

The first neutrino mass limit of **H****LMES**

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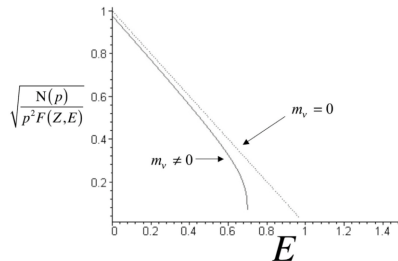
On behalf of HOLMES collaboration



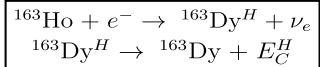
Direct neutrino mass measurements

- ➔ **Model-independent** method: kinematic analysis of beta decay;
- ➔ Energy spectrum distorted by non-zero ν mass;
- ➔ **Spectrometry**:
 - ▶ the source is outside the detector;
 - ▶ high statistics allowed, no pile-up issue;
 - ▶ source systematics;
 - ▶ best limit: $m_\beta < 0.45$ eV @ 90% C.L., *KATRIN Collaboration, Science 2025*.
- ➔ **Calorimetry** (HOLMES approach):
 - ▶ source embedded inside the detectors;
 - ▶ all energy measured, except neutrino's;
 - ▶ no systematic uncertainty related to the source;
 - ▶ trade off between activity and time resolution (pile-up).

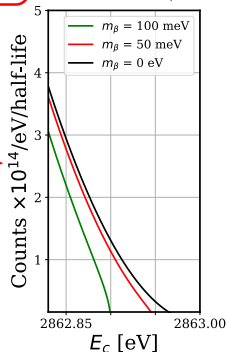
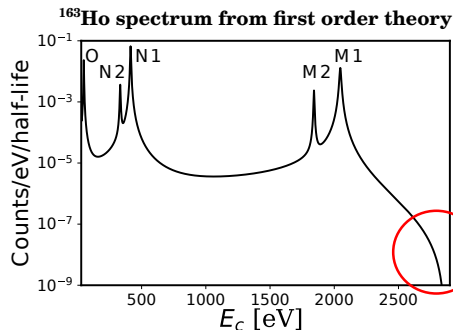
$$m_\beta^2 = \sum_i |U_{ei}|^2 m_{\nu_i}^2$$



The EC decay of ^{163}Ho



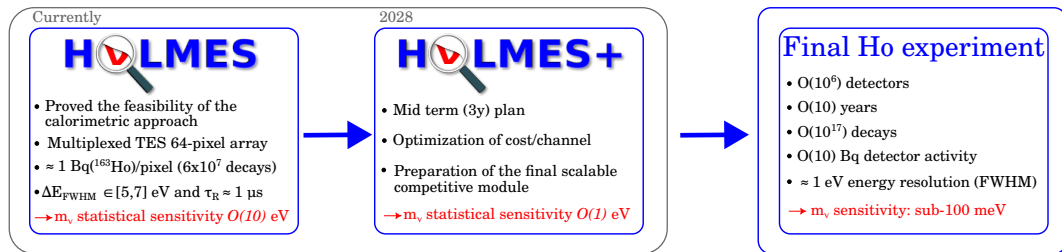
$$N(E_c) = \frac{G_\beta^2}{4\pi^2} (Q - E_c) \sqrt{(Q - E_c)^2 - m_\beta^2} \times \sum_i n_i C_i \beta_i^2 B_i \frac{\Gamma_i}{2\pi} \frac{1}{(E_c - E_b(H_i))^2 + \Gamma_{H_i}^2/4}$$



- E_C = atom de-excitation + nuclear recoil;
- Method proposed by *A. De Rújula and M. Lusignoli, Phys. Lett. B 118 (1982) 429*;
- $Q = 2863.2 \pm 0.6$ eV *Ch. Schweiger et al. Nat. Phys. (2024)*;
- $\tau_{1/2} \sim 4570$ y.

