

# Probing MeV Dark Matter Via Solar Reflection

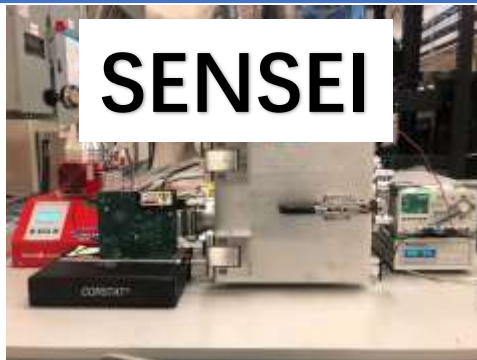
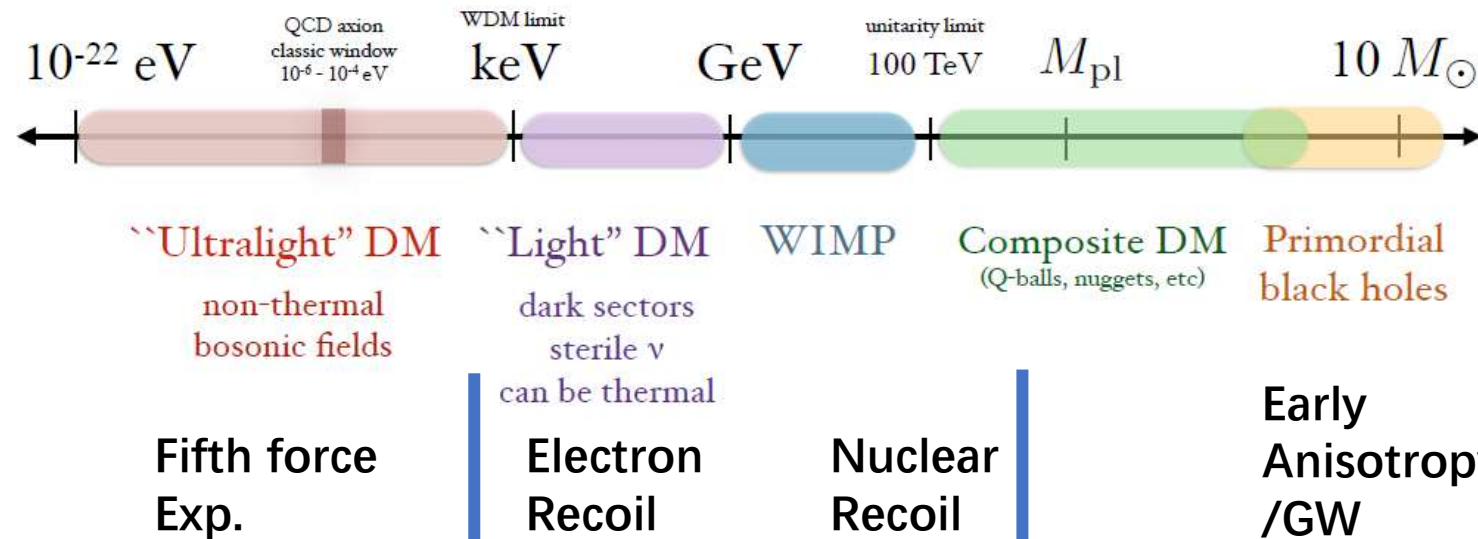
Haoming Nie, Tsinghua University

At TAUP2025

# Motivation

## Mass scale of dark matter

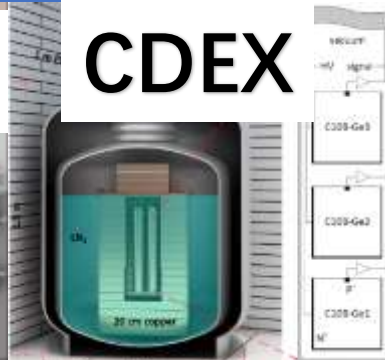
(not to scale)



