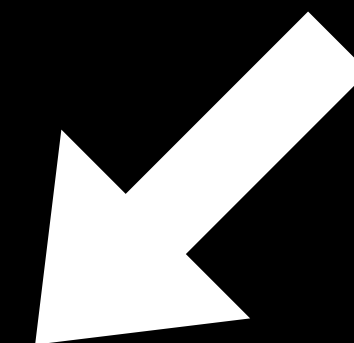
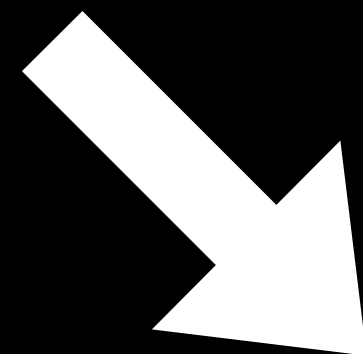


Shedding light on dark matter with gravitational waves: searches in the first part of the fourth observing run of LIGO-Virgo-KAGRA

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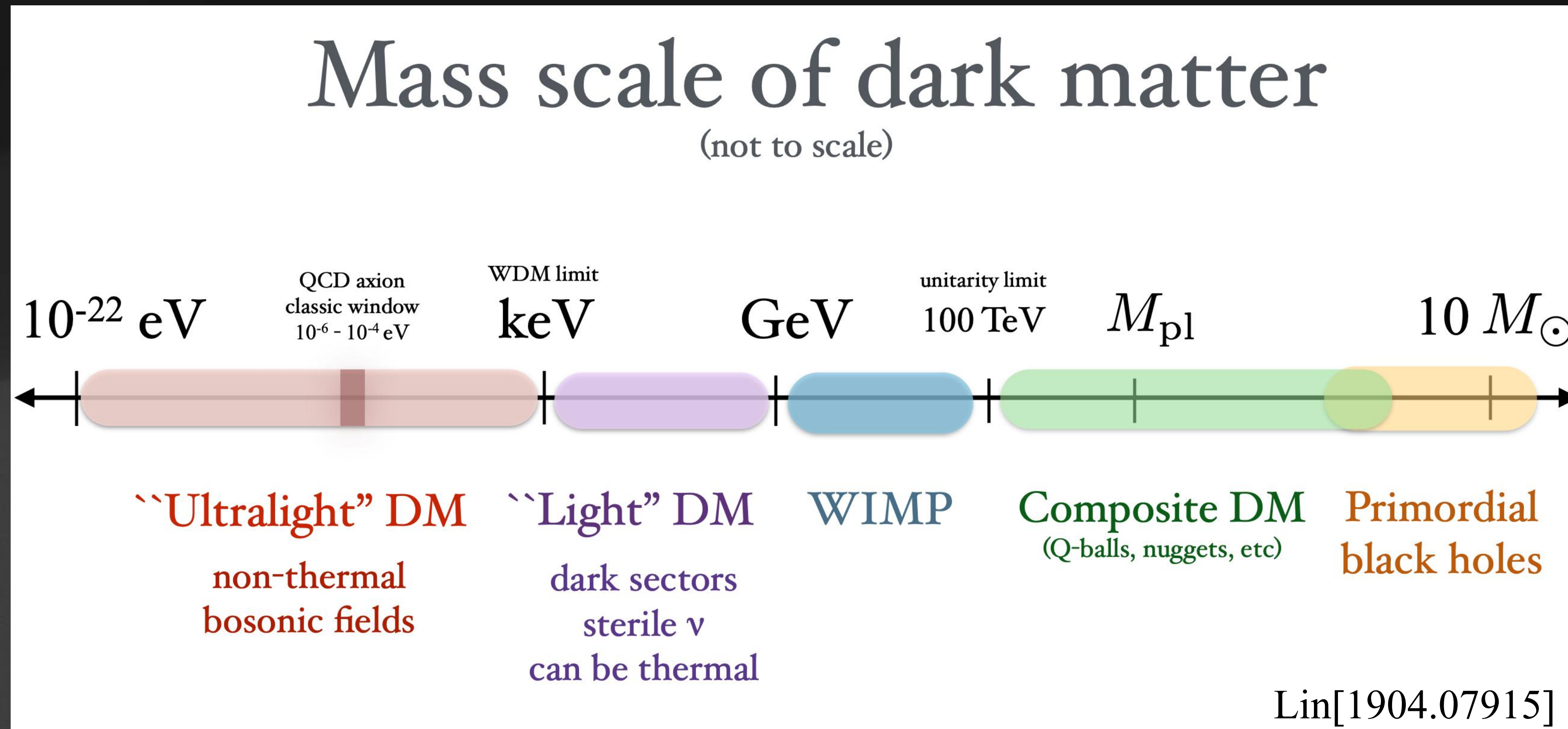


Outline

- Background
- Ultralight dark matter searches
- Light primordial black hole searches
- Conclusions

Background

Dark Matter Candidates

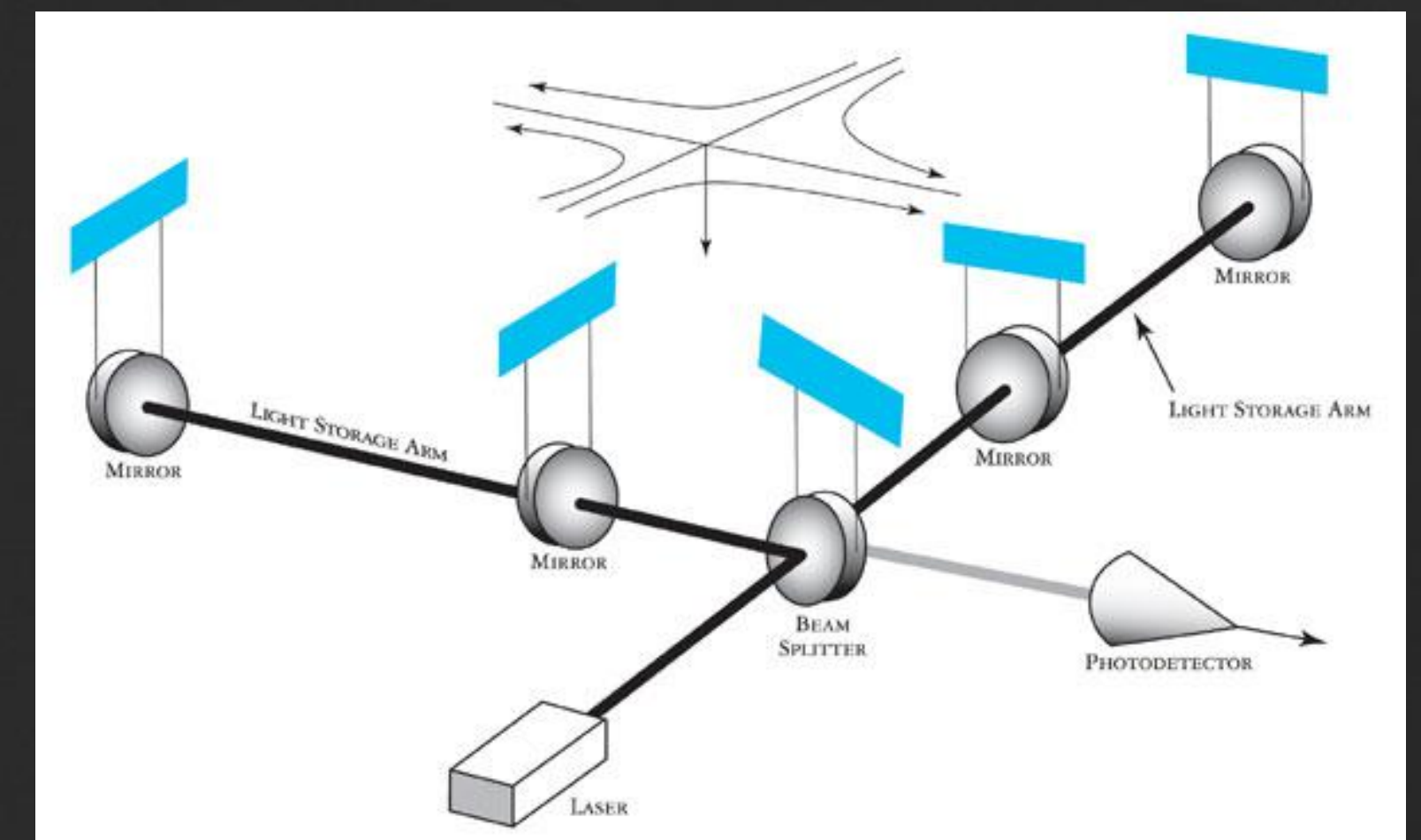


All can be detected with GW: Miller[2503.02607], Bertone et al SciPost[1907.10610]

Ground-based GW Detectors

O4a: 2023-05-24 to 2024-01-16

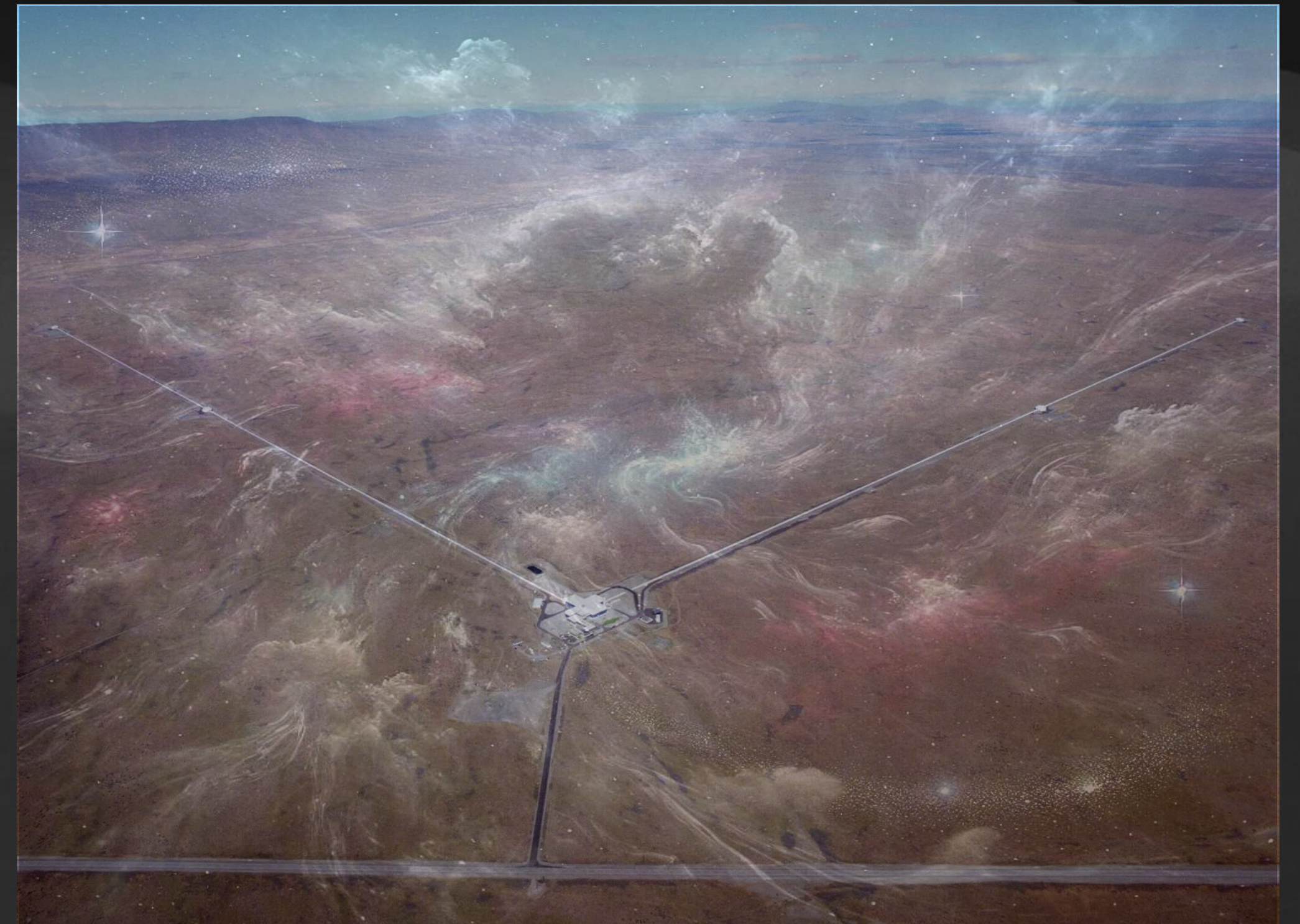
- LIGO, Virgo and KAGRA are km-long size interferometers designed to measure the displacement of test masses (mirrors) in the audio band (10-2000) Hz
- These are precision instruments that measure a *strain* $h \sim \Delta L/L$
- Detection principle: anything that causes a change in length of the interferometer arms can be detected as a “signal”
- Can we use interferometers to detect dark matter?