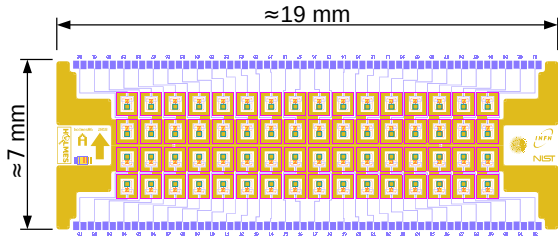
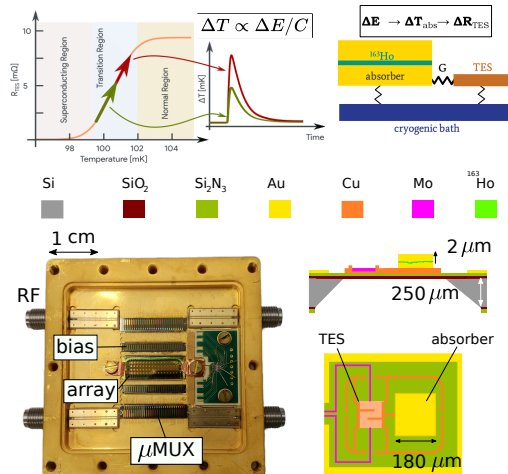
The HOLMES experiment

- **Low temperature microcalorimeter** arrays with ion-implanted ^{163}Ho ;
- **Proof-of-principles** for a final ^{163}Ho experiment with sub-100 meV m_β sensitivity;
- Gradual approach based on **scalability**.



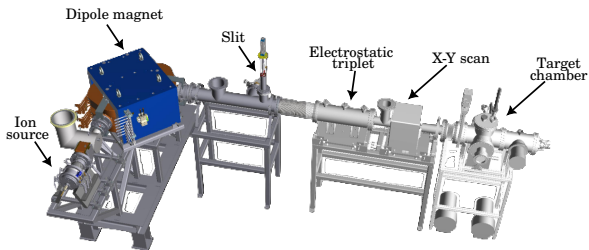
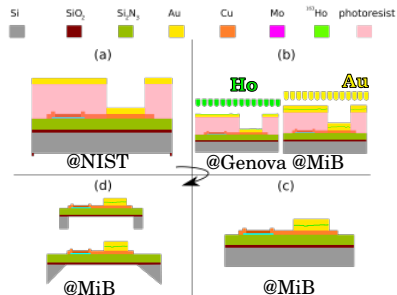
HOLMES detectors

- Low temperature (~ 100 mK) microcalorimeters;
- ^{163}Ho implanted gold absorbers each coupled to a Cu/Mo Transition Edge Sensor;
- $1+1\ \mu\text{m}$ Au thickness for electrons full absorption;
- μMUXed TES 64-pixel array ~ 0.3 Bq/pixel.

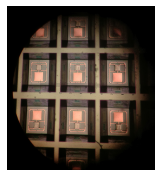


Multistep detector production

- ➔ Multiple fabrication steps required for ^{163}Ho implantation;
- ➔ TES & first Au layer (NIST), implantation (Ge), Au deposition & membrane release (MiB);
- ➔ Ion implanter: source + dipole + slit and FC;
- ➔ KOH Si etching (thermal coupling to the bath).



Holmes array chip in KOH solution

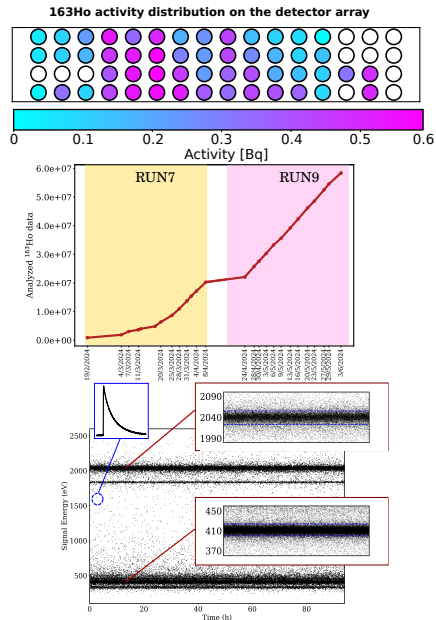


Back of the array after the KOH etching

First data-taking runs (2024)

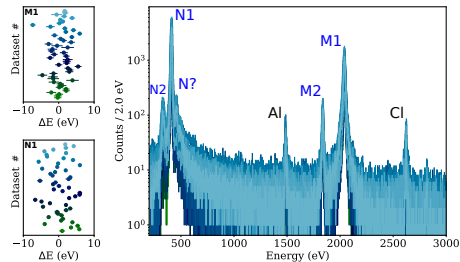
- 48 measured pixels^a;
- Average activity ~ 0.27 Bq;
- $A_{tot} = 15$ Bq ($\sim 3.2 \times 10^{12}$ nuclei);
- $\Delta E_{FWHM} \in [5, 7]$ eV;
- ~ 2 months of data taking: 6×10^7 events;
- $< 1\%$ signals discarded by first level analysis;
- **Duty-cycle** $\sim 82\%$;
- Corrected energy gain stability over multiple days.