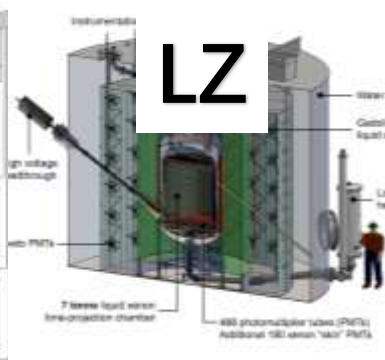
SENSEI



XENON



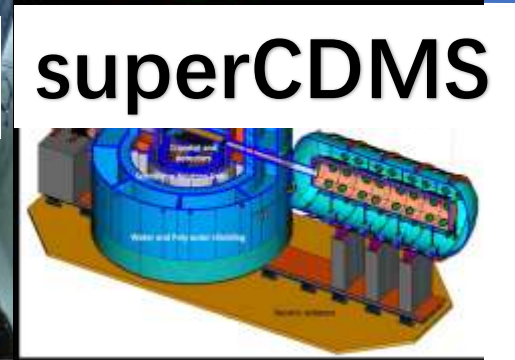
CDEX



LZ



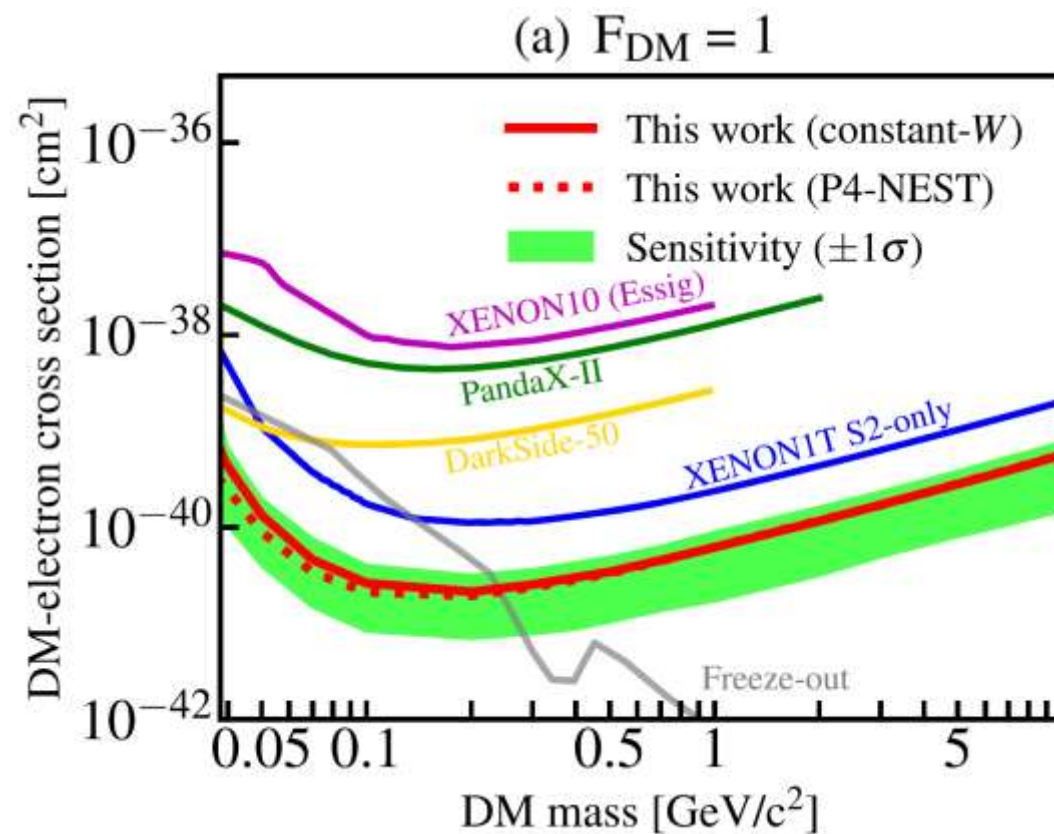
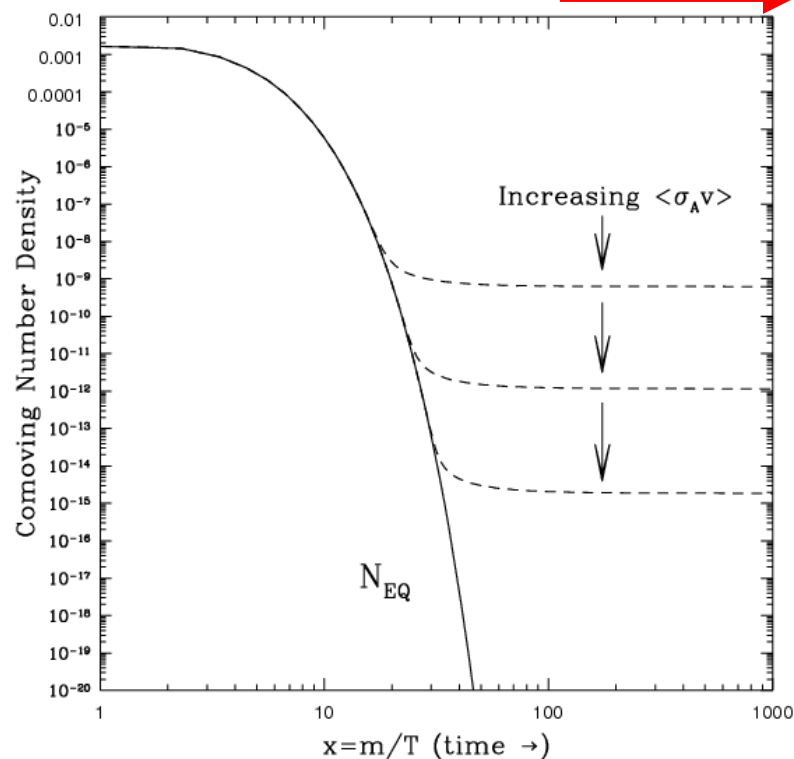
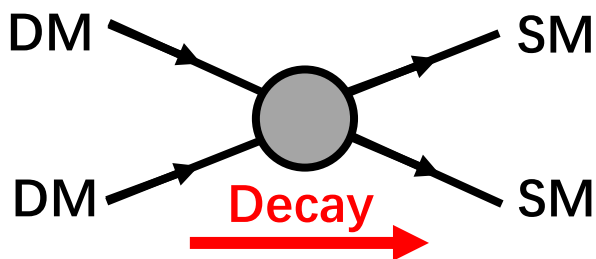
PANDAX