Ultralight dark matter

- The interferometers sit in a wind of DM
- We can search for *any* type of DM so long as it is cold, ultralight and causes some strain on the detector
- 10-2000 Hz \rightarrow DM mass range $[10^{-14}, 10^{-12}] \text{ eV}/c^2$
- Different DM particles interact with different standard-model ones, leading to similar but distinguishable signals

LIGO Hanford in a dark-matter “ether”



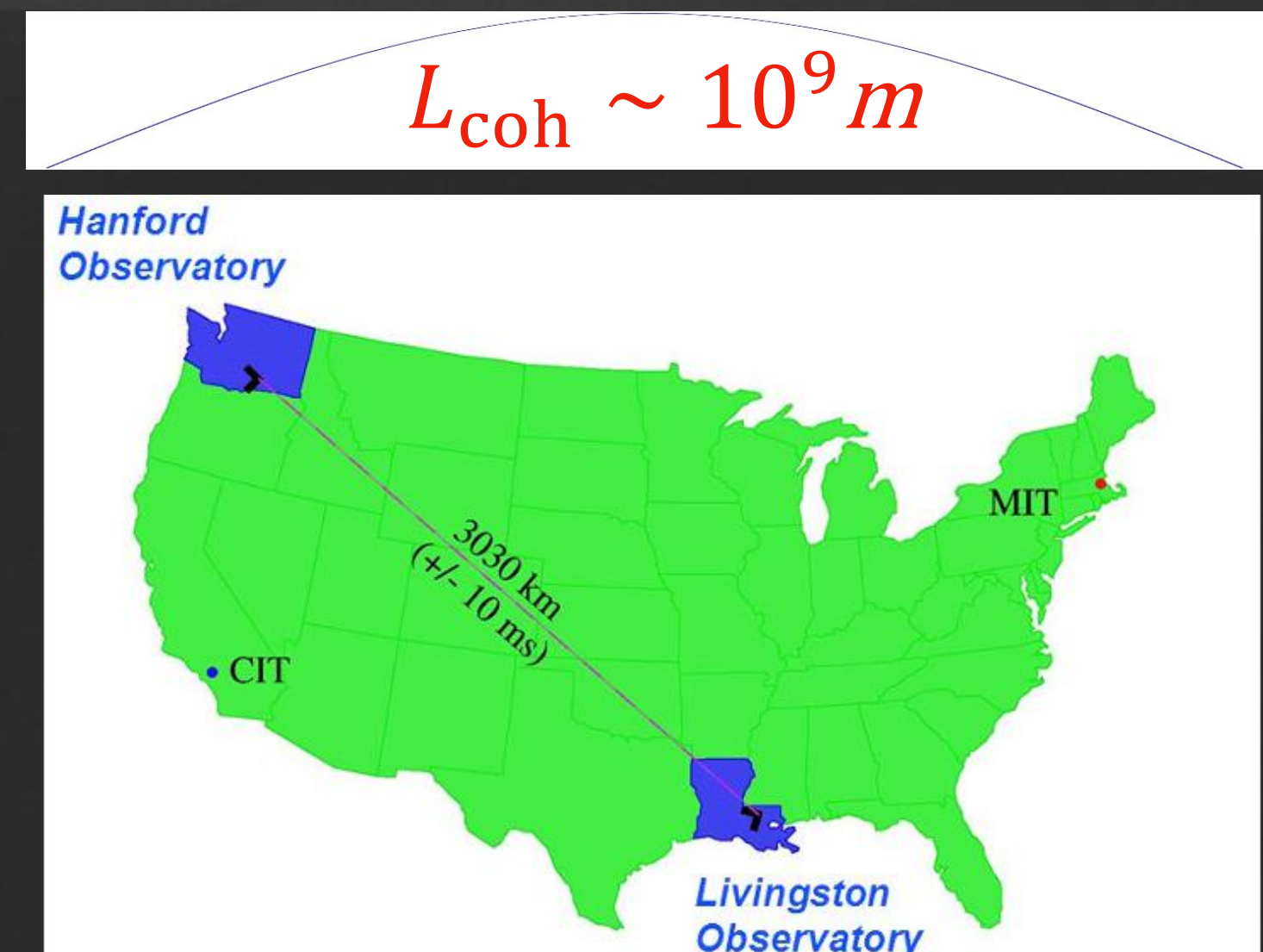
Ultralight dark matter

- Dark matter could directly interact with interferometer components, leading to an observable signal that is NOT a gravitational wave
- If we assume DM is ultralight, then we can calculate the number of DM particles in a region of space
- Huge number of particles modelled as superposition of plane waves, with velocities Maxwell-Boltzmann distributed around $v_0 \sim 220 \text{ km/s}$
- DM induces stochastic frequency modulation $\Delta f/f \sim v_0^2/c^2 \sim 10^{-6} \rightarrow$ finite wave coherence time

$$T_{\text{coh}} = \frac{4\pi\hbar}{m_A v_0^2} = 1.4 \times 10^4 \text{ s} \left(\frac{10^{-12} \text{ eV}/c^2}{m_A} \right)$$

$$N_o = \lambda^3 \frac{\rho_{\text{DM}}}{m_A c^2} = \left(\frac{2\pi\hbar}{m_A v_0} \right)^3 \frac{\rho_{\text{DM}}}{m_A c^2}$$

$$\approx 1.69 \times 10^{54} \left(\frac{10^{-12} \text{ eV}/c^2}{m_A} \right)^4$$



Pierce et al. 2018, PRL 121, 061102

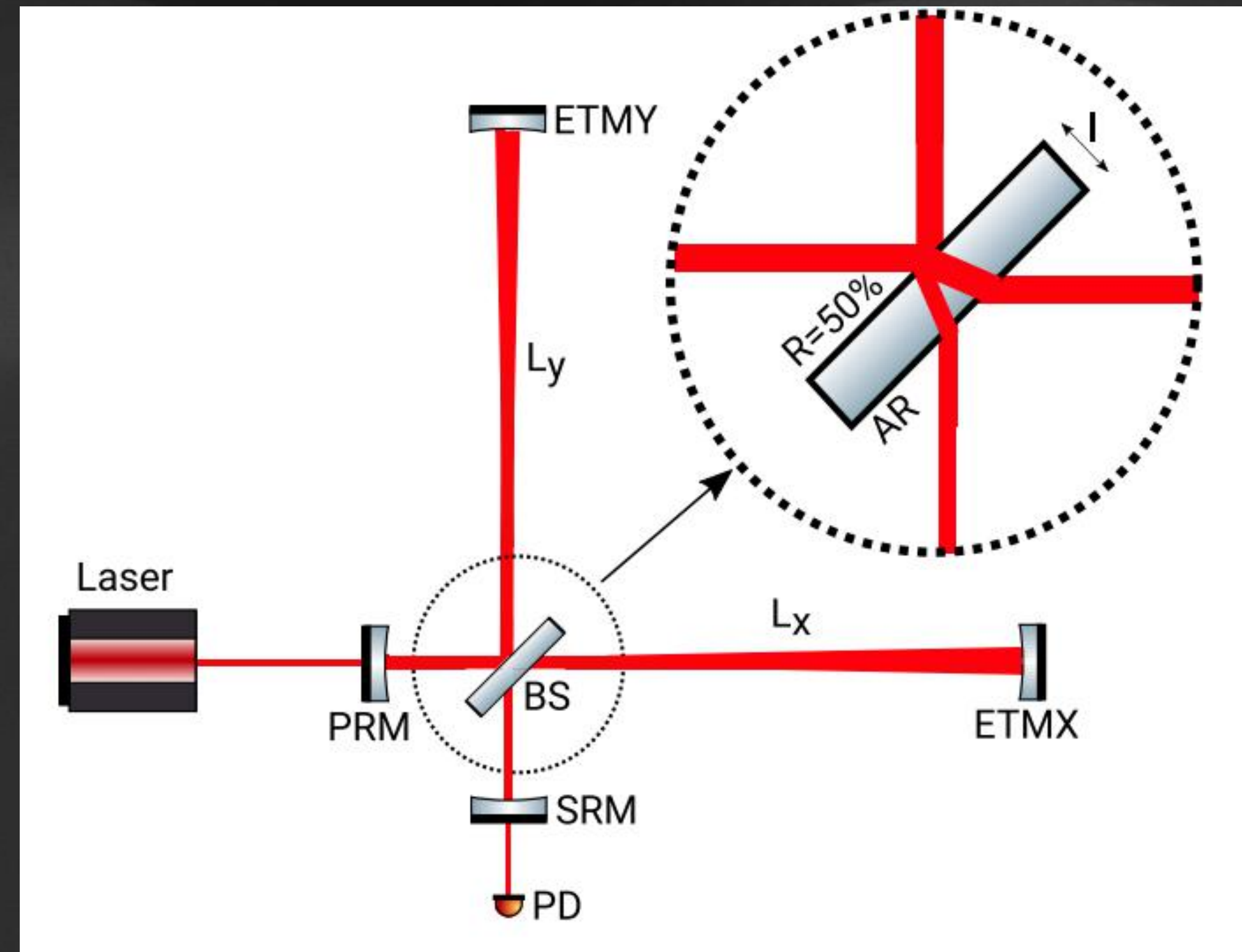
Types of ultralight dark matter

- Scalar dark matter (spin 0): Expand/Contract mirrors
- Dark photon dark matter (spin 1): Accelerate mirrors
- Tensor dark matter (spin 2): Modify gravity