^aM1 rate high enough for gain drift correction



EC spectrum calibration

- Run with fluorescence X-ray source;
- 2nd order polynomial calibration:
 - ▶ $E(A) = a \times A + b \times A^2$.
- Find EC peak energies:
 - ▶ Bayesian learning fit accounting for small energy scale deviations.
- Energy calibration for physics runs.



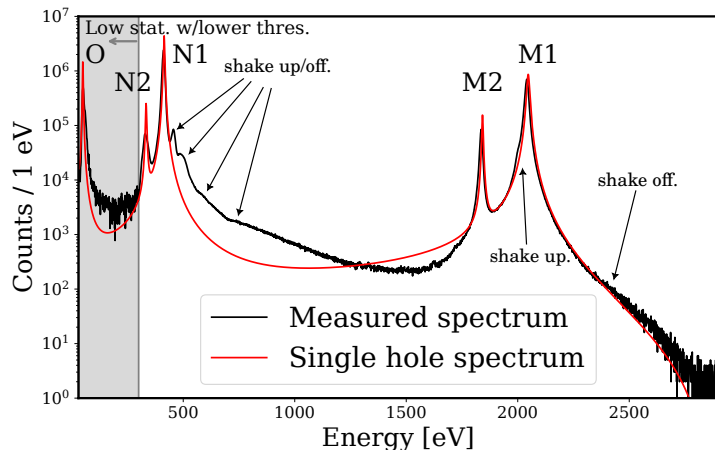
| Peak | Position E_0 [eV] | Width Γ [eV] | Asymmetry δ_{AS} |
|------|---------------------|---------------------|-------------------------|
| M1 | 2040.8 ± 0.3 | 14.49 ± 0.05 | 1.306 ± 0.006 |
| M2 | 1836.4 ± 0.8 | 8.2 ± 0.3 | 1.03 ± 0.05 |
| N? | 454.5 ± 0.1 | 22.3 ± 0.4 | 0.62 ± 0.02 |
| N1 | 411.7 ± 0.1 | 5.57 ± 0.03 | 1.270 ± 0.008 |
| N2 | 329.0 ± 0.1 | 16.4 ± 0.2 | 0.69 ± 0.01 |
| O? | 61.0 ± 0.8 | 6.0 ± 0.5 | 1.000 ± 0.009 |
| O1 | 50.9 ± 0.8 | 2.4 ± 0.4 | 0.80 ± 0.09 |

Scan the QR code to
read our **new article**
(**subm. to JHEP**):

"Phenomenological
Modeling of the ¹⁶³Ho
Calorimetric Electron
Capture Spectrum from
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Experiment"



High statistics physics runs



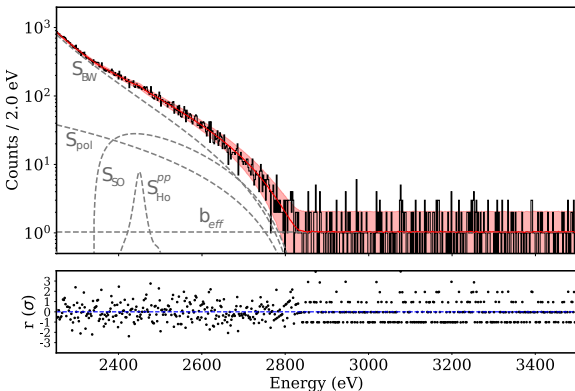
- $\sim 7 \times 10^4$ detector \times hour;
- ~ 1000 summed partial datasets;
- Energy calibrated with N1, M1 and M2;
- 300 eV trigger threshold;
- Deviations from single hole spectrum;
- shake up/off contributions^a.

^aHo \rightarrow Dy perturbation “shakens” atomic electron(s) to an upper bound state (SU) or to the continuum (SOF)

Endpoint analysis

→ Bayesian analysis with 13 free parameters:

- ▶ ROI: [2250, 3500] eV;
- ▶ $\Delta E_{FWHM} \sim 6$ eV, $f_{pp} \lesssim 10^{-5}$;
- ▶ spectrum as sum of a few terms.