superCDMS

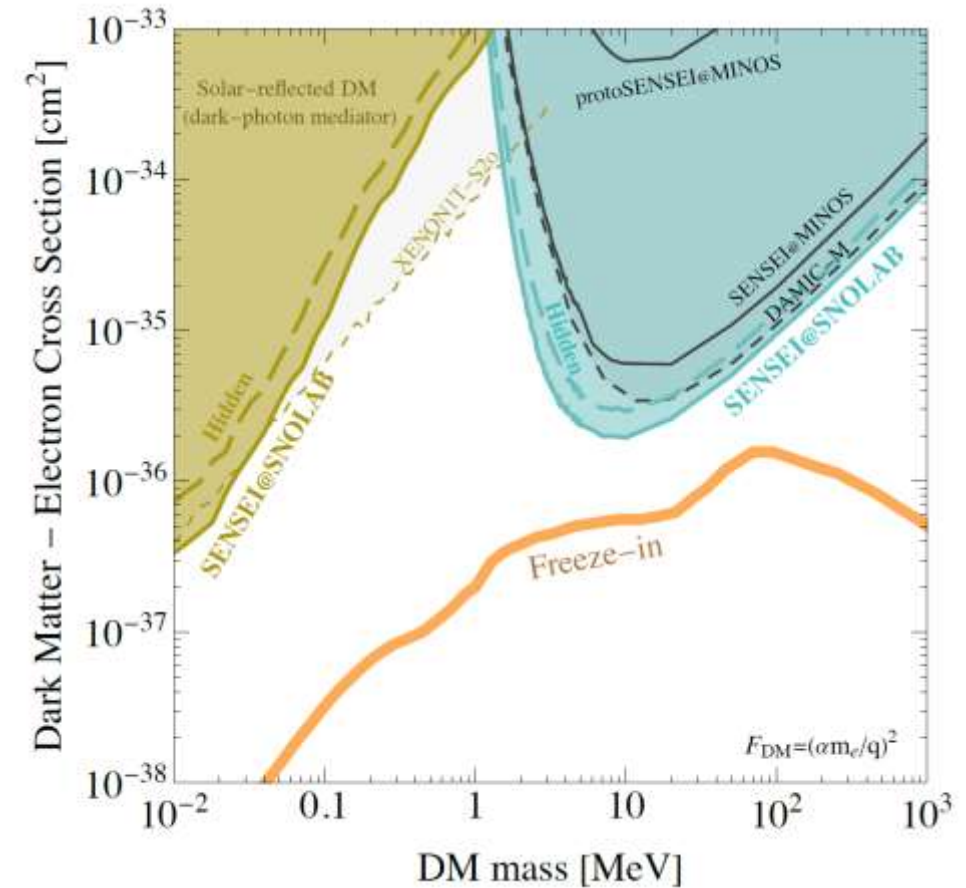
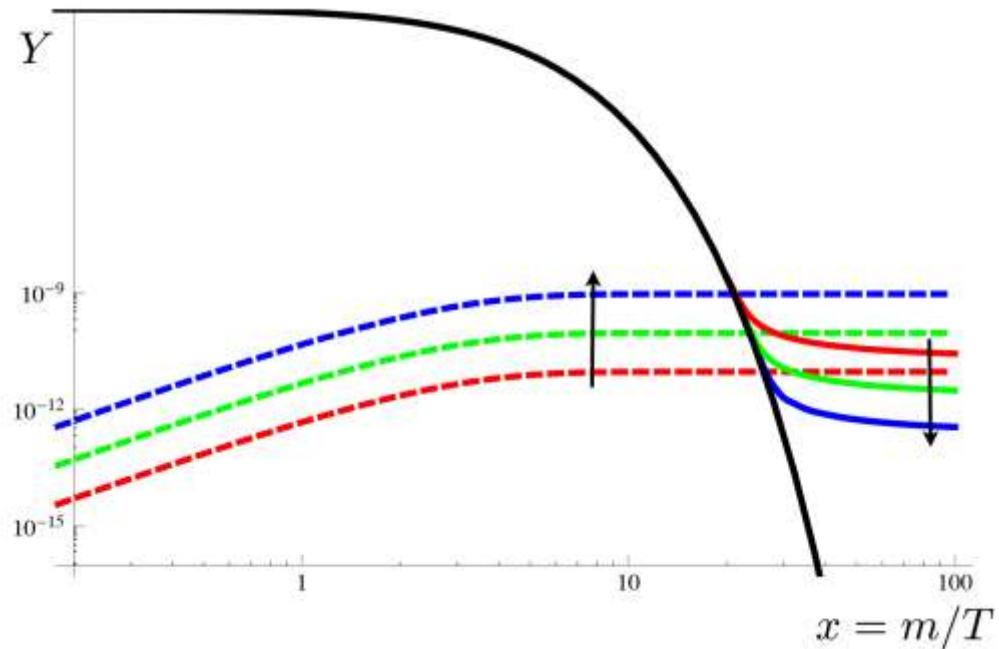
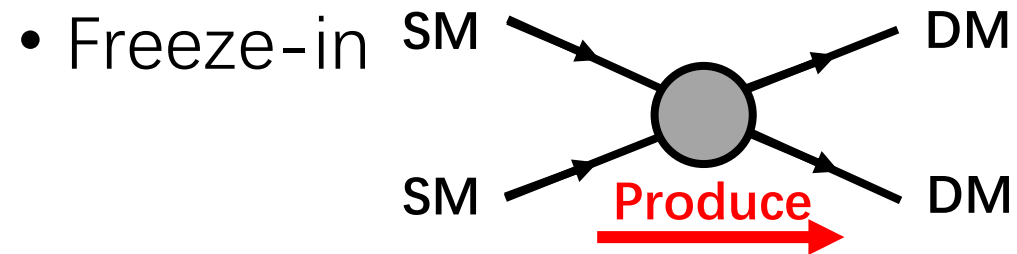
# Freeze-out

- Freeze-out



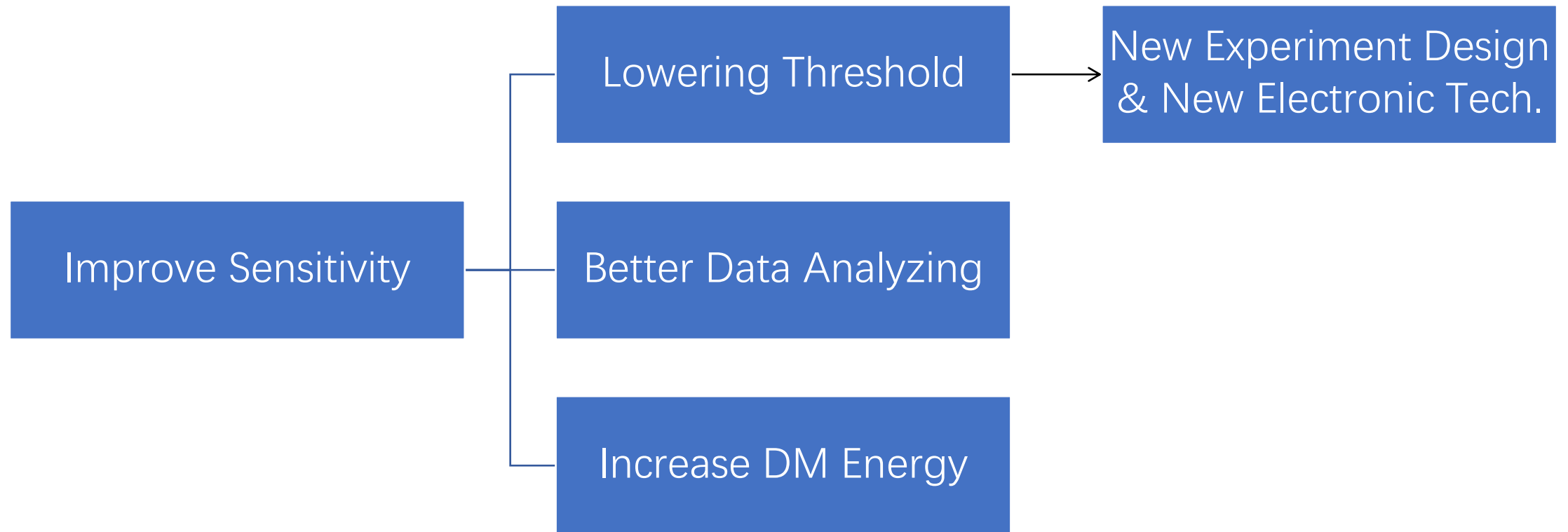
[1] S. Li et al. (PandaX), Search for Light Dark Matter with Ionization Signals in the PandaX-4T Experiment, Phys. Rev. Lett. 130, 261001 (2023), arXiv:2212.10067 [hepex].

