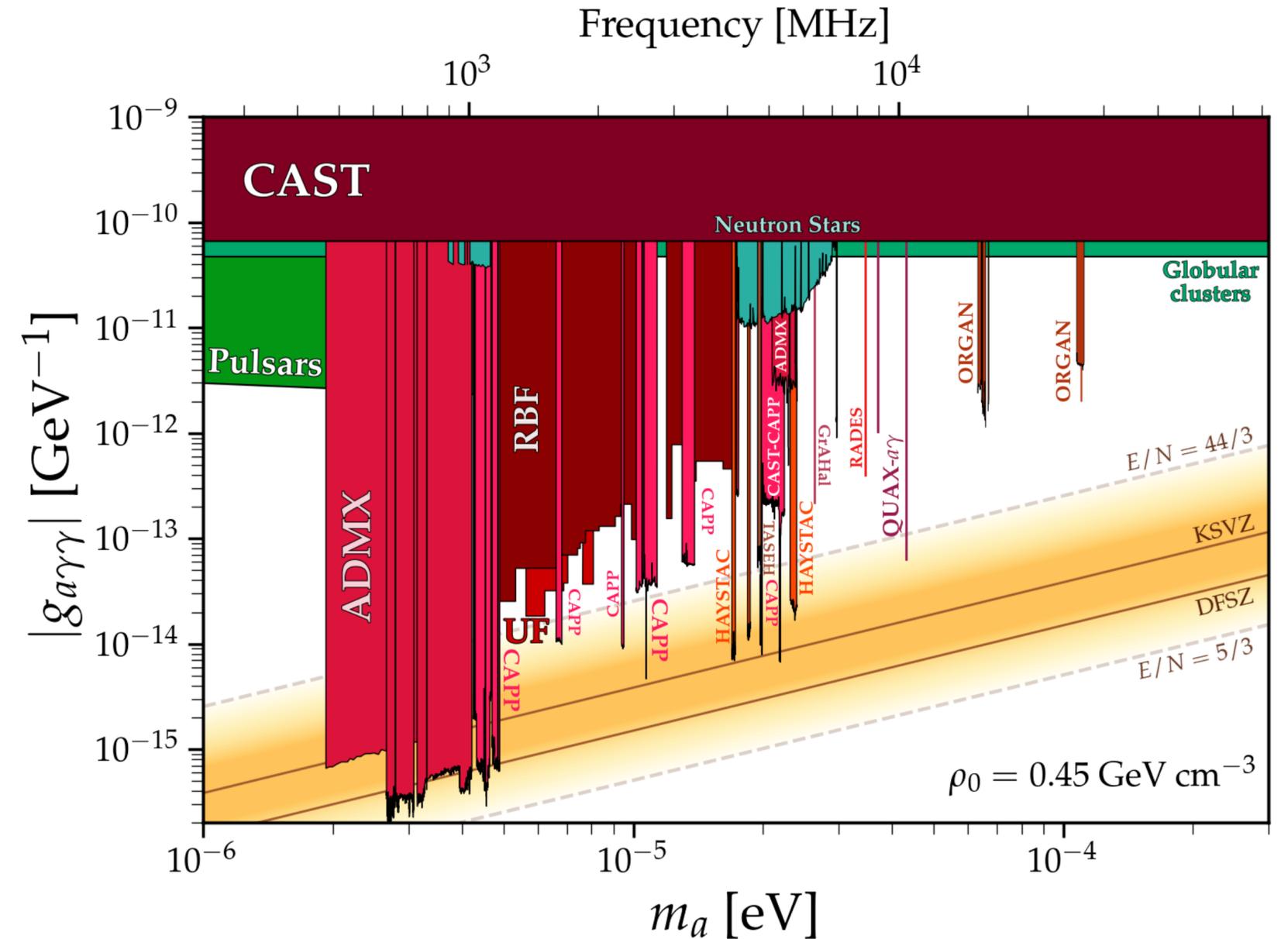
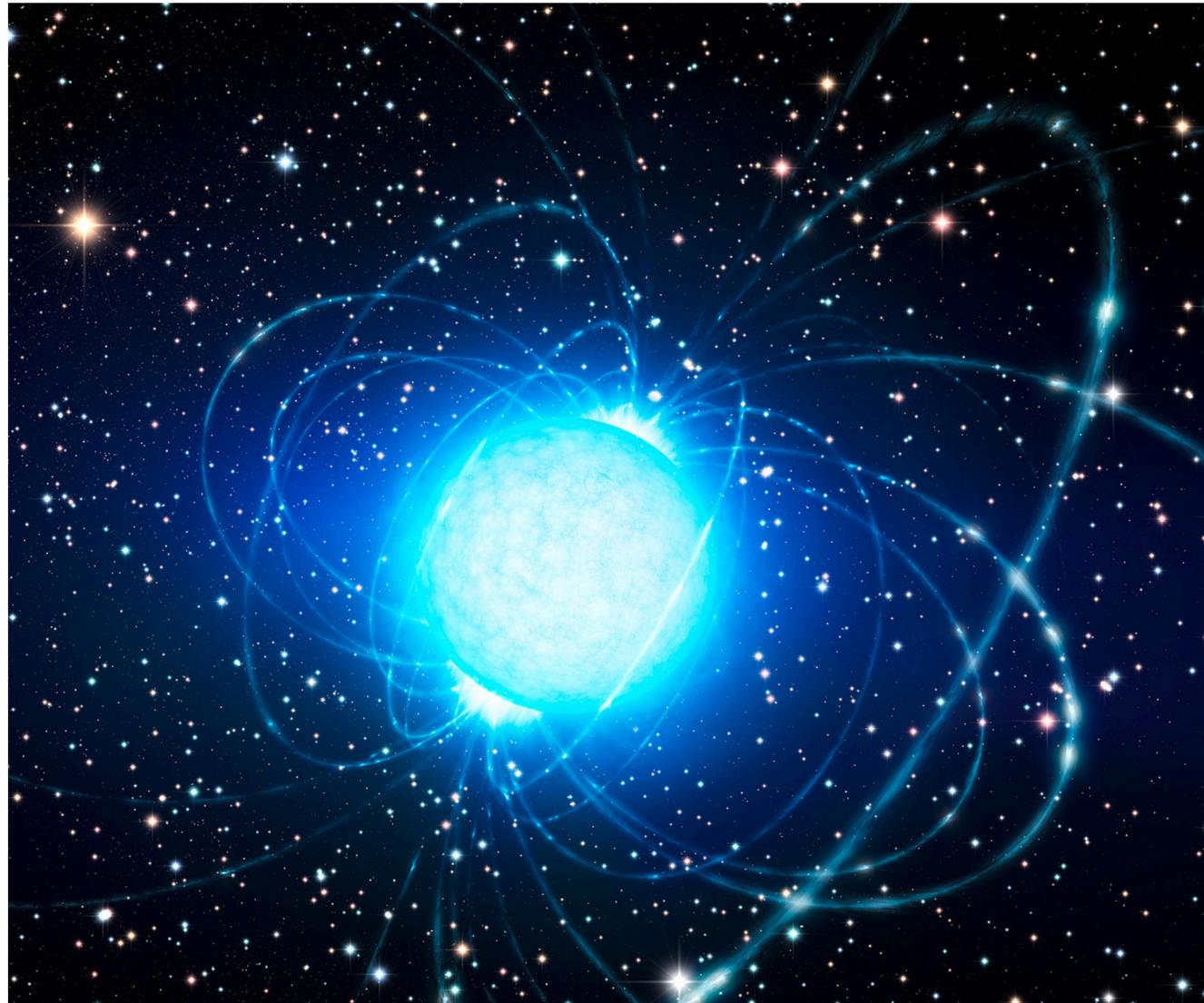
暗光子暗物质