Scalar dark matter

- ↪ Couples with strengths $\Lambda_\gamma, \Lambda_e$ to standard model photon and electron fields, respectively
- ↪ Causes oscillations in
 - ↪ Beamsplitter: splitting occurs far from centre of mass
 - ↪ Test masses: Asymmetry from thickness differences

$$\mathcal{L}_{\text{int}} \supset \frac{\phi}{\Lambda_\gamma} \frac{F_{\mu\nu} F^{\mu\nu}}{4} - \frac{\phi}{\Lambda_e} m_e \bar{\psi}_e \psi_e$$



Vector bosons: dark photons

\underline{m}_A : dark photon mass

$\underline{\epsilon}_D$: coupling strength

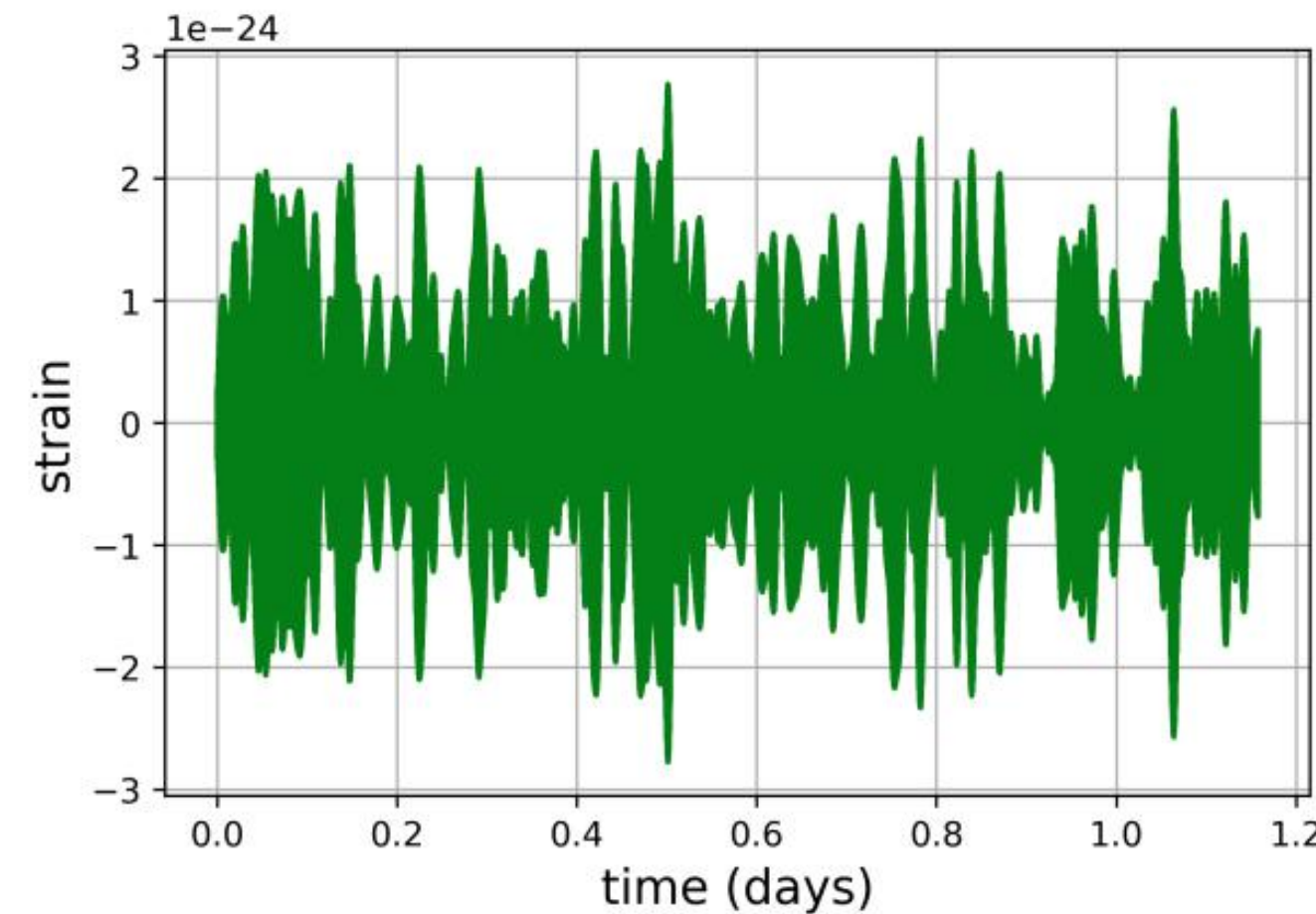
\underline{A}_μ : dark vector potential

$$\mathcal{L} = -\frac{1}{4}F^{\mu\nu}F_{\mu\nu} + \frac{1}{2}m_A^2 A^\mu A_\mu - \epsilon_D e J_D^\mu A_\mu,$$

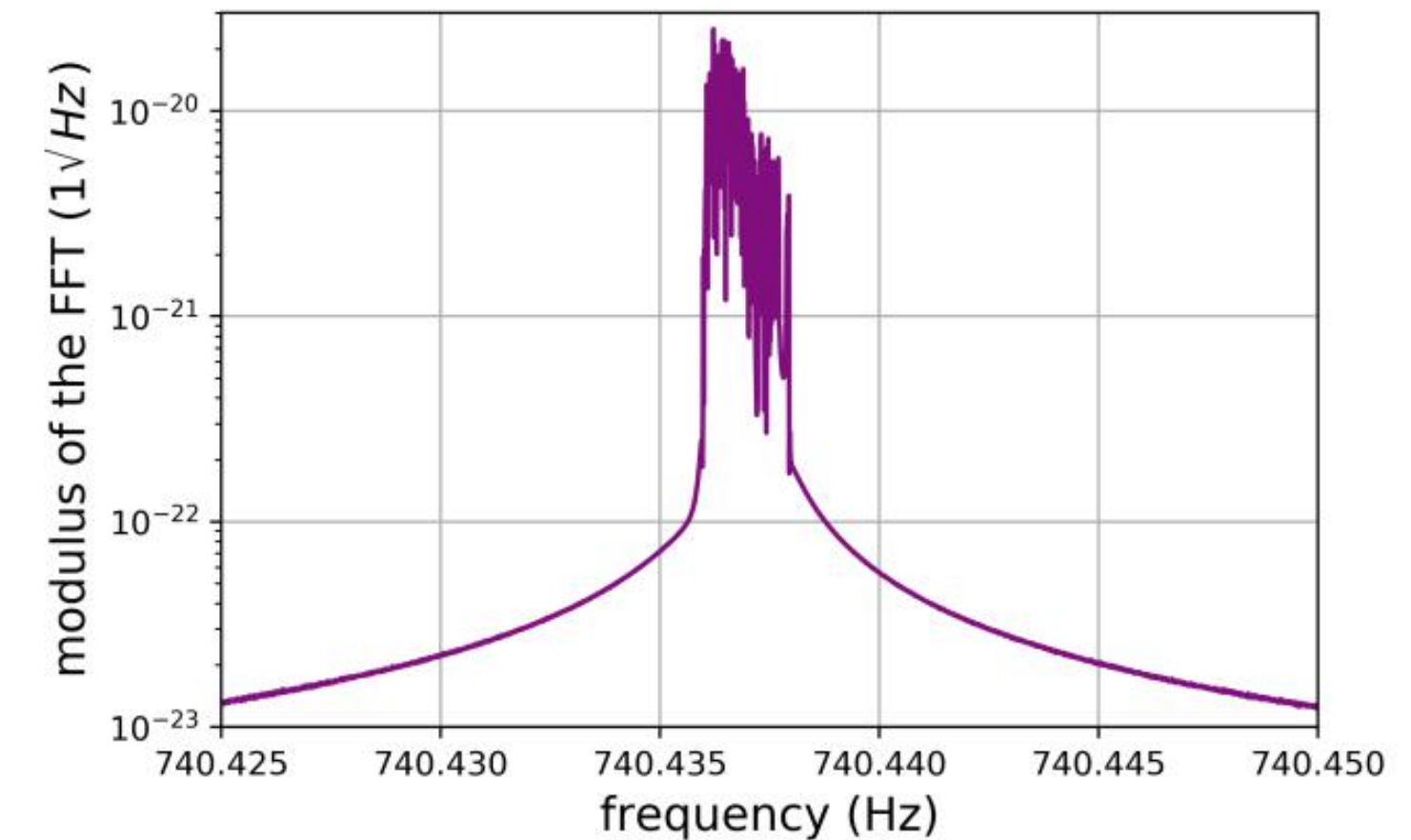
- Gauge boson that interacts weakly with protons and neutrons (baryons) or just neutrons (baryon-lepton number) in materials
- Mirrors sit in different places w.r.t. incoming dark photon field \rightarrow differential strain from a spatial gradient in the dark photon field
- Apparent strain results from a “finite light travel time” effect

The signal and analysis strategy

- Example of simulated dark photon dark matter interaction
- Power spectrum structure results from superposition of plane waves, visible when $T_{\text{FFT}} > T_{\text{coh}}$
- Break dataset into smaller chunks of length $T_{\text{FFT}} \sim T_{\text{coh}}$ to confine this frequency modulation to one bin, then sum power in each chunk



(a)



(b)

- One day shown, but signal lasts longer than observing run

Cross Correlation

- SNR = detection statistic, depends on cross power and the PSDs of each detector
- j: frequency index; i: FFT index
- SNR computed in each frequency bin, summed over the whole observation run
- Overlap reduction function = -0.9 because dark photon coherence length \gg detector separation
- Frequency lags computed to estimate background

$$S_j = \frac{1}{N_{\text{FFT}}} \sum_{i=1}^{N_{\text{FFT}}} \frac{z_{1,ij} z_{2,ij}^*}{P_{1,ij} P_{2,ij}}$$