# Freeze-in

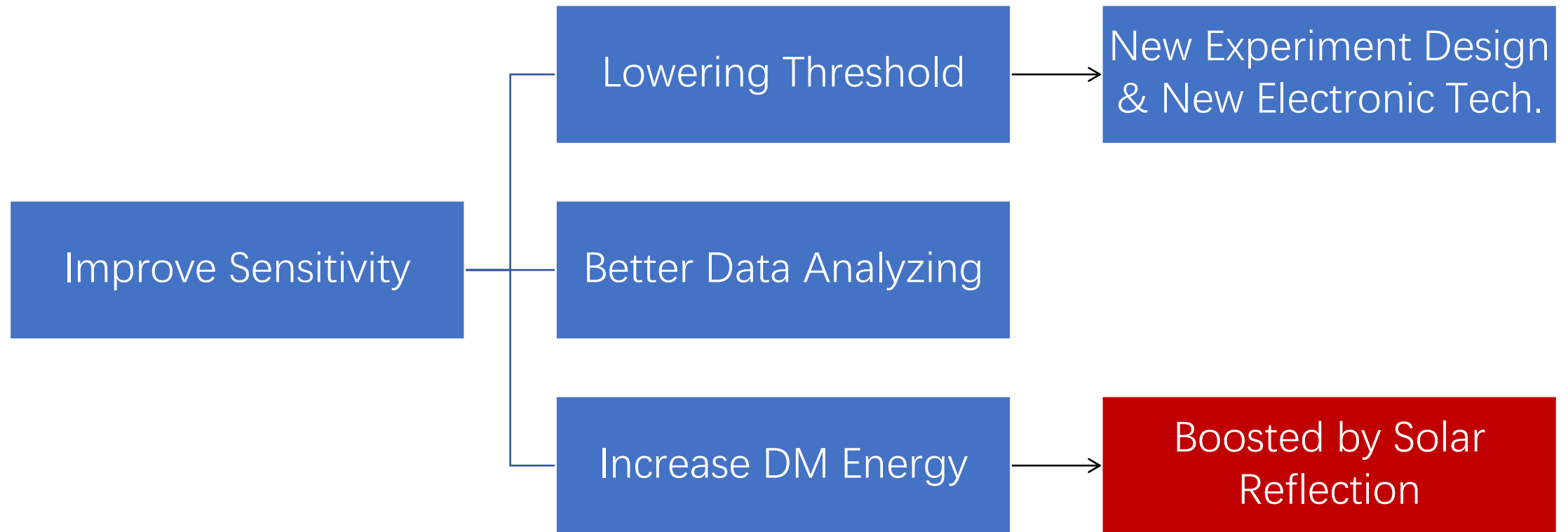


[2] SENSEI Collaboration, (2023),  
arXiv:2312.13342 [id='astro-ph.CO'].

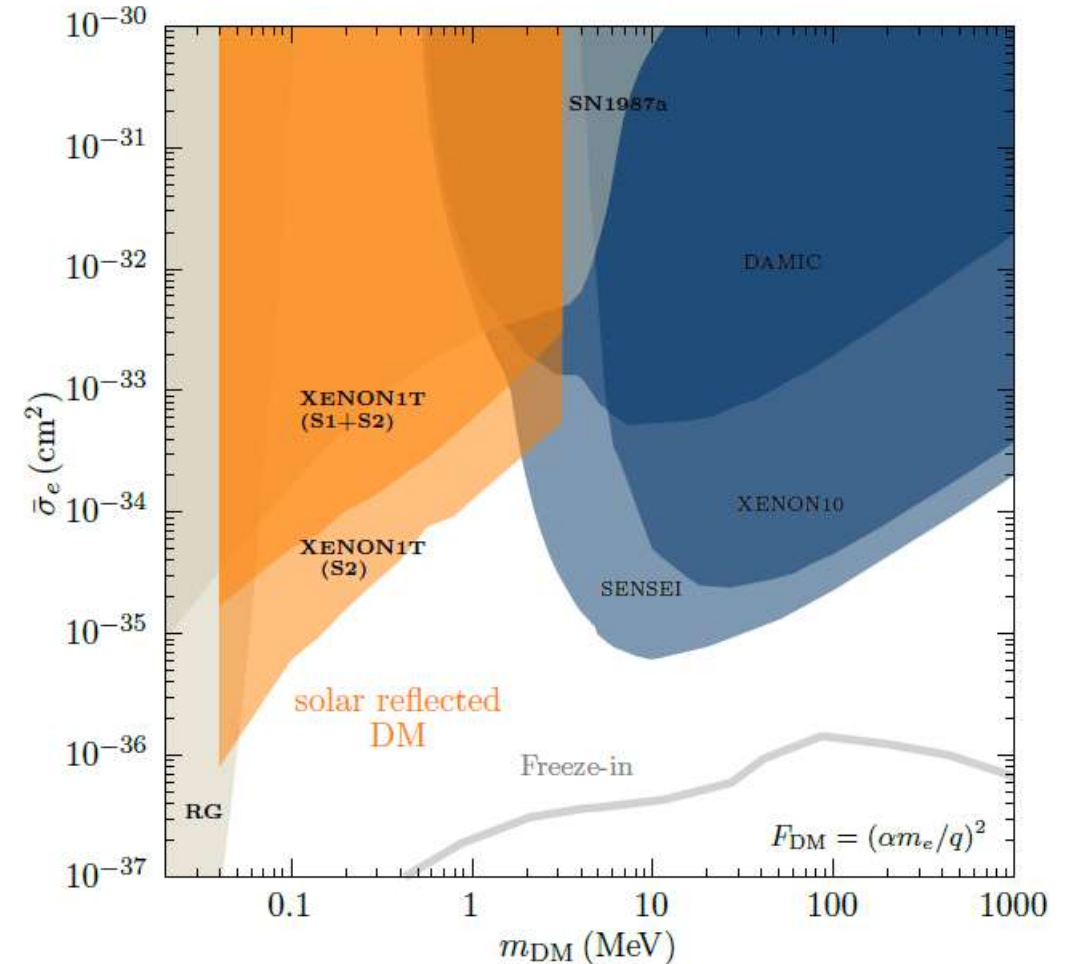
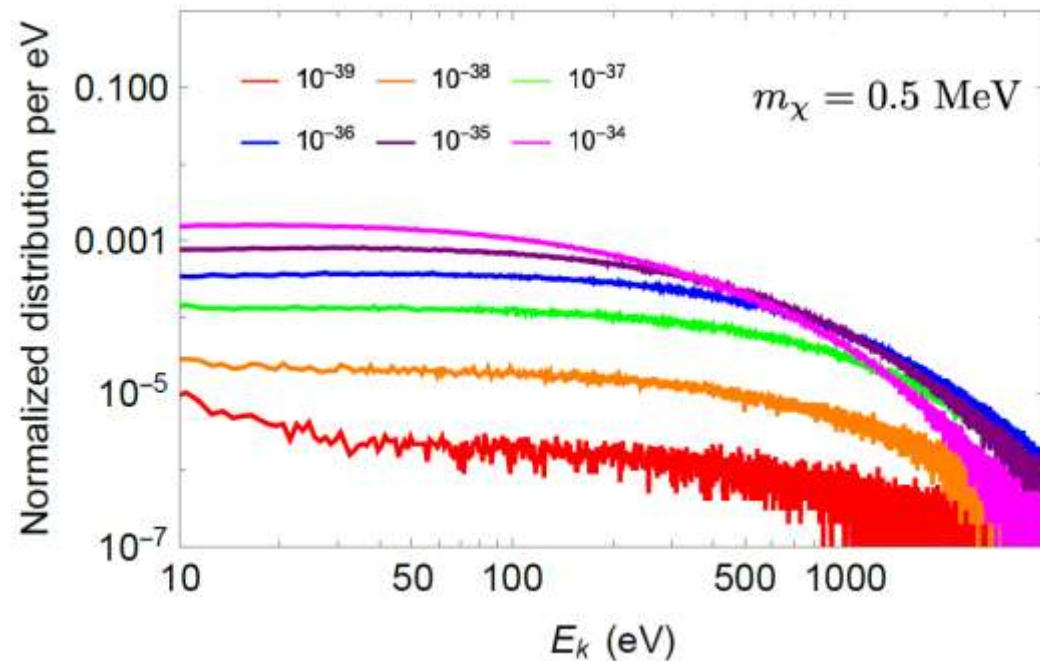
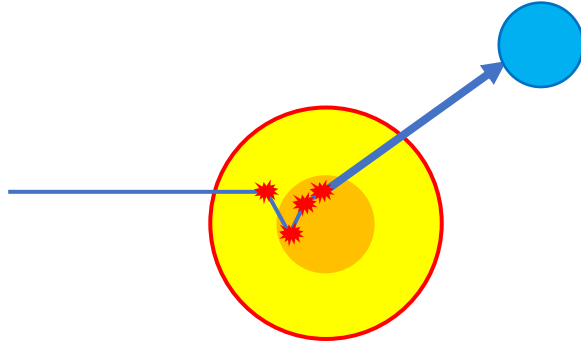
# Motivation: MeV Dark Matter