Spectrum @ ROI [2250,3500] eV:

$$\mathcal{S}_{\text{exp}} = \left[N_{\text{tot}} \left(\mathcal{S}_{\text{Ho}} + f_{\text{eff}}^{\text{pp}} \mathcal{S}_{\text{Ho}}^{\text{pp}} \right) \right] * \mathcal{R}_{\text{eff}} + b_{\text{eff}}$$

N_{tot} : number of events;

\mathcal{S}_{Ho} : Ho real spectrum;

$f_{\text{eff}}^{\text{pp}} \mathcal{S}_{\text{Ho}}^{\text{pp}}$: pile-up fraction and pile-up spectrum;

b_{eff} : flat background;

\mathcal{R}_{eff} : detector effective resolution.

$$\mathcal{S}_{\text{Ho}} \approx k_0 (k_{\text{BW}} \mathcal{S}_{\text{BW}} + k_{\text{SO}} \mathcal{S}_{\text{SO}} + \mathcal{S}_{\text{pol}}) \times \mathcal{F}_{\text{PS}}$$

\mathcal{S}_{BW} : M1 peak right tail

\mathcal{S}_{SO} : energy spectrum of shake off de-excitation

\mathcal{S}_{pol} : tails of other peaks and shake-offs

\mathcal{F}_{PS} : phase space, only term with $m_{\beta} \propto (E_0 - E_c) \sqrt{(E_0 - E_c)^2 - m_{\beta}^2}$

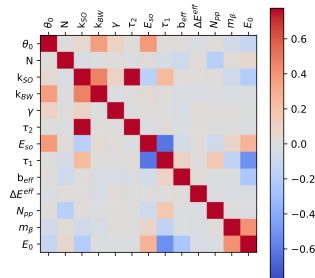
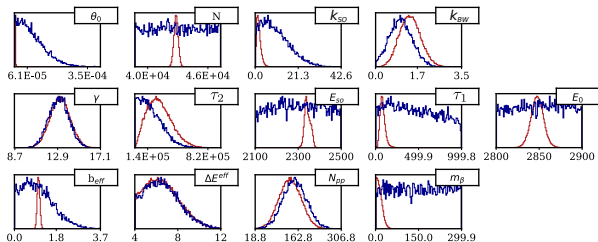
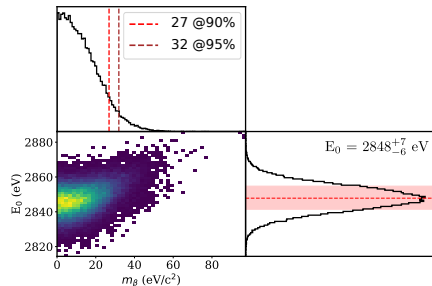
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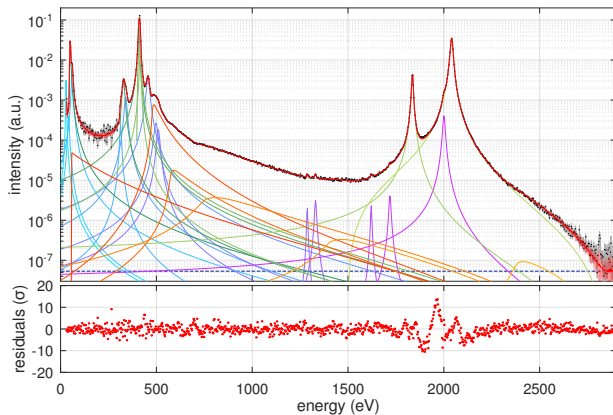


Neutrino mass limit

- Posteriors explored via Hamiltonian MCMC (STAN);
- E_0 is a free parameter;
- Upper limit $m_\beta < 27$ eV (90% CI);
- Best published limit on m_β from EC of ^{163}Ho ;
- MC simulations: sensitivity of 40 ± 10 eV;
- m_β is correlated only with E_0 .