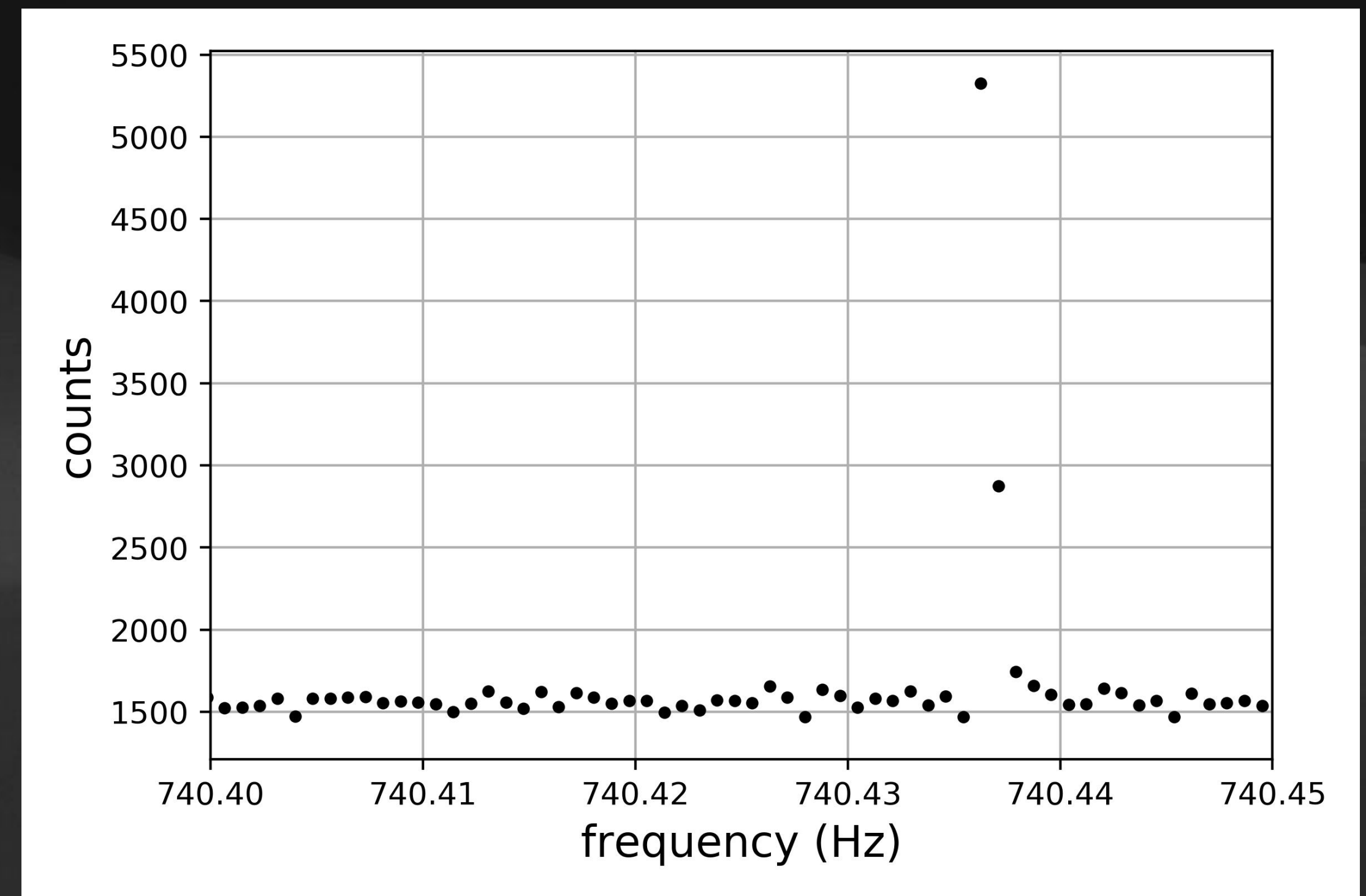
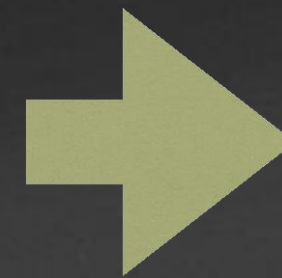
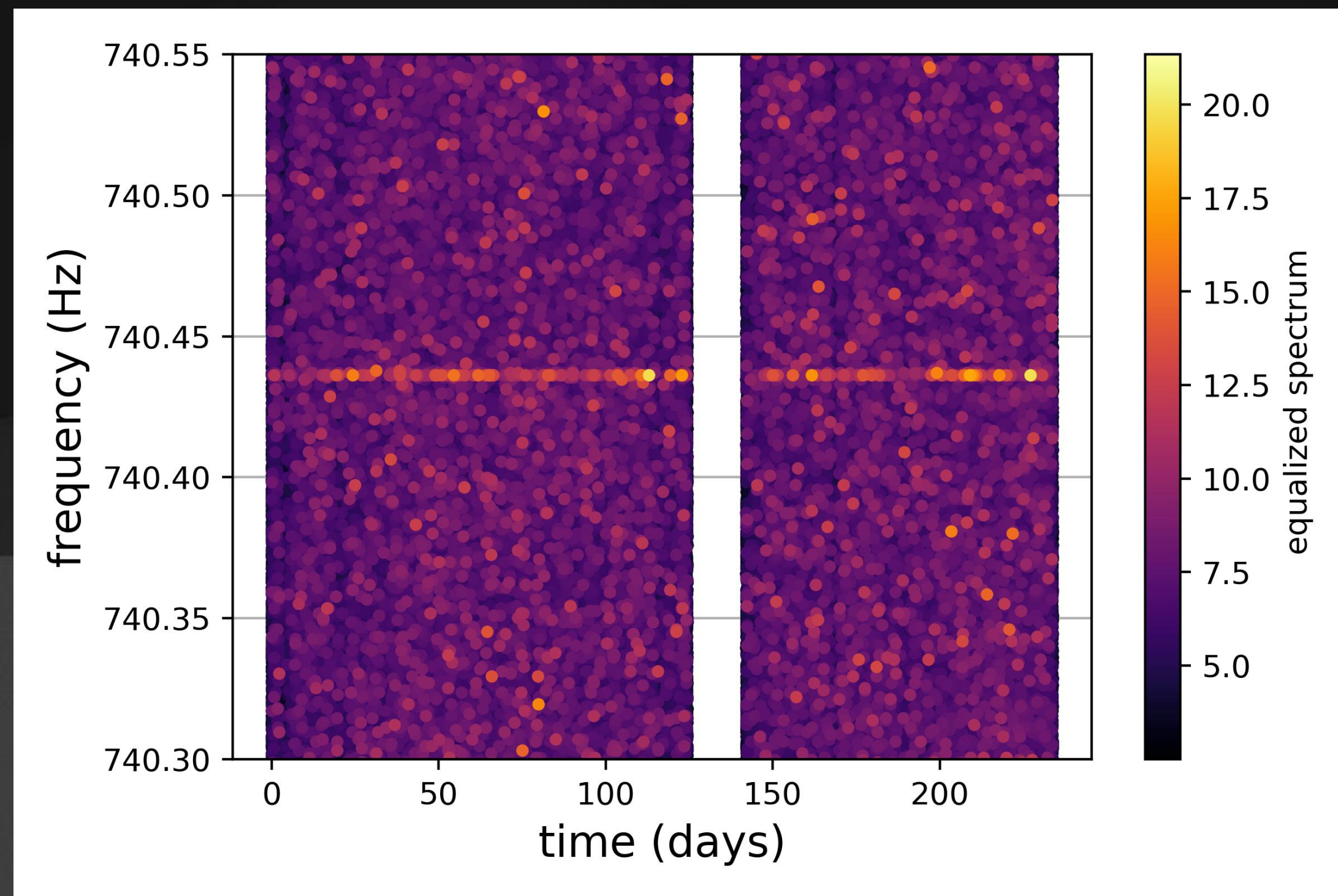
$$\sigma_j^2 = \frac{1}{N_{\text{FFT}}} \left\langle \frac{1}{2P_{1,ij} P_{2,ij}} \right\rangle_{N_{\text{FFT}}}$$

$$\text{SNR}_j = \frac{S_j}{\sigma_j}$$

Pierce et al. (2018), PRL 121, 061102

Guo et al. (2019) Nat. Communications Physics 2.1, 155

Projection of excess power



- Determine time/frequency points above a certain power threshold and histogram on frequency axis
- Benefits w.r.t. matched filtering: robust against noise disturbances, gaps, theoretical uncertainties
- Simulated signal shown here

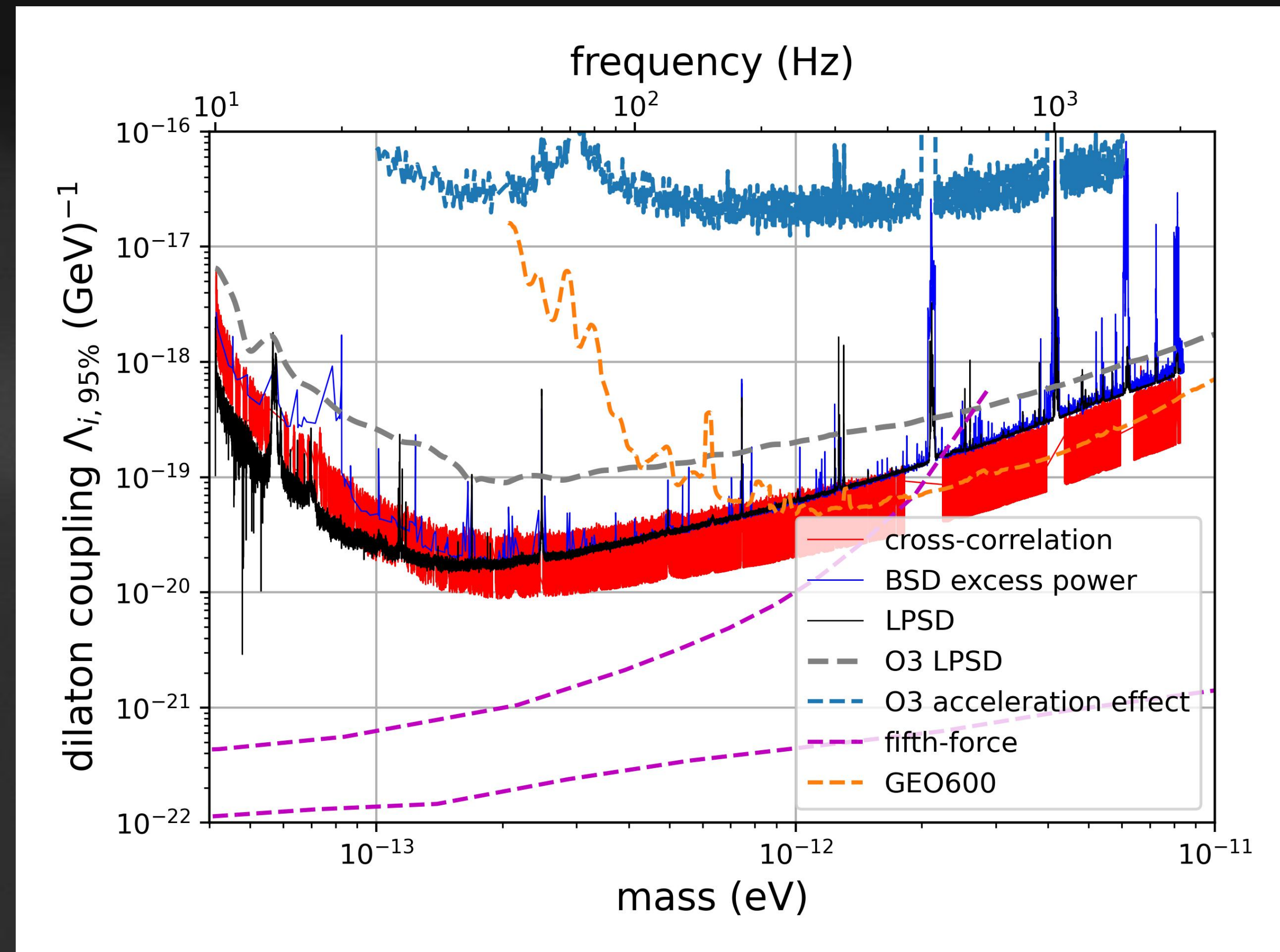
LPSD

- Logarithmically-spaced frequencies: Adjust Fourier length in every bin
- Adapted method from computer-music to avoid crippling costs
- Drawback: need long stretches of coincident data, $\gtrsim 10^5$ s