轴子暗物质

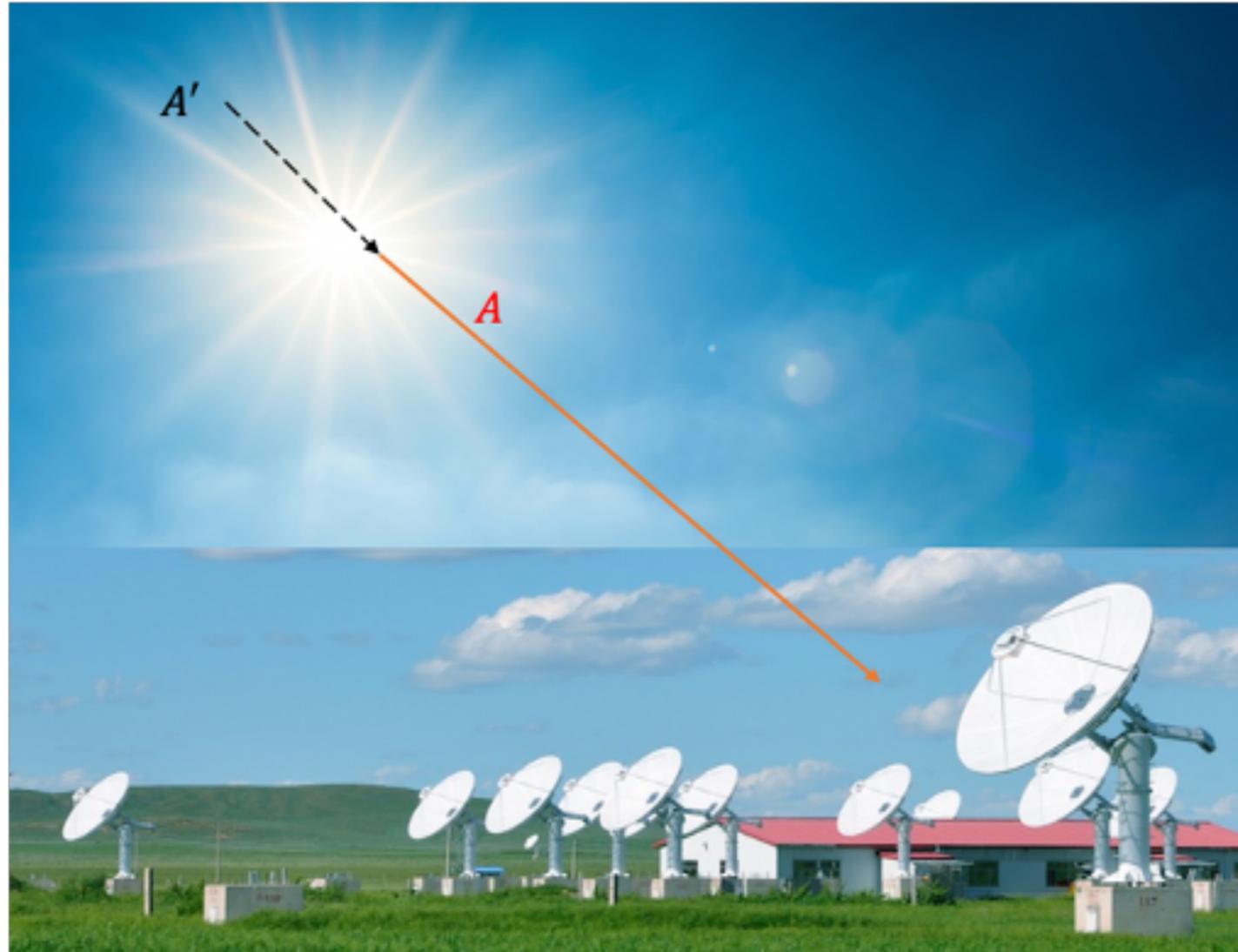
中子星观测与超轻轴子暗物质

- 轴子在中子星(Magnetar)强磁场中转化为单频光子

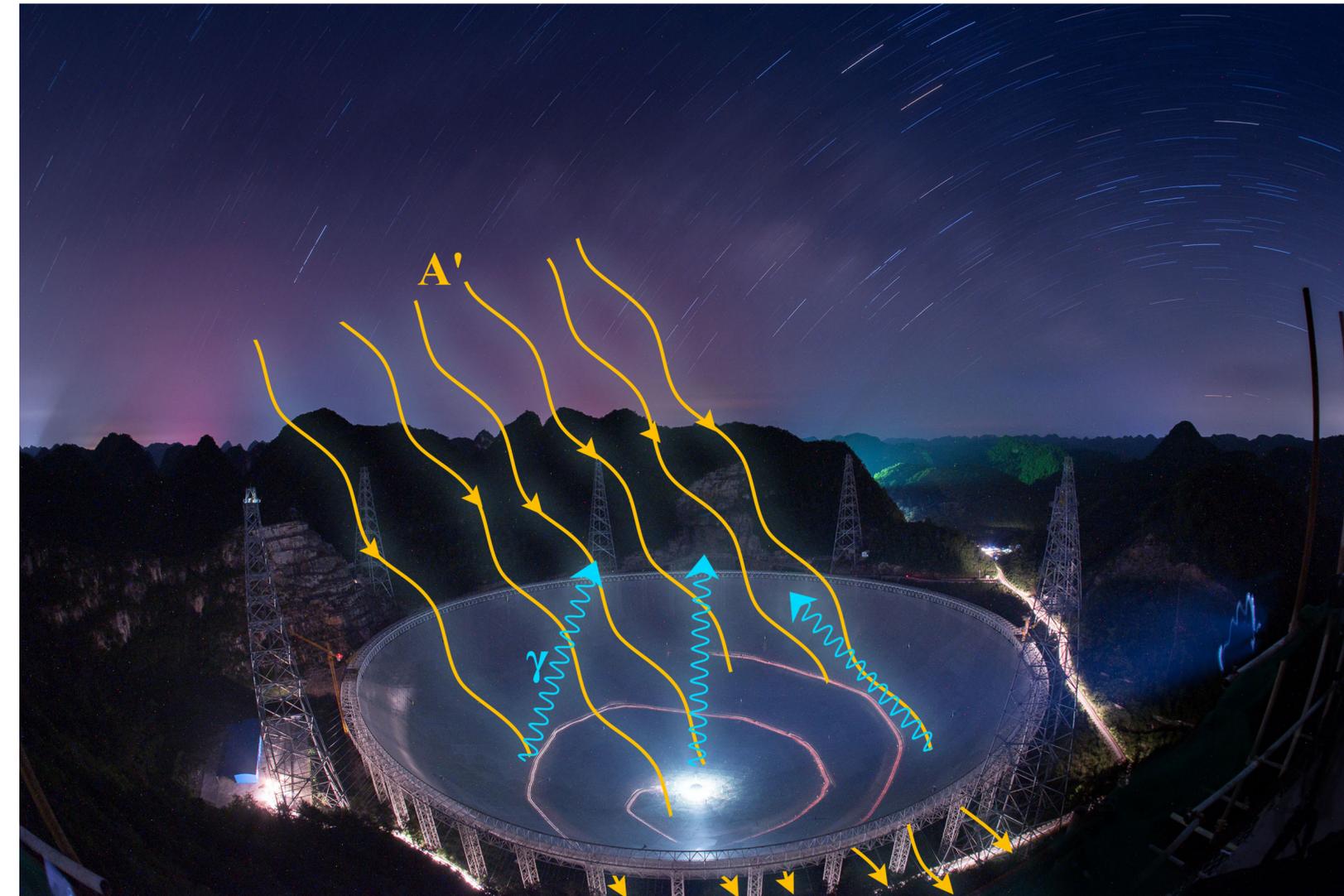


Radio astronomy and ultralight bosonic dark matter

Solar Physics



Radio telescope at Earth



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Editor's highlights

Dark photon dark matter
conversion at radio telescope

An, Ge, Guo, Huang, JL, Lu, 2207.05767 (PRL 2023, Featured in Physics)
reported by APS Physics, Phys.org, Physics Today

Direct detection of DPDM using **dish antenna** radio telescope

- Lagrangian

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu - \epsilon e A'_\mu j_{\text{em}}^\mu + e A_\mu j_{\text{em}}^\mu.$$

- Extended Maxwell Eqs

$$\nabla \cdot \mathbf{E}' = -\epsilon\rho - m_{A'}^2 A'^0,$$

$$\nabla \cdot \mathbf{B}' = 0,$$