# Motivation: Solar Reflected DM

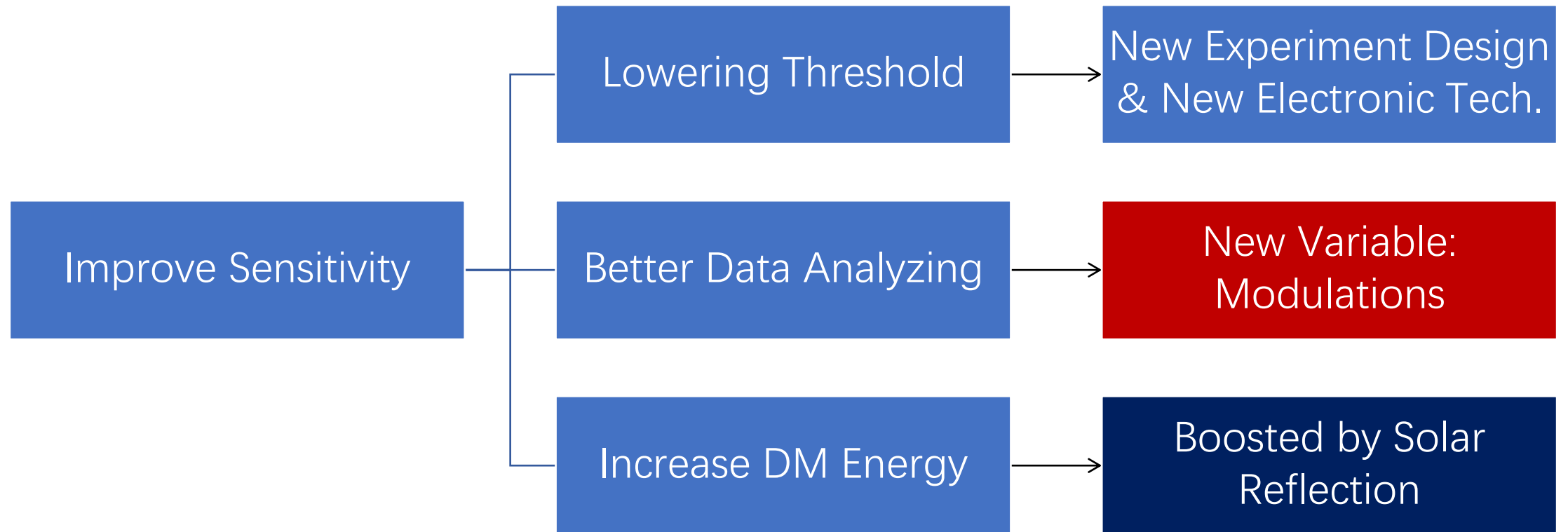


# Solar Reflected Dark Matter



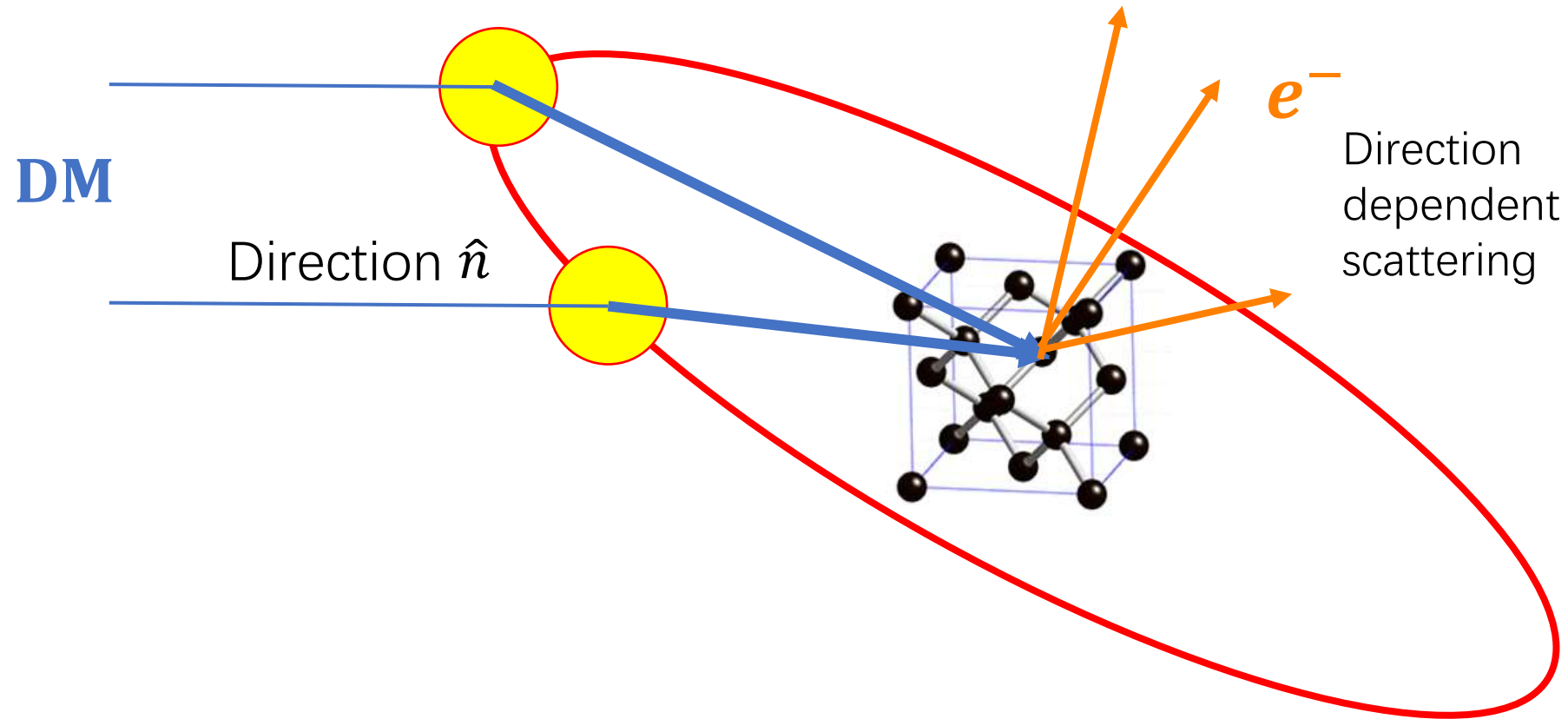