Results

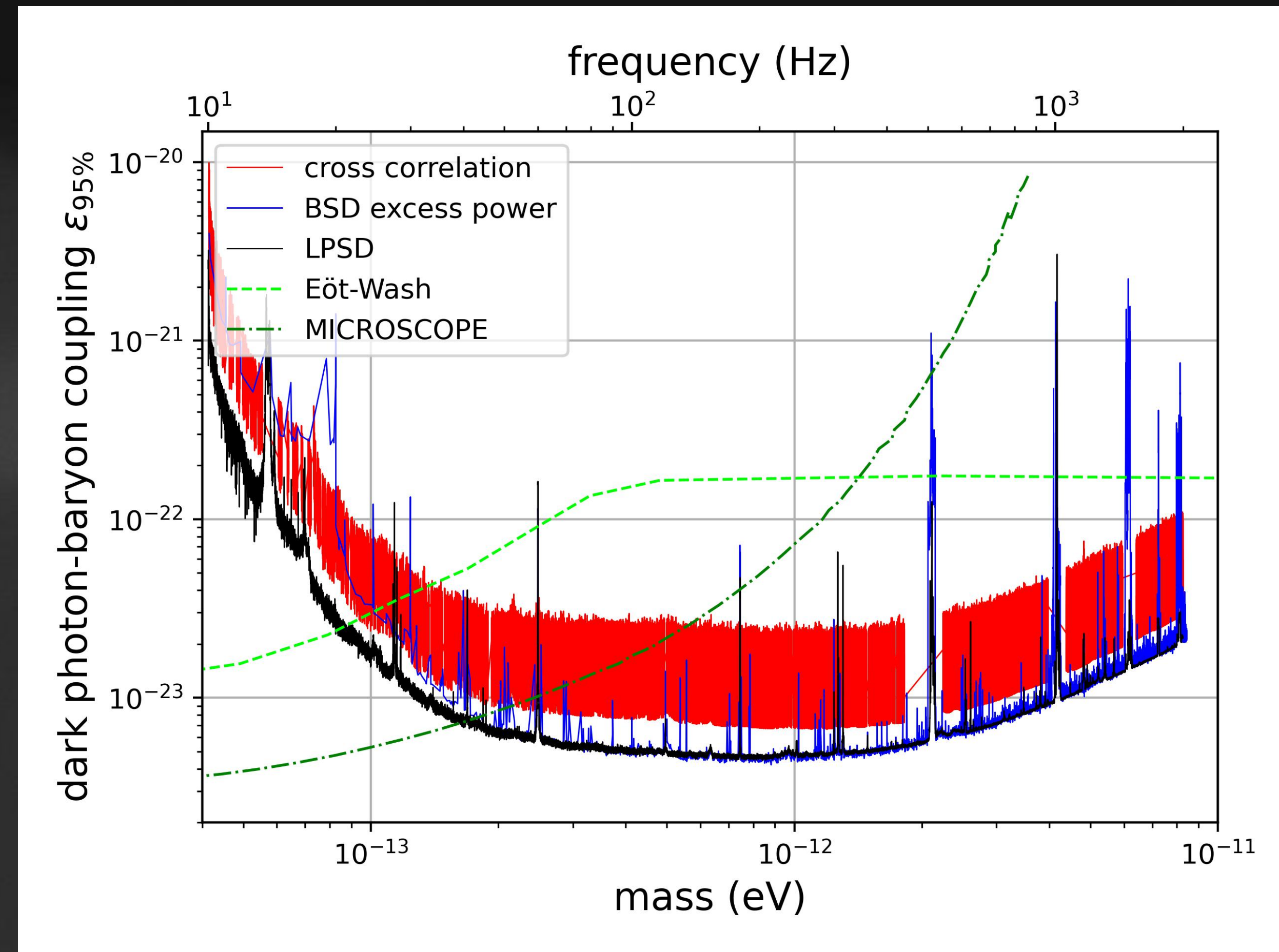
Constraints on scalars

- Direct constraints on coupling constant of scalars to standard model particles
- One order of magnitude improvement over constraints w.r.t O3 and GEO results



Constraints on vectors

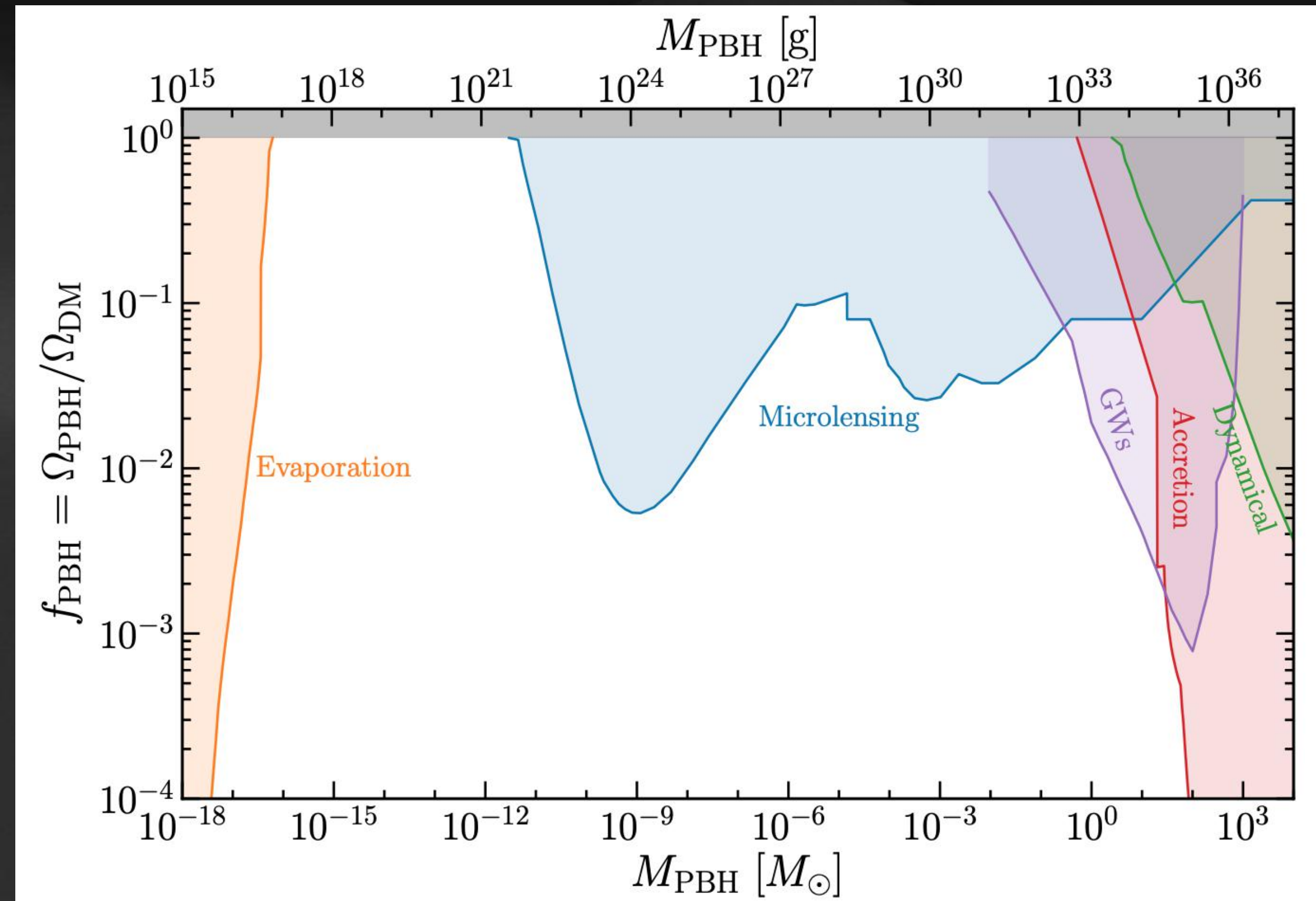
- Here, two effects contribute: spatial and temporal strains
- Cross correlation method is less sensitive to the finite light travel time effect \rightarrow weaker than the other two methods
- Our limits beat existing ones by ~ 1 order of magnitude



Light PBH Searches (O3a)

Primordial Black Holes

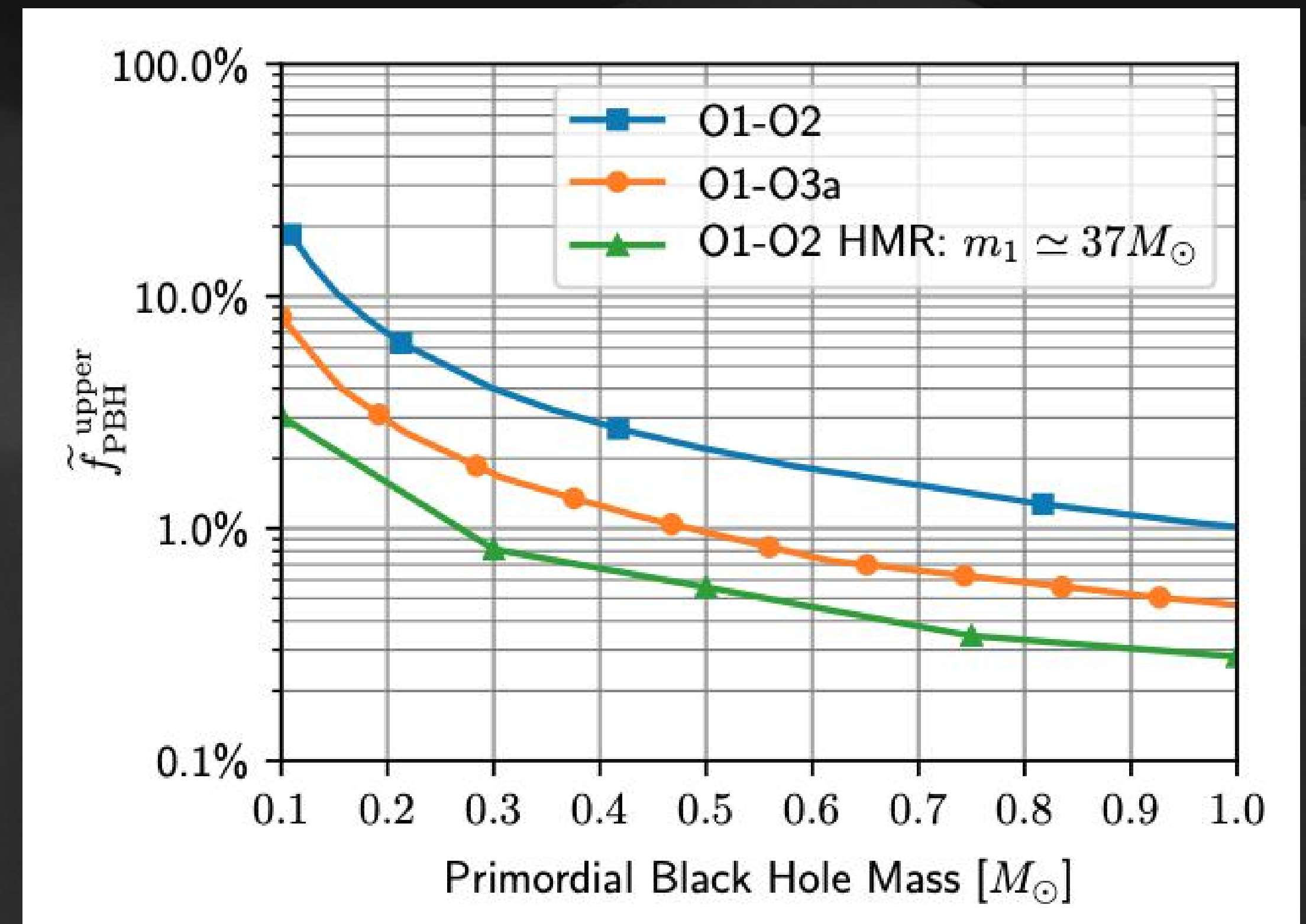
- Low spins of LIGO/Virgo black holes, and merging rate inferences have revived interest in PBHs
- BHs that formed in the early universe can take on a wide range of masses
- Possible links to dark matter



Green and Kavanagh. Journal of Physics G: Nuclear and Particle Physics 48.4 (2021): 043001.