$$\nabla \times \mathbf{E}' + \frac{\partial \mathbf{B}'}{\partial t} = 0,$$

$$\nabla \times \mathbf{B}' - \frac{\partial \mathbf{E}'}{\partial t} = -\epsilon\mathbf{J} - m_{A'}^2 \mathbf{A}',$$

- Perfect conductor

$$\mathbf{J} = \sigma(\mathbf{E} - \epsilon\mathbf{E}_D)$$

$$\nabla \cdot \mathbf{J} + \frac{\partial \rho}{\partial t} = 0$$



FAST radio telescope

Direct detection of DPDM using dish antenna radio telescope

- The feature of current on a metal conductor plate induced by DPDM

$$i_{tot,x} = i_{up,x} + i_{down,x} \approx -2i\epsilon m_{A'} A'_x,$$

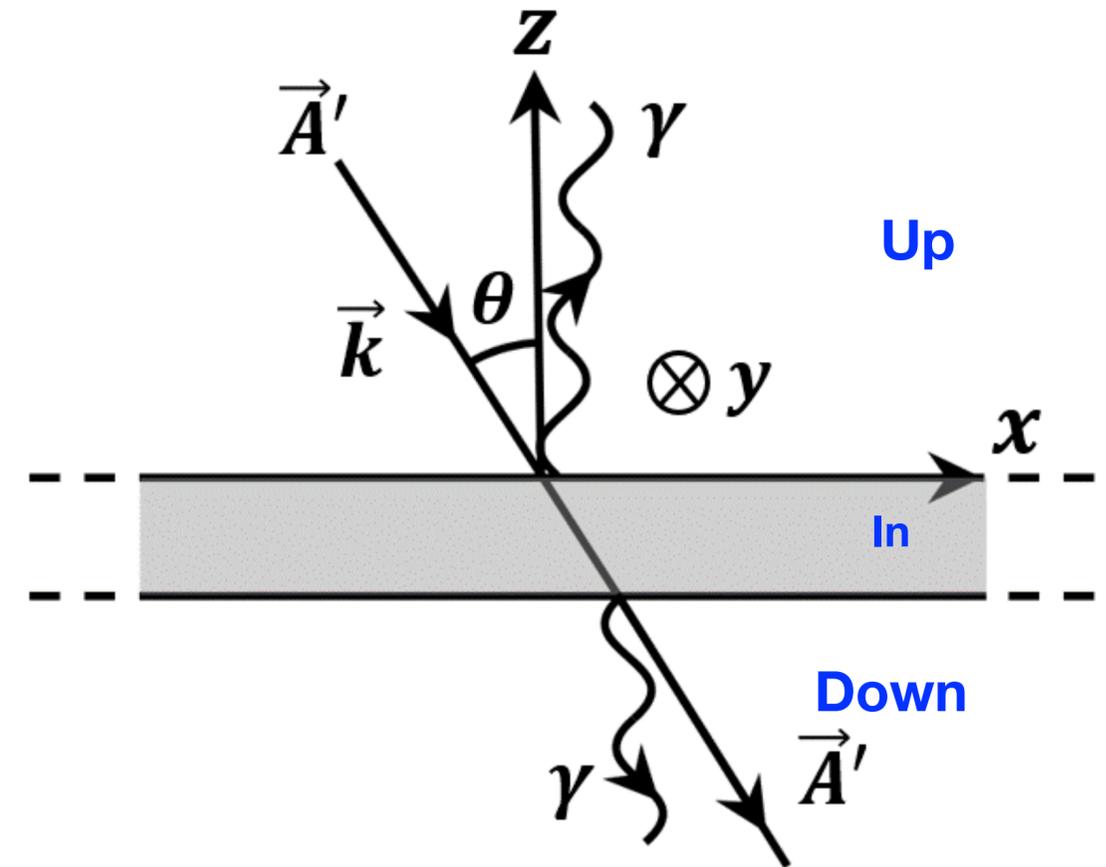
$$i_{tot,y} = i_{up,y} + i_{down,y} \approx -2i\epsilon m_{A'} A'_y,$$

$$\mathbf{J} = 0.$$

- Solving the reflected EM field
 - (always perpendicular to the surface)
 - Oscillating dipole unit