# Motivation: Modulation





# Motivation: Anisotropy of Reflected DM



# Crystal Structure

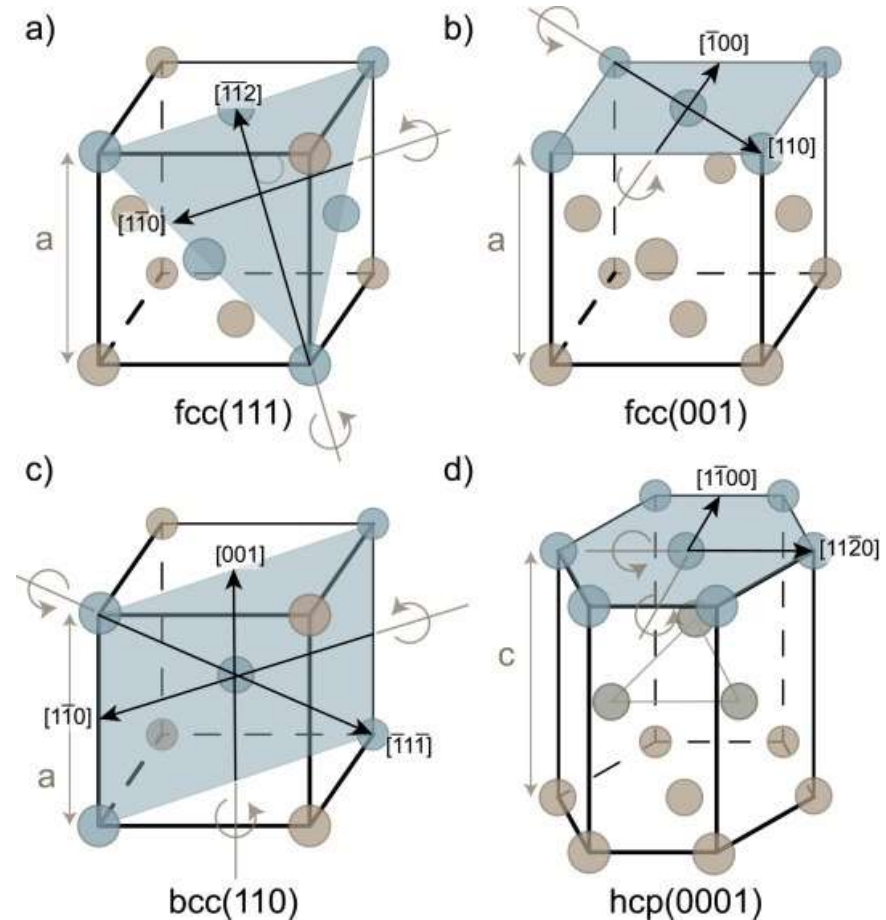
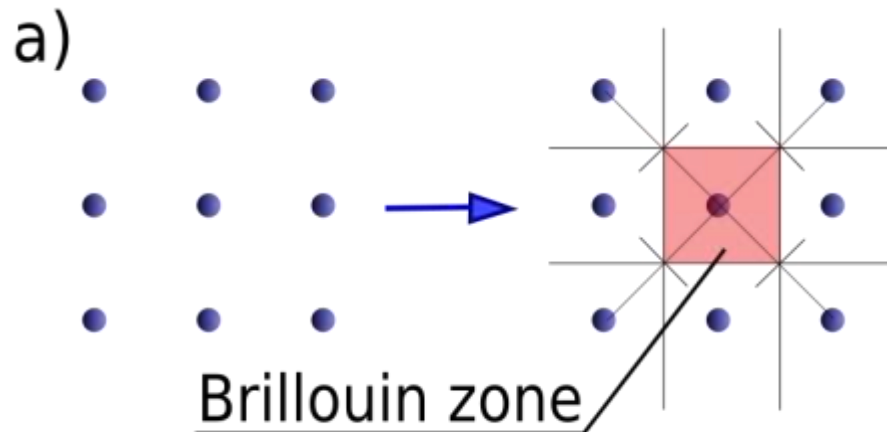
- Reciprocal lattice vector