Motivation

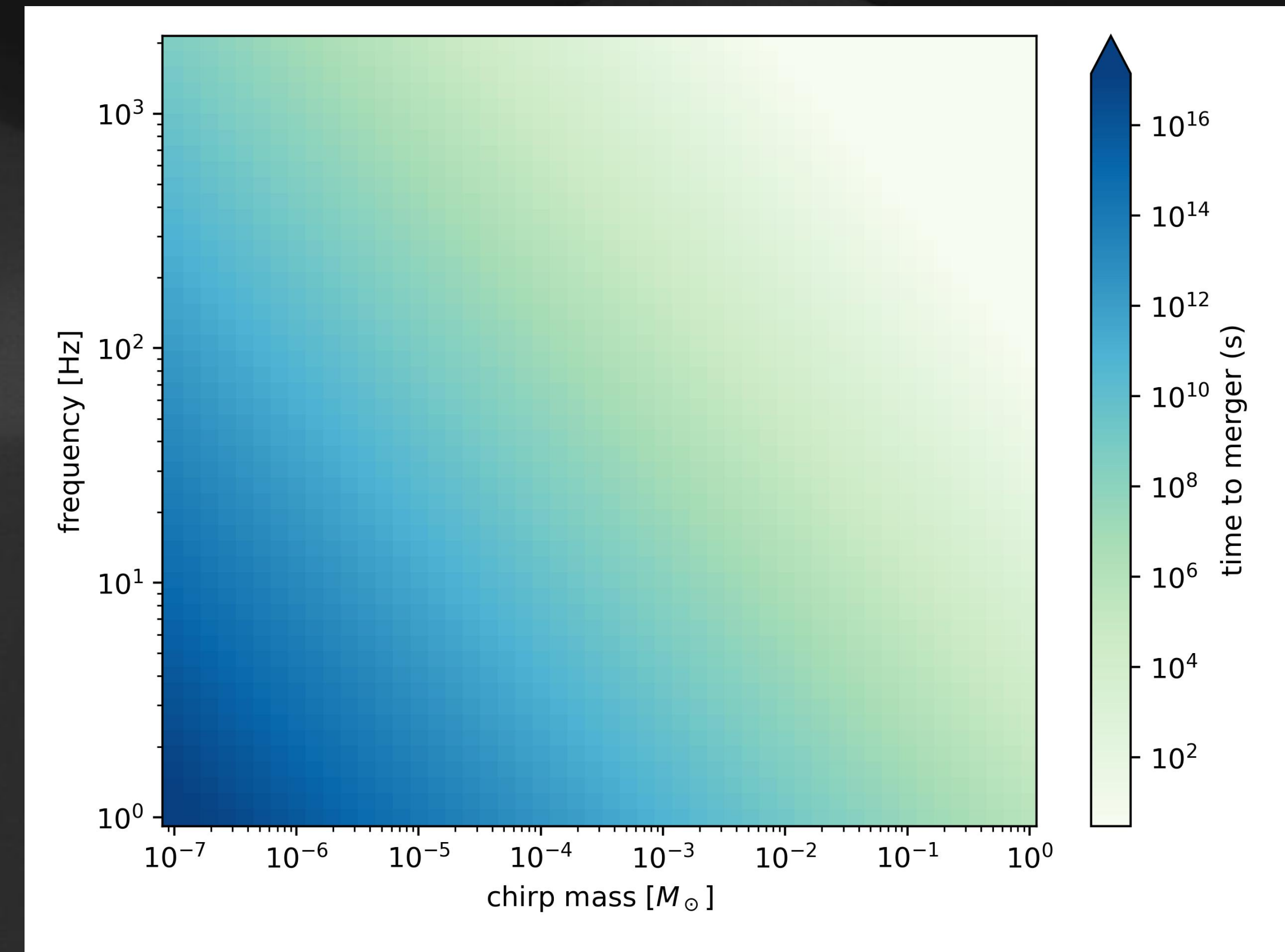
- Many GW efforts to detect PBHs focus on “sub-solar mass” regime, $\mathcal{O}(0.1 M_\odot)$
- However, GWs from PBHs with masses $[10^{-7} - 10^{-3}]M_\odot$ have not been searched for
- Matched filtering in this mass range is extremely computationally challenging
- Signals for binaries in this mass range resemble continuous waves



Nitz & Wang: Phys.Rev.Lett. 127 (2021) 15, 151101.
LVK: Phys.Rev.Lett. 129 (2022) 6, 061104
LVK: arXiv: 2212.01477

GWs from inspiraling PBHs

- ~[10^{-7} - 10^{-3}] M_{\odot} give rise to signals that are *long lasting*, compared to those detected from $O(M_{\odot})$ black holes
- The GW frequency evolution of these binaries can be described as quasi-Newtonian circular orbits
- Techniques used in GW data analysis for quasi-monochromatic or power-law signals can also be applied to detect PBHs
- Matched filtering in this mass range is extremely computationally challenging



“Transient” continuous waves

- Signal frequency evolution over time follows a power-law and lasts $\mathcal{O}(\text{hours} - \text{days})$
- Can describe gravitational waves from the inspiral portion of a light-enough binary system, or from a system far from coalesces

- Gravitational waves from quasi-Newtonian orbit

$$\dot{f} = \kappa f^n$$

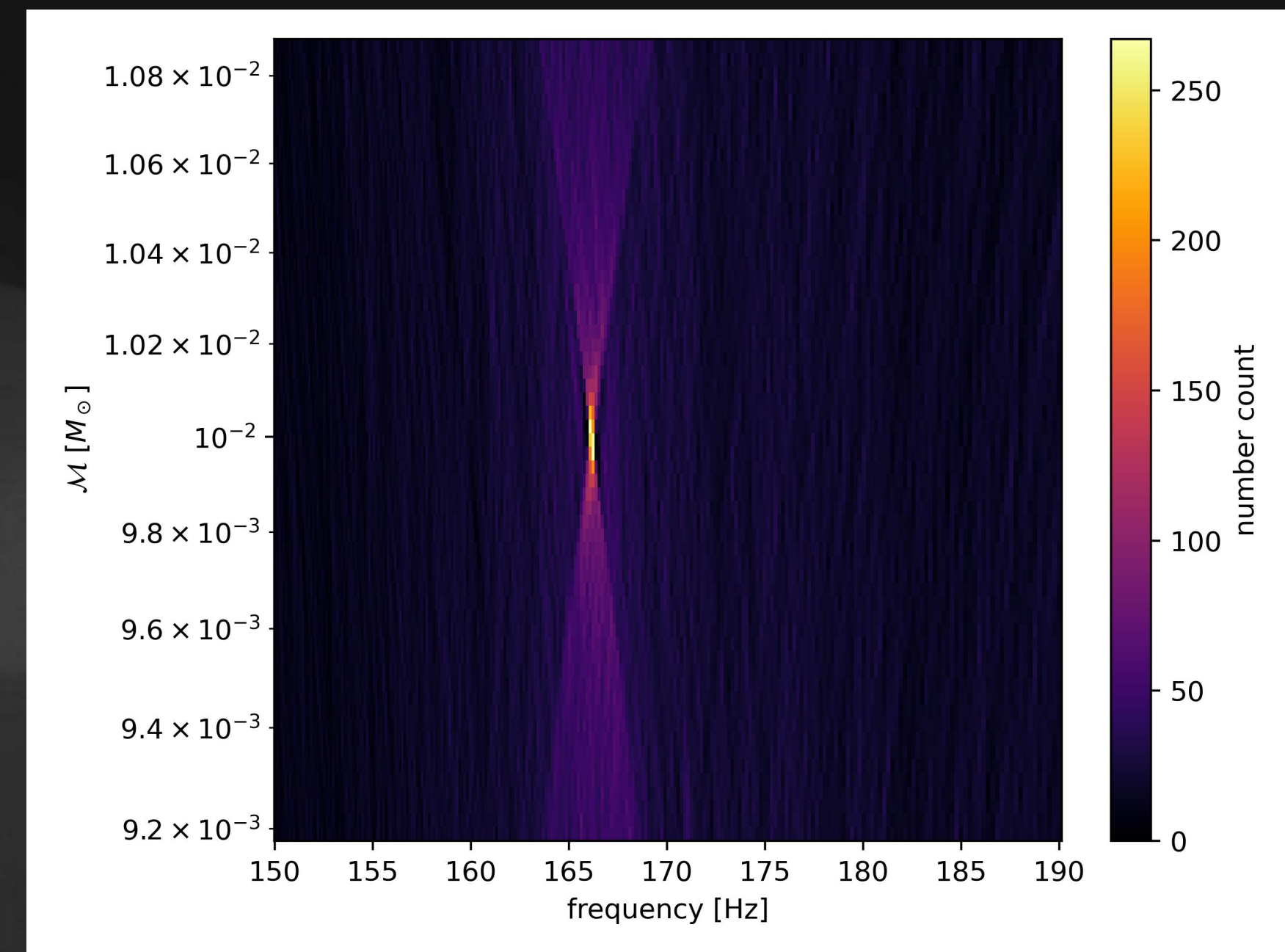
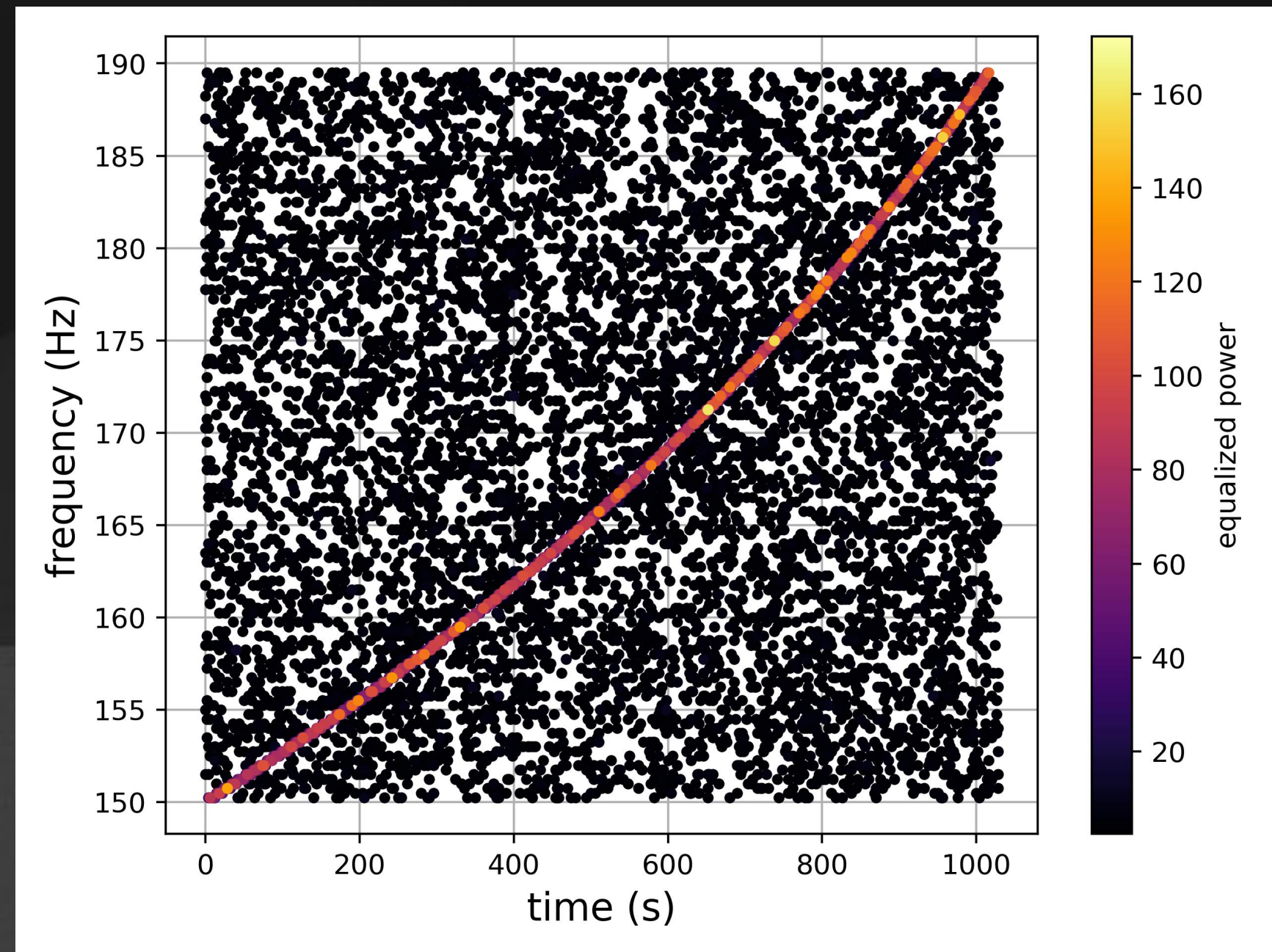
$$\dot{f} = \frac{96}{5} \pi^{8/3} \left(\frac{G\mathcal{M}}{c^3} \right)^{5/3} f^{11/3} [1 + \dots]$$