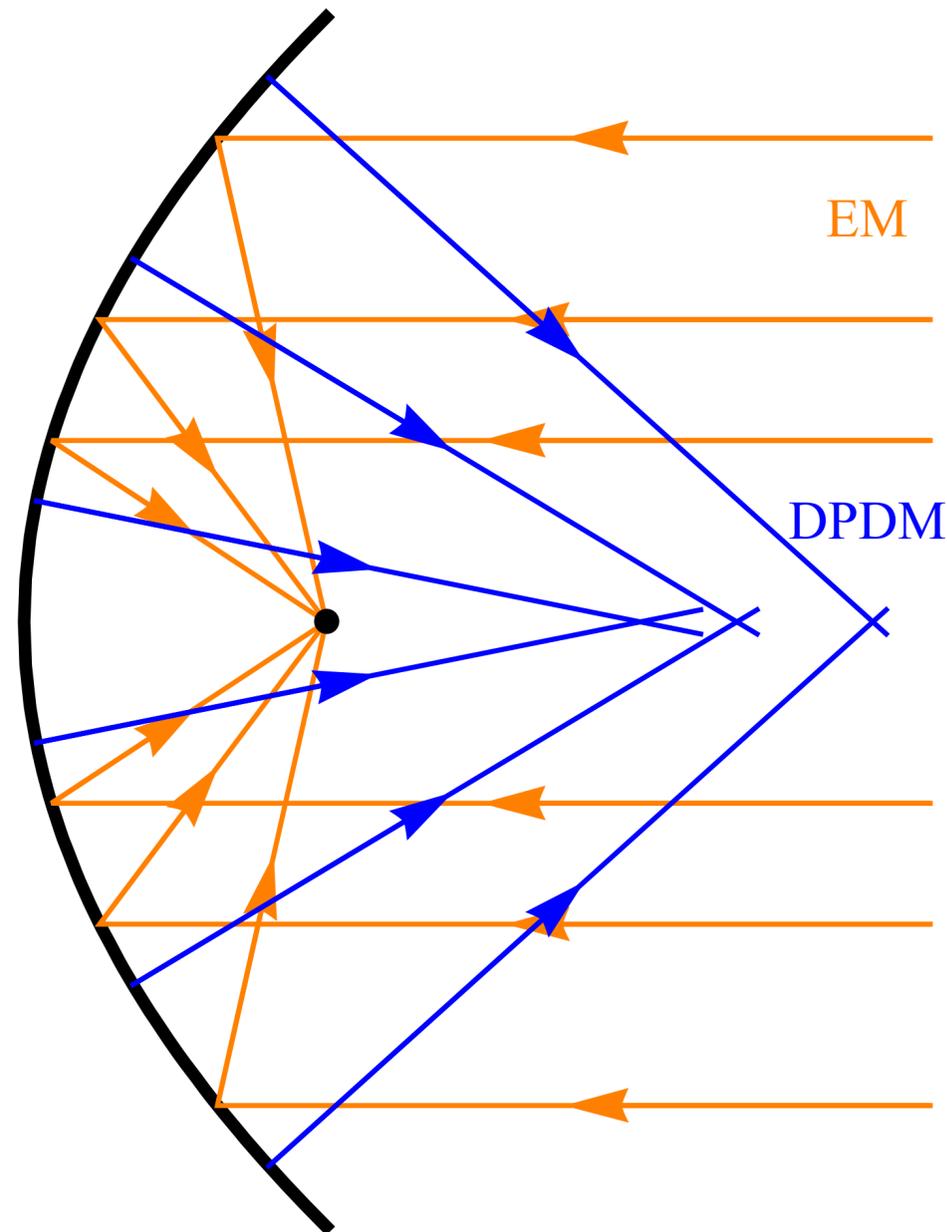
$$\boxed{d\mathbf{p} = 2\epsilon \mathbf{A}'_{\parallel} dS} \longrightarrow \boxed{\mathbf{B} = -\frac{\epsilon m_{A'}^2}{2\pi} \int dS_1 \mathbf{A}'_{\parallel} \times (\mathbf{r} - \mathbf{r}_1) \frac{e^{im_{A'}|\mathbf{r}-\mathbf{r}_1|}}{|\mathbf{r} - \mathbf{r}_1|^2}}$$

- Regular shapes of reflector can be solved
- General shapes need numerical integration