$$\vec{G} \cdot \vec{R} = 2\pi n$$

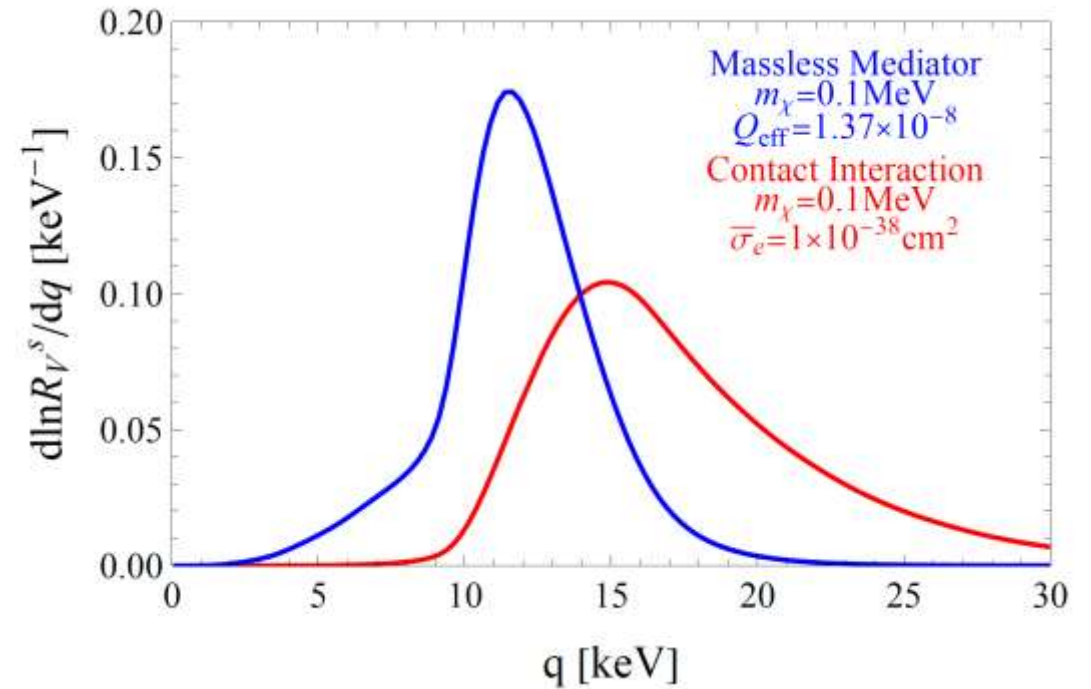
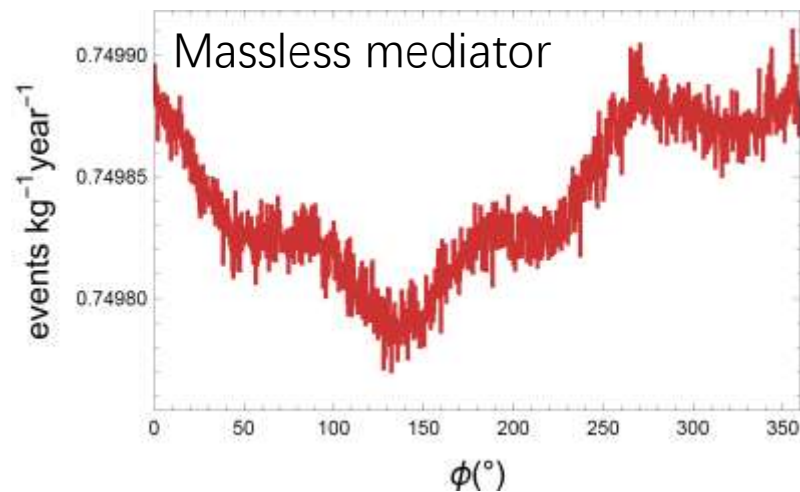
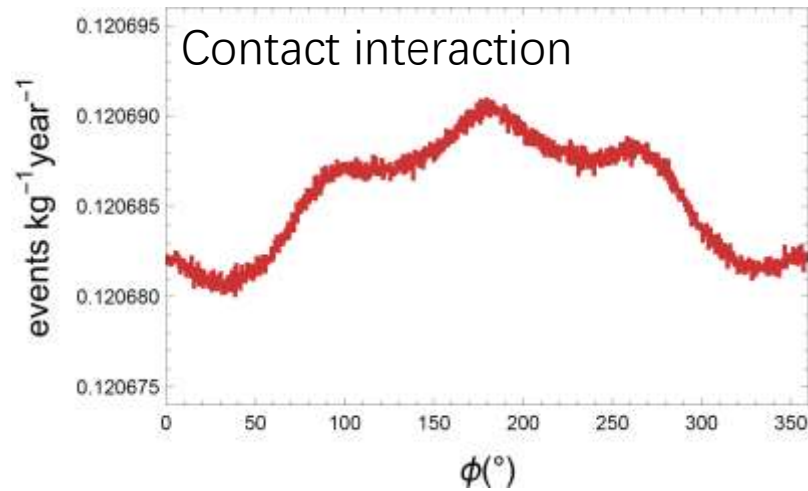
- Bloch state in crystal

$$\psi_{i\vec{k}}(\vec{x}) = \frac{1}{\sqrt{V}} \sum_{\vec{G}} \tilde{u}_i(\vec{k} + \vec{G}) e^{i(\vec{k} + \vec{G}) \cdot \vec{x}}$$