\mathcal{M} : chirp mass

f : frequency

f : spin-up

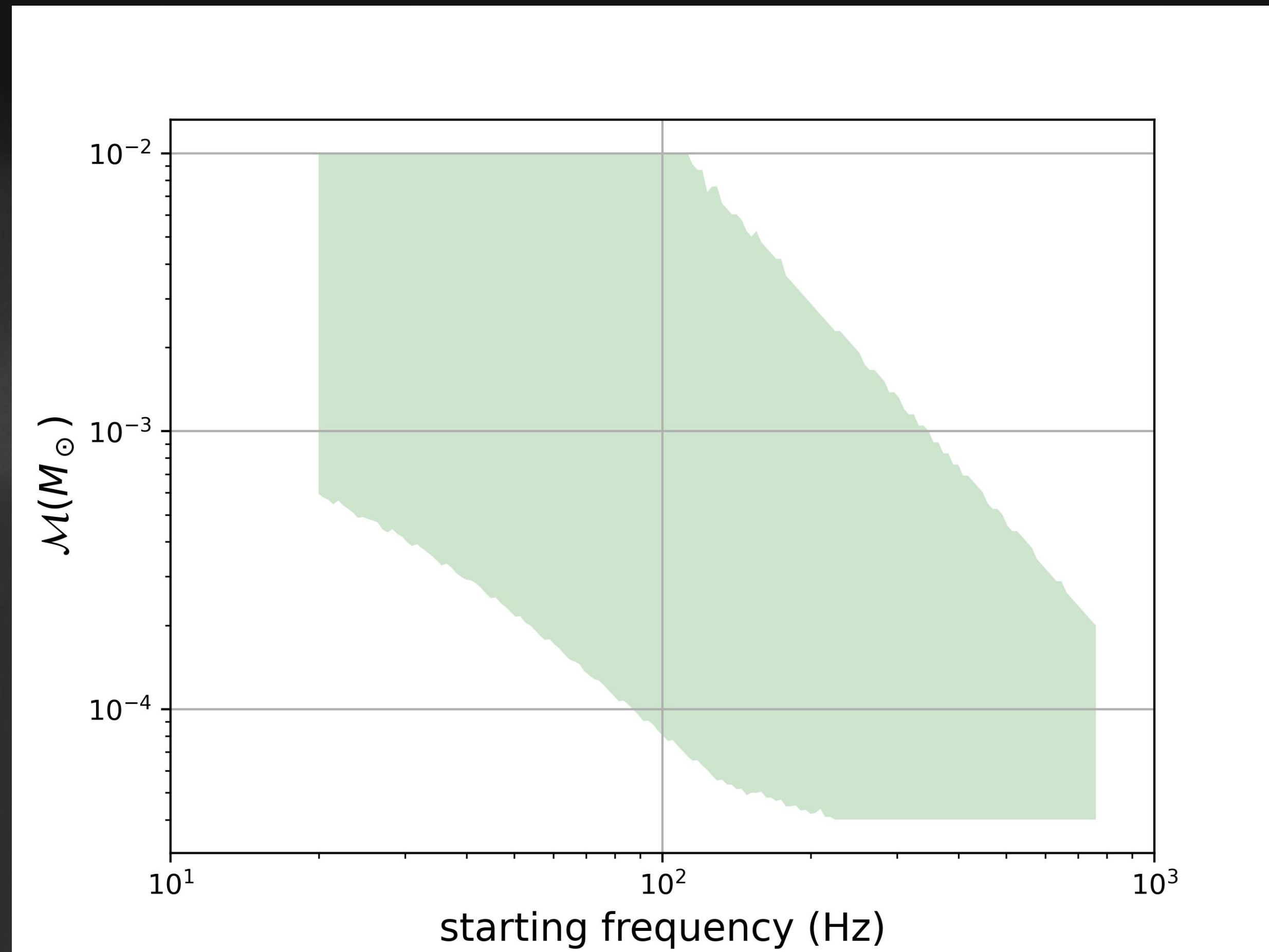
Generalized Frequency-Hough



- Detect power-law signals that slowly “chirp” in time
- Input: points in time/frequency detector plane ; look for power-law tracks
- Output: two-dimensional histogram in the frequency/chirp mass plane of the source

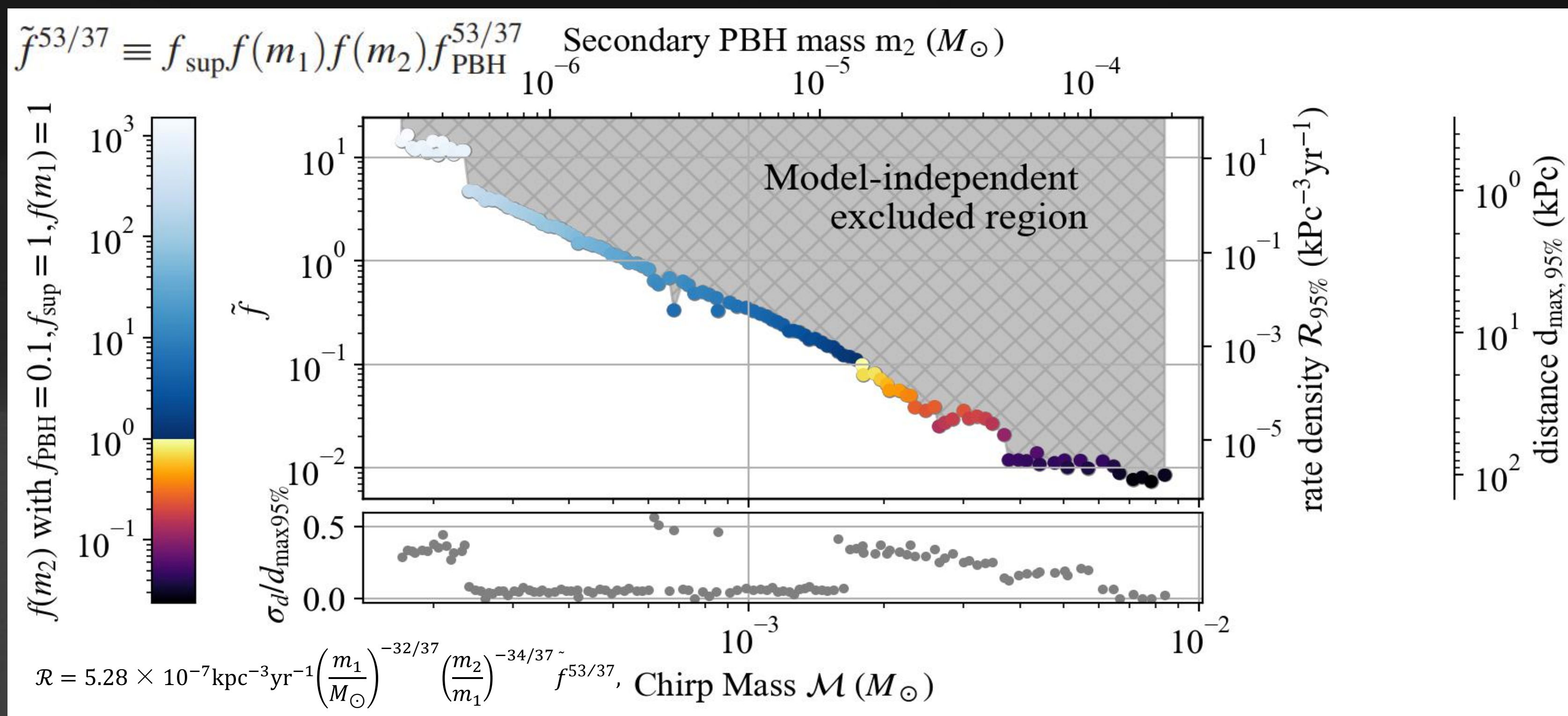
Parameter Space

- Constructed by considering equal-mass systems with: $\mathcal{M} \in [4 \times 10^{-5}, 10^{-2}] M_{\odot}$; $T_{\text{dur}} \in [1h, 7d]$
- Sensitive to asymmetric mass-ratio systems $q = m_2/m_1 \approx \eta \in [10^{-7}, 10^{-4}]$ for $m_1 \sim \mathcal{O}(M_{\odot})$ as long as: $|f_{0PN}(t) - f_{3.5PN}(t)| \leq \frac{1}{T_{\text{FFT}}}$,
- We found ~ 300 candidates at 7σ but these were due to noise disturbances