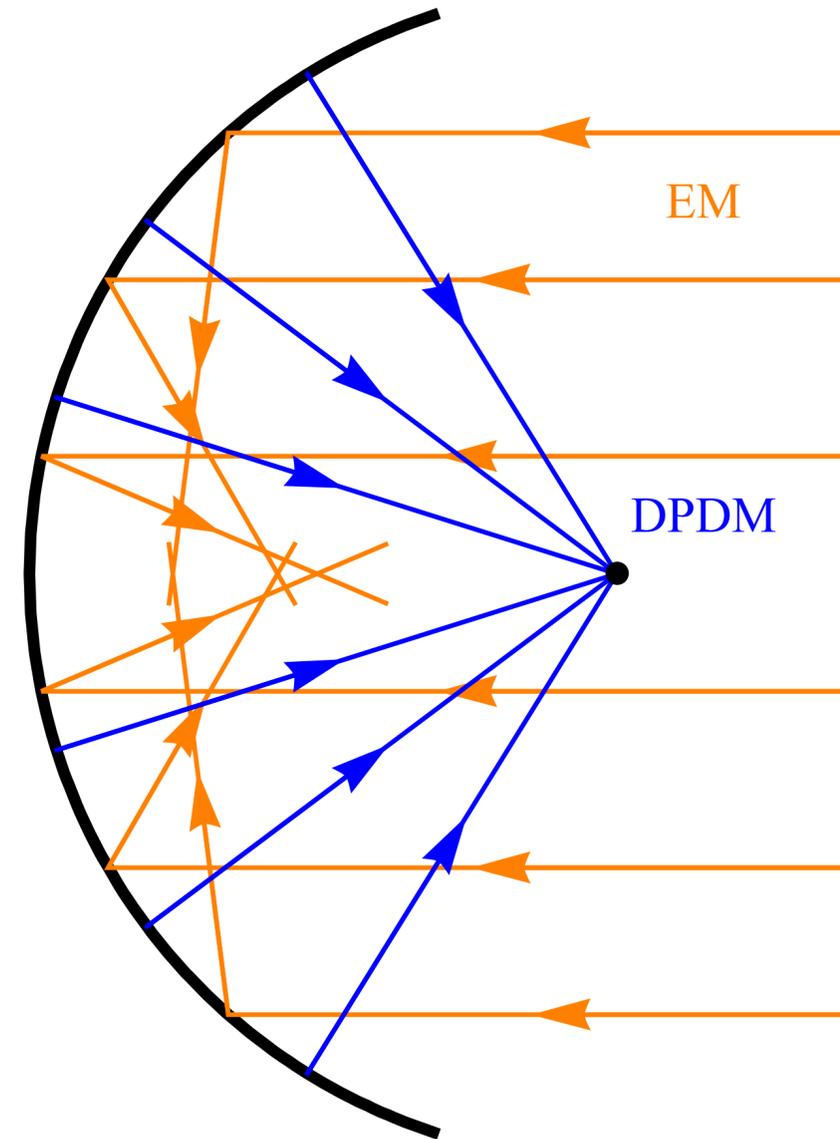


Direct detection of DPDM using **dish antenna** radio telescope

- The signal feature for DPDM with different mirrors



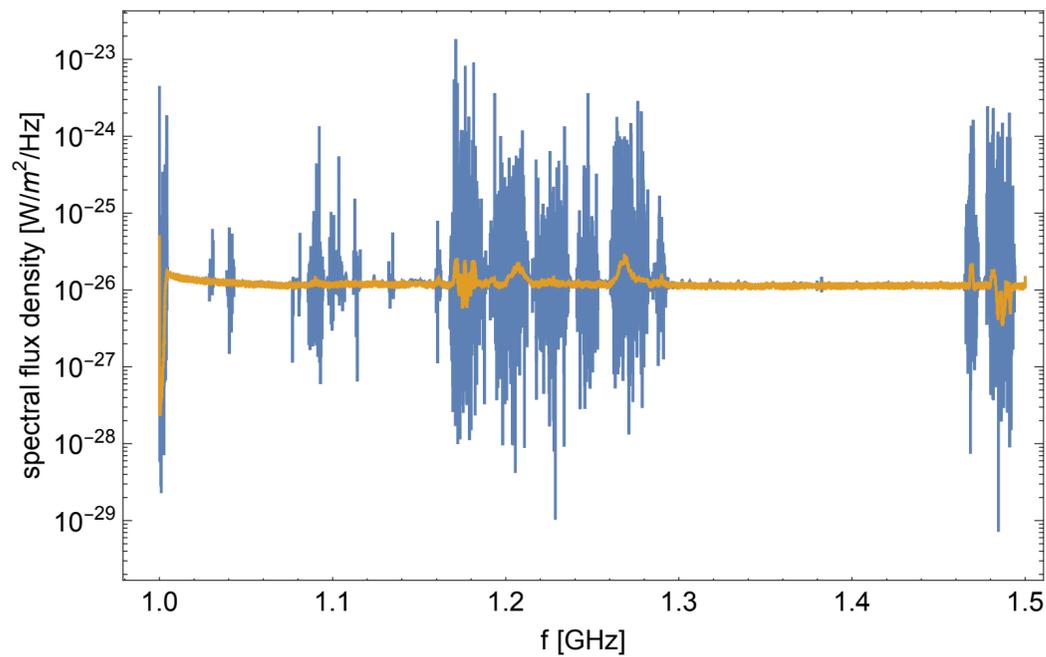
**Parabolic
Mirror**



**Spherical
Mirror**

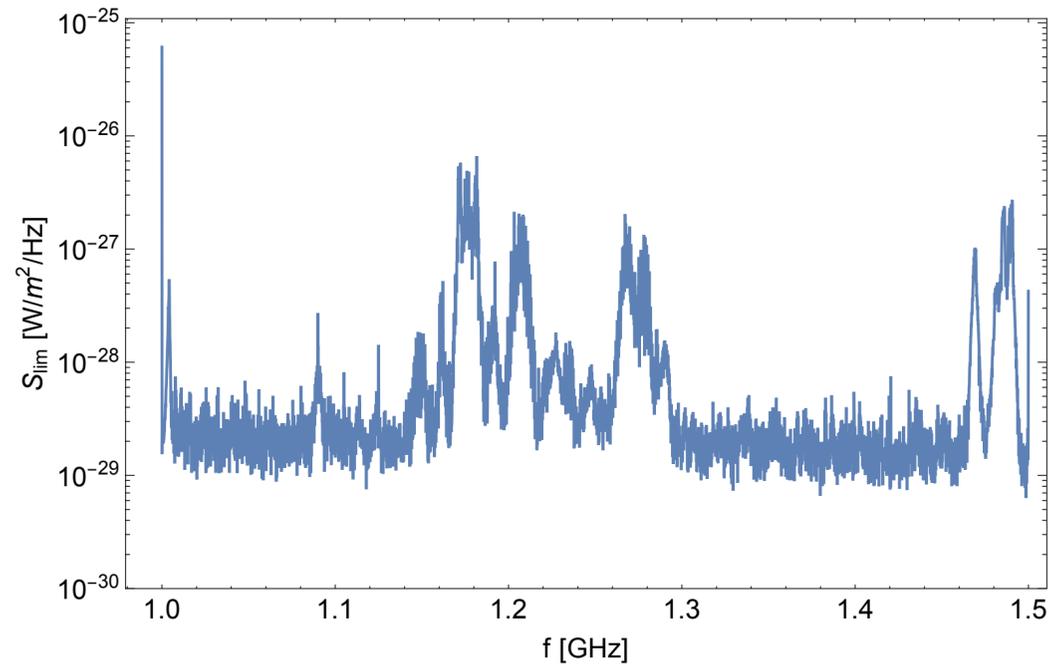
Constraints from FAST observation data

- ‘Bump hunting’ in the frequency data
- Using likelihood-based statistical test



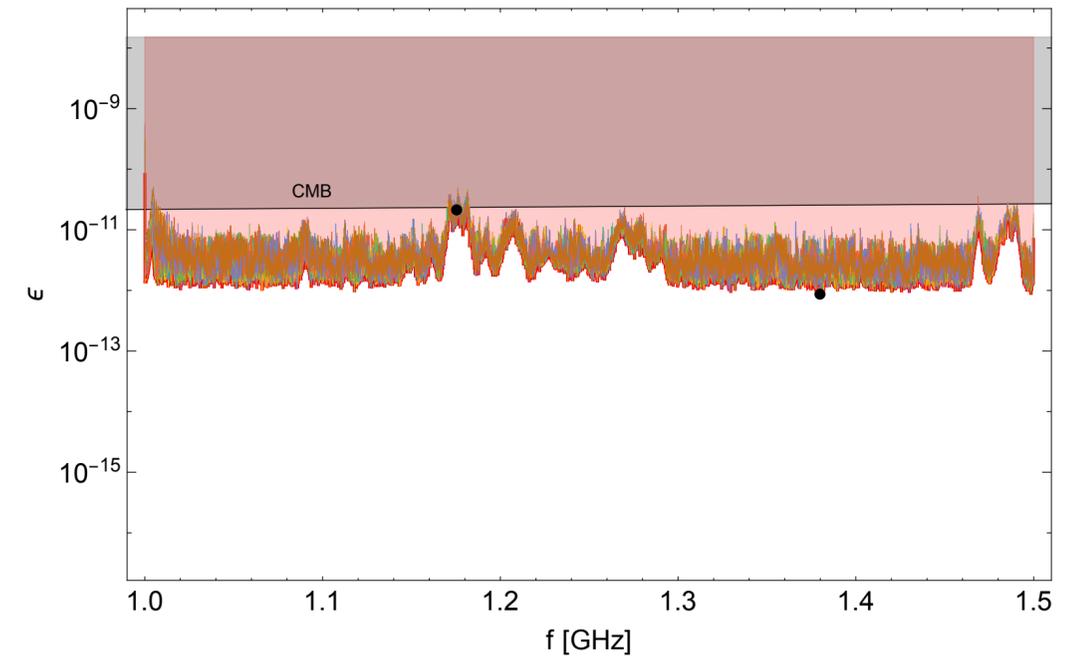
FAST data