^{163}Ho EC calorimetric spectrum

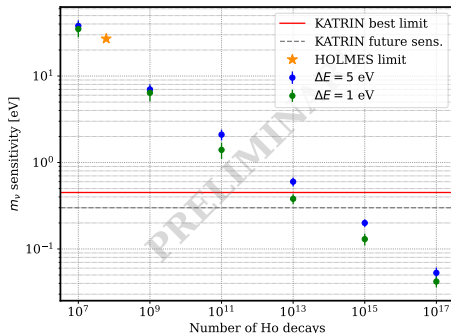


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- Bayesian unfolding of all spectra;
- Phenomenological description:
 - ▶ asymmetric Lorentzians;
 - ▶ shake-up peaks and shake-off spectra.
- EC spectrum deviates from all theoretical predictions;
- ROI signal rate twice higher than with single-hole (shake off + M1 asymmetry);
- ROI: smooth and featureless;
- Assessment of future ^{163}Ho experiments sensitivity.

^{163}Ho future experiment sensitivity (stat. only)



- ➔ No background & no pile-up \Rightarrow need to go to 10^{17} events;
- ➔ Still need to establish the systematics;
- ➔ $\mathcal{O}(150)$ meV: $N_{ev} \sim \mathcal{O}(10^{15})$, $N_{det} \sim \mathcal{O}(10^5)$, $A_{det} \sim \mathcal{O}(10)$ Bq, $T \sim \mathcal{O}(10)$ y;
- ➔ $\mathcal{O}(50)$ meV: $N_{ev} \sim \mathcal{O}(10^{17})$, $N_{det} \sim \mathcal{O}(10^7)$, $A_{det} \sim \mathcal{O}(10)$ Bq, $\Delta E_{FWHM} \sim \mathcal{O}(1)$ eV, $T \sim \mathcal{O}(10)$ y.

What's next?

- Achieved the **best published limit** on **neutrino mass** using a ^{163}Ho source;
- Need many detectors and higher activity!
- Increase ^{163}Ho activity per detector — $\mathcal{O}(10)$ Bq:
 - ▶ Reduce detector operating temperature to $\lesssim 40$ mK.
- Lower readout/DAQ costs — few euros per channel:
 - ▶ New multiplexing scheme with a higher multiplexing factor;
 - ▶ Microwave-multiplexed Kinetic Inductance Current Sensors;
 - ▶ Leverage new wide-bandwidth RFSoc boards.
- Improve ion implanter for better control and higher efficiency:
 - ▶ Integration of electrostatic triplet, X-Y scan and a target chamber;
 - ▶ Upgrading the ion source.
- **Expand international collaboration: happy to chat!**

Thank you for your attention!



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Backup slides

Neutrino mass fit formula

$$\begin{aligned}
 \mathcal{S}_{exp} &= \sum_i [N_i(\mathcal{S}_{Ho} + f_i^{pp} \mathcal{S}_{Ho}^{pp}) + \mathcal{B}_i] * \mathcal{R}_i \\
 &\quad \downarrow \\
 \mathcal{S}_{exp} &= \left[N_{tot} \left(\mathcal{S}_{Ho} + f_{eff}^{pp} \mathcal{S}_{Ho}^{pp} \right) \right] * \mathcal{R}_{eff} + b_{eff} \\
 &\quad \swarrow \qquad \searrow \\
 \mathcal{S}_{Ho} &\approx k_0 (k_{BW} \mathcal{S}_{BW} + k_{SO} \mathcal{S}_{SO} + \mathcal{S}_{pol}) \times \mathcal{F}_{PS} \qquad \mathcal{R}_{eff}(E_c) \simeq \mathcal{G}(E_c|0, \Delta E_{eff}) \\
 &\quad \swarrow \qquad \searrow \qquad \searrow \qquad \searrow \\
 \mathcal{S}_{BW}(E_c|\gamma, E_{M1}) &= \frac{1}{2\pi} \frac{\gamma}{(E_c - E_{M1})^2 + \gamma^2/4} \qquad \mathcal{S}_{pol}(E_c|\vec{\theta}) \simeq \theta_0 \qquad \mathcal{F}_{PS}(E_c|m_\beta, E_0) = (E_0 - E_c) \sqrt{(E_0 - E_c)^2 - m_\beta^2} \\
 &\quad \swarrow \\
 \mathcal{S}_{SO}(E_c|E_{so}, \tau_1, \tau_2) &= \frac{1}{\tau_2 - \tau_1} \left(e^{-(E_c - E_{so})/\tau_2} - e^{-(E_c - E_{so})/\tau_1} \right)
 \end{aligned}$$