ALM et al., PRL 133.11 (2024): 111401

O3a constraints on asymmetric-mass ratio PBHs



- Merger rates enhanced for PBHs in asymmetric mass ratio binaries
- We can constrain \tilde{f} , or assuming $m_1 = 2.5M_\odot, f(m_1) \sim 1, f_{\text{sup}} = 1$, we can put upper limit on $f(m_2)$

Conclusions

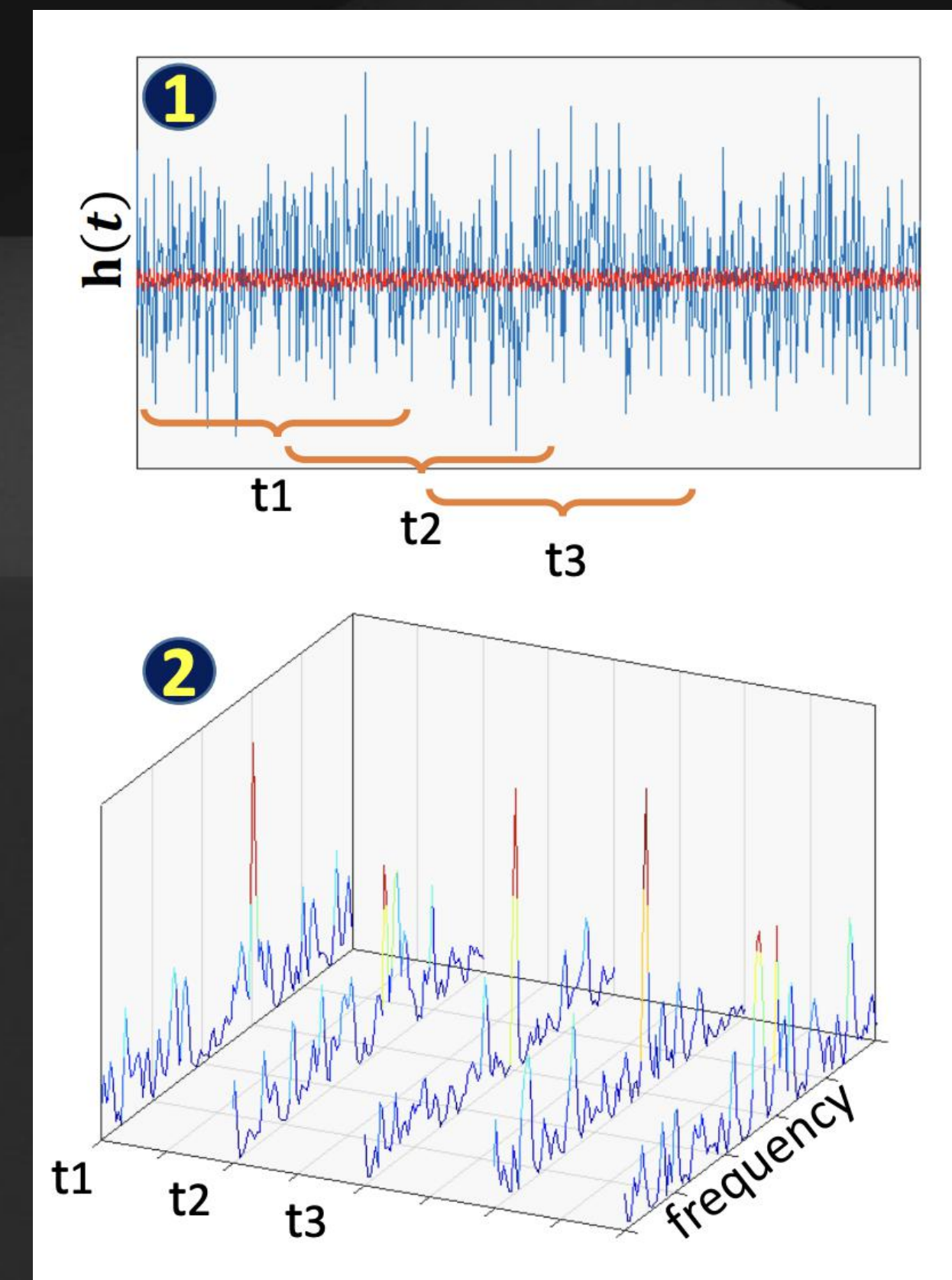
- Gravitational wave interferometers can be used to search for particle and macroscopic dark matter
- Improved search results for ultralight dark matter models
- Searches performed for very light primordial black holes
- Any kind of dark-matter model could be constrained if it causes quasi-sinusoidal oscillations of interferometer components

Acknowledgements: This material is in part based upon work supported by NSF's LIGO Laboratory which is a major facility fully funded by the National Science Foundation

Back-up slides

How to search for DM?

- Ideal technique to find weak signals in noisy data: matched filter
- But, signal has stochastic fluctuations \rightarrow matched filter cannot work
- The signal is almost monochromatic \rightarrow take Fourier transforms of length $T_{\text{FFT}} \sim T_{\text{coh}}$ and combine the power in each FFT without phase information



Credit: L.
Pierini

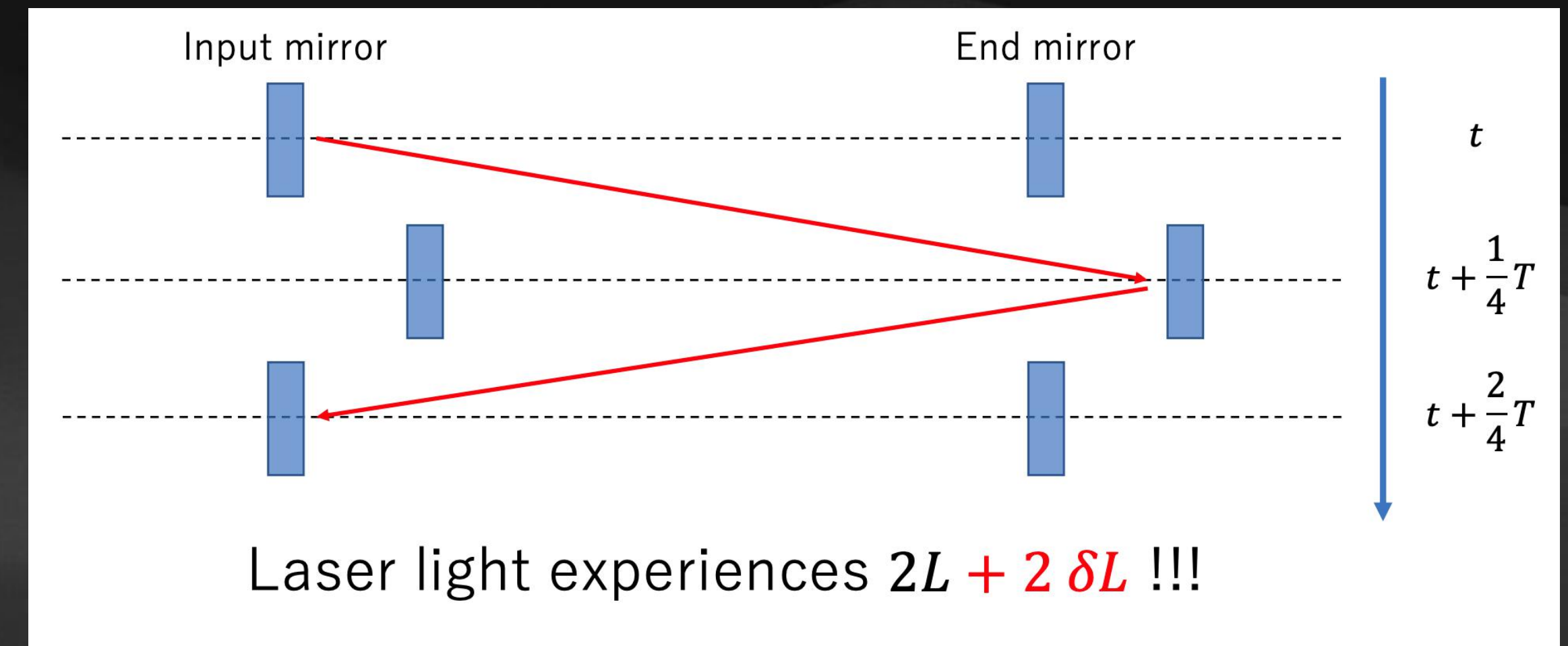
True differential motion from dark photon field

- Differential strain results because each mirror is in a different place relative to the incoming dark photon field: this is a *spatial* effect
- Depends on the frequency, the coupling strength, the dark matter density and velocity

$$\sqrt{\langle h_D^2 \rangle} = C \frac{q}{M} \frac{\hbar e}{c^4 \sqrt{\epsilon_0}} \sqrt{2\rho_{\text{DM}} v_0} \frac{\epsilon}{f_0},$$
$$\simeq 6.56 \times 10^{-27} \left(\frac{\epsilon}{10^{-23}} \right) \left(\frac{100 \text{ Hz}}{f_0} \right)$$

Common motion

- Arises because light takes a finite amount of time to travel from the beam splitter to the end mirror and back
- Imagine a dark photon field that moves the beam splitter and one end mirror exactly the same amount
- The light will “see” the mirror when it has been displaced by a small amount
- And then, in the extreme case (a particular choice of parameters), the light will “see” the beam splitter when it has returned to its original location
- But, the y-arm has not been moved at all by the field → apparent differential strain



$$\sqrt{\langle h_C^2 \rangle} = \frac{\sqrt{3}}{2} \sqrt{\langle h_D^2 \rangle} \frac{2\pi f_0 L}{v_0},$$

$$\simeq 6.58 \times 10^{-26} \left(\frac{\epsilon}{10^{-23}} \right)$$

Tensor bosons

- Arise as a modification to gravity, even though it acts as an additional dark matter particle
- Stretches spacetime around mirrors, just like gravitational waves
- Metric perturbation couples to detector: $h(t) = \frac{\alpha\sqrt{\rho_{\text{DM}}}}{\sqrt{2}mM_p} \cos(mt + \phi_0)\Delta\epsilon$
- Self-interaction strength α determines how strong metric perturbation is
- $\Delta\epsilon$ encodes the five polarizations of the spin-2 field
- Will appear as a Yukawa-like fifth force modification of the gravitational potential