$$S_{\text{obs}} \sim 10^{-26} \text{ W m}^{-2} \text{ Hz}^{-1}$$



FAST limit on line signal

$$S_{\text{lim}} \sim 10^{-29} \text{ W m}^{-2} \text{ Hz}^{-1}$$

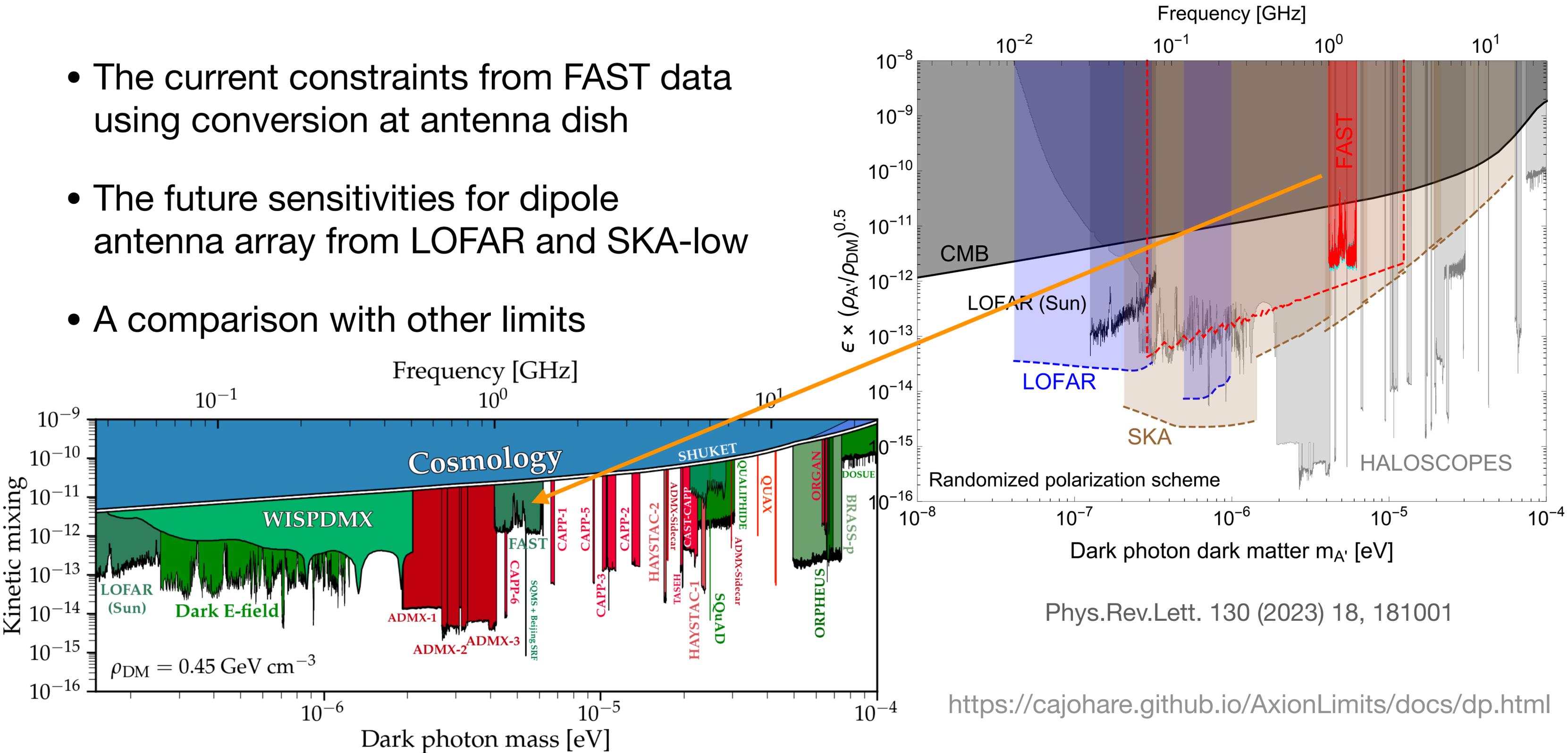


FAST limit on DPDM

$$\epsilon \sim 10^{-12}$$

The results for direct detection of DPDM using FAST radio telescope

- The current constraints from FAST data using conversion at antenna dish
- The future sensitivities for dipole antenna array from LOFAR and SKA-low
- A comparison with other limits