- $G \sim$  crystal surface  $\sim$  Brillouin zone



# Valence Shell Scattering

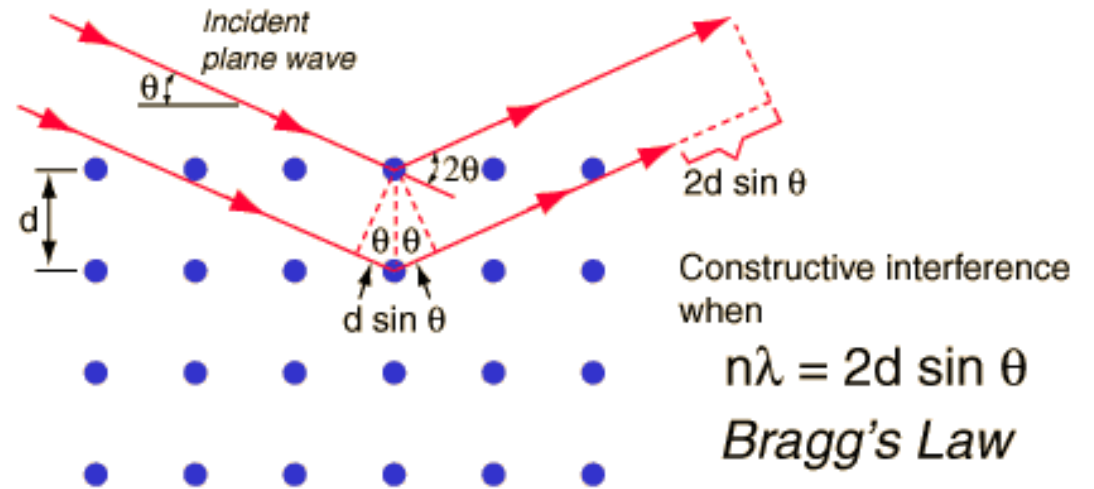


# Bragg Scattering of Inner Shell Electrons

- Inner shell electron provides momentum  $\sim 10\alpha m_e$

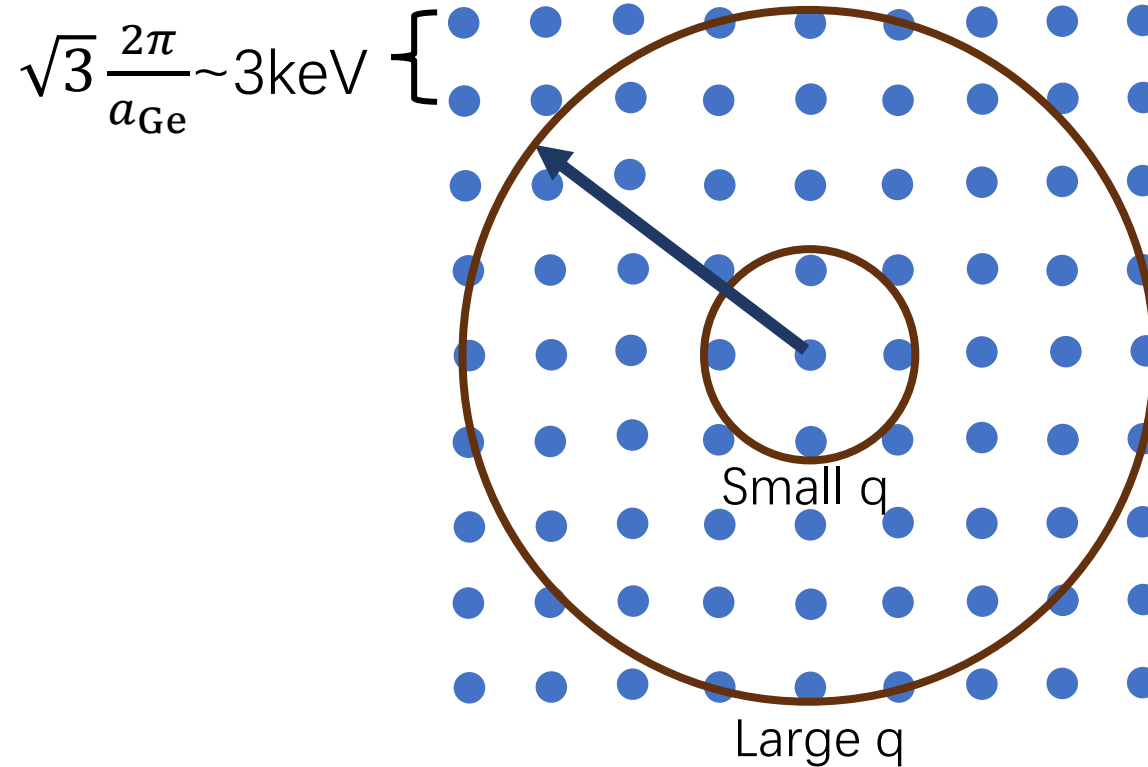
$$\mathcal{M} = \sum_{\vec{R}, i} M_{atom}(\vec{q}) e^{i\vec{q} \cdot (\vec{R} + \vec{a}_i)}$$

$$|\mathcal{M}|^2 = |M_{atom}|^2 |S(\vec{q})|^2 \frac{(2\pi)^3}{V_{cell}} N_{cell} \sum_{\vec{G}} \delta^3(\vec{q} - \vec{G})$$

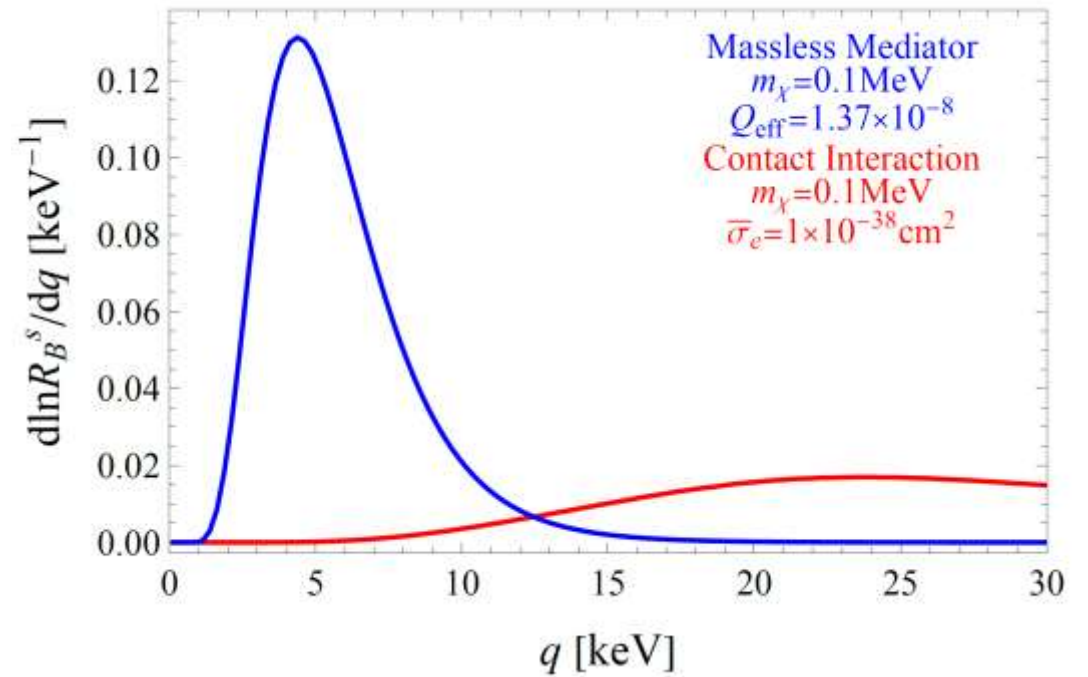