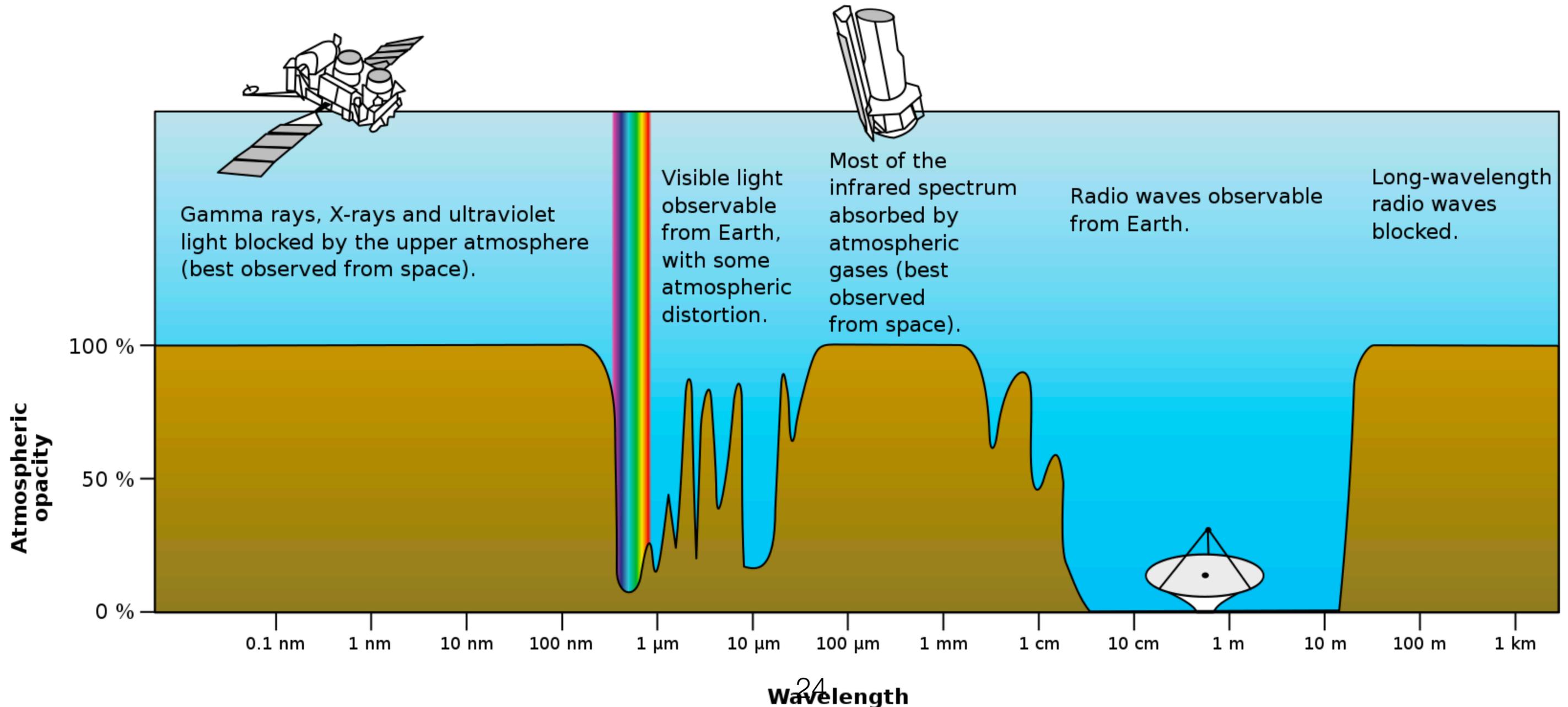
未来与展望：太阳物理观测与超轻暗物质探测

- “千眼天珠”稻城太阳射电望远镜 (Daocheng Solar Radio Telescope)
- 313 **parabolic antennas** of 6-meter diameter each
- Operational frequency: 150 MHz — 450 MHz



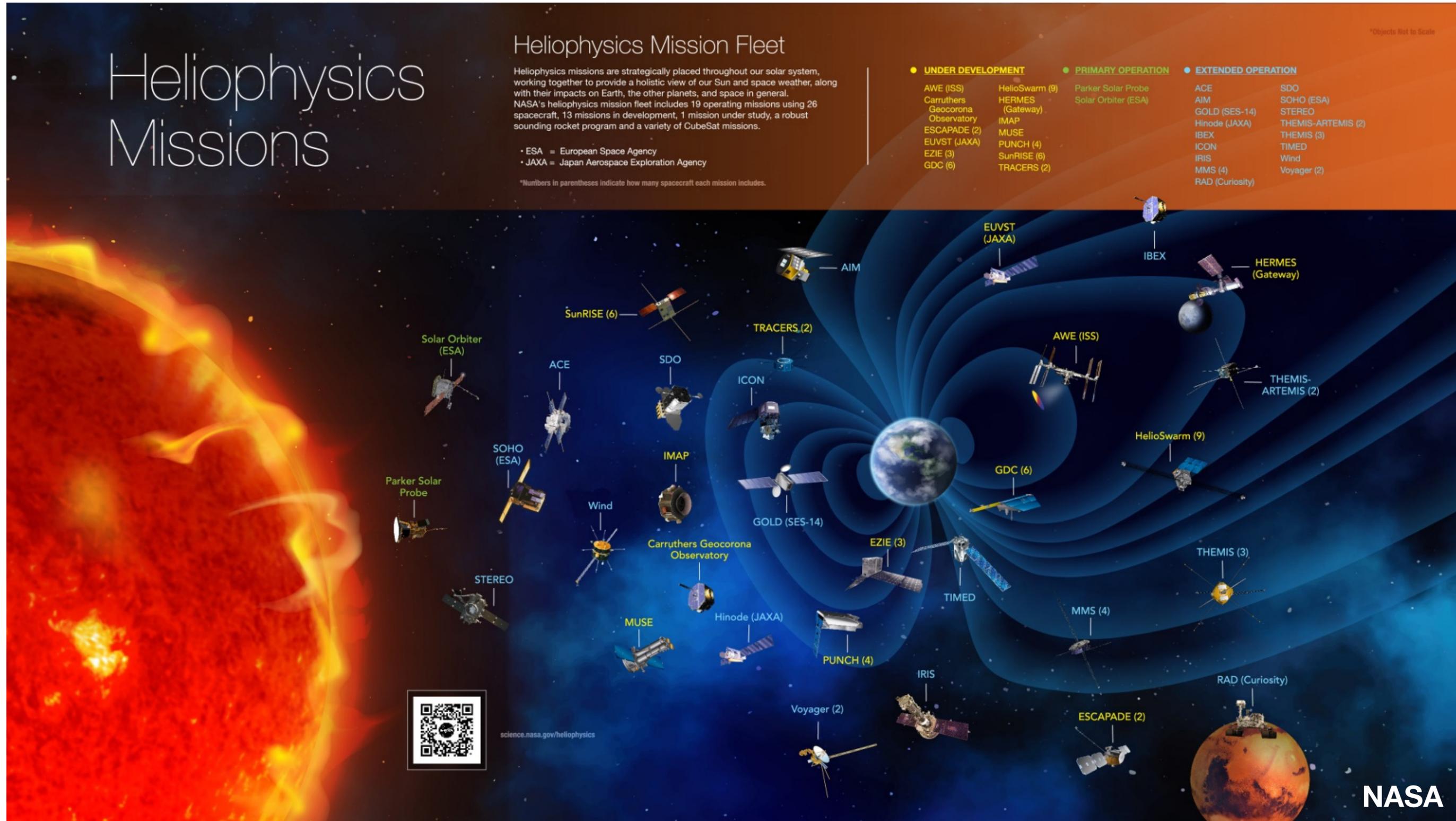
未来与展望：突破Radio Window

- How to detect the frequencies outside the Radio Window?

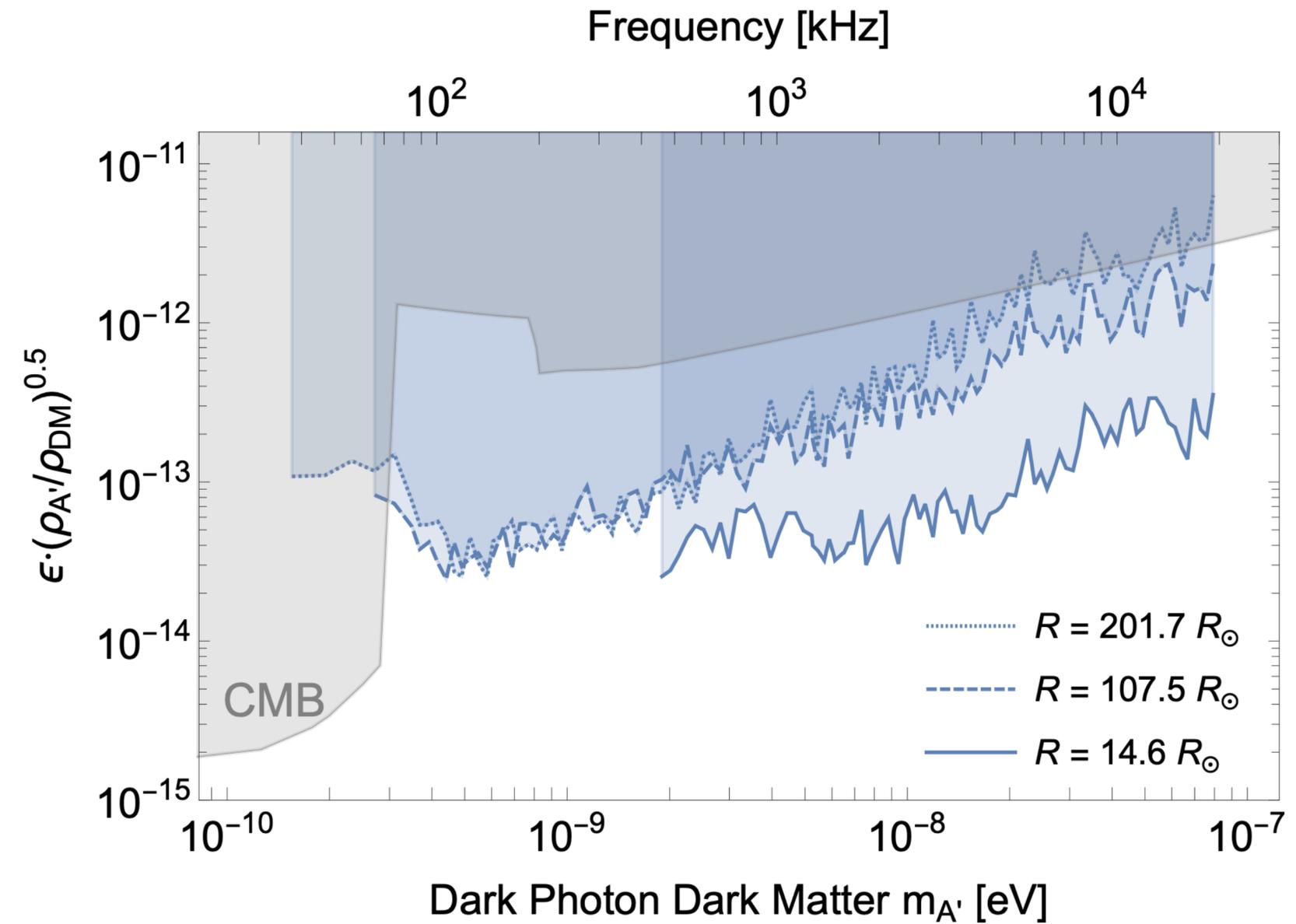
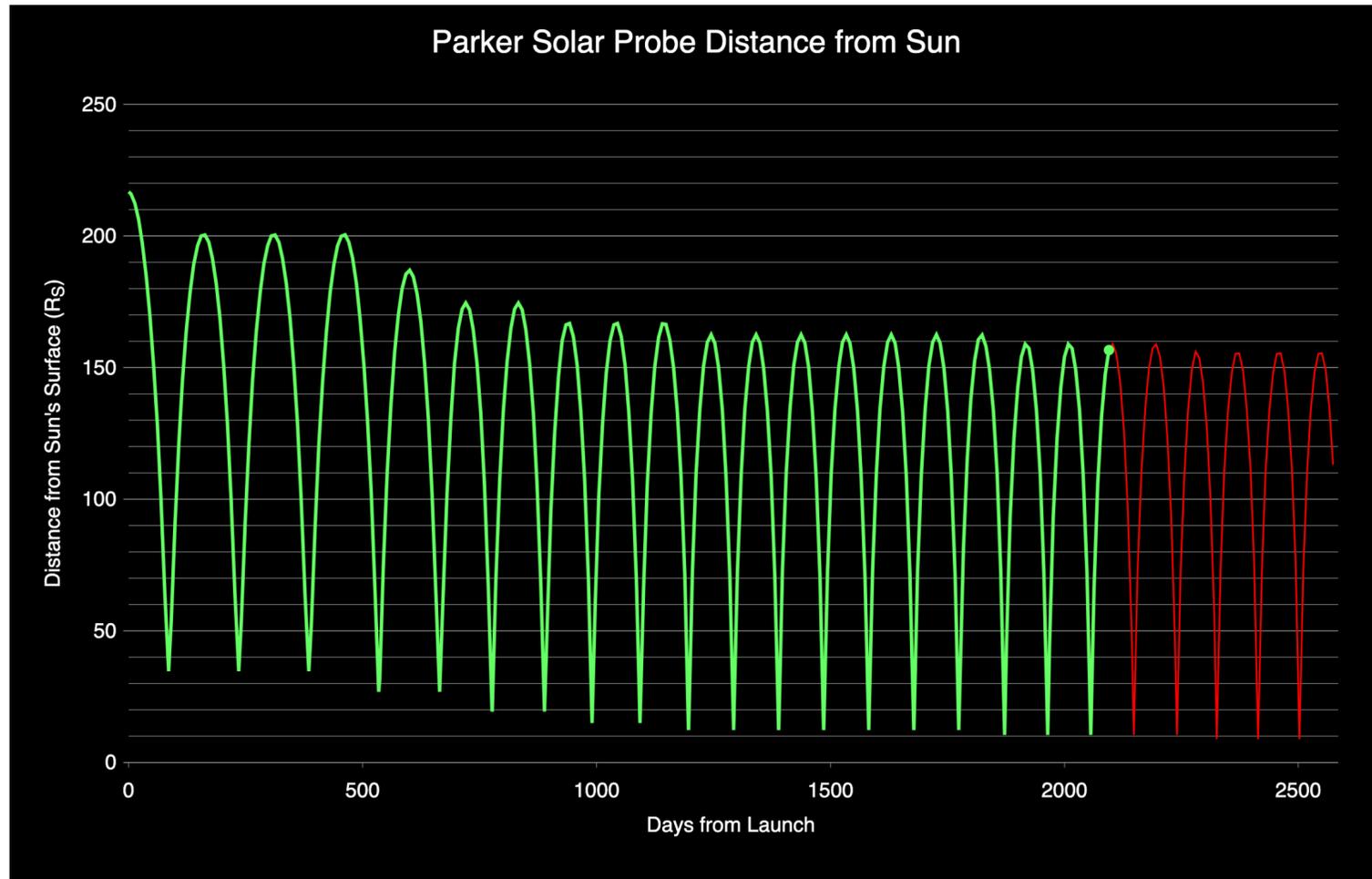


未来与展望：空间天文射电探测

- How to detect the frequencies outside the Radio Window?
- Solar signal: Go Space



Parker Solar Probe preliminary results



Summary

- 超轻玻色型暗物质探测与天文学望远镜观测可以交叉合作
 - 暗光子暗物质可以在太阳等离子体环境中转化为单频光子信号
 - 太阳物理观测数据可以探测超轻暗物质
 - LOFAR、SKA、Daocheng Solar Radio Telescope
 - 暗光子暗物质可以在望远镜反射面或天线阵列转化为单频信号
 - 观测空白天区可以探测超轻暗物质
 - FAST、LOFAR
- 未来可以通过太空射电望远镜探测射电窗口以外的质量区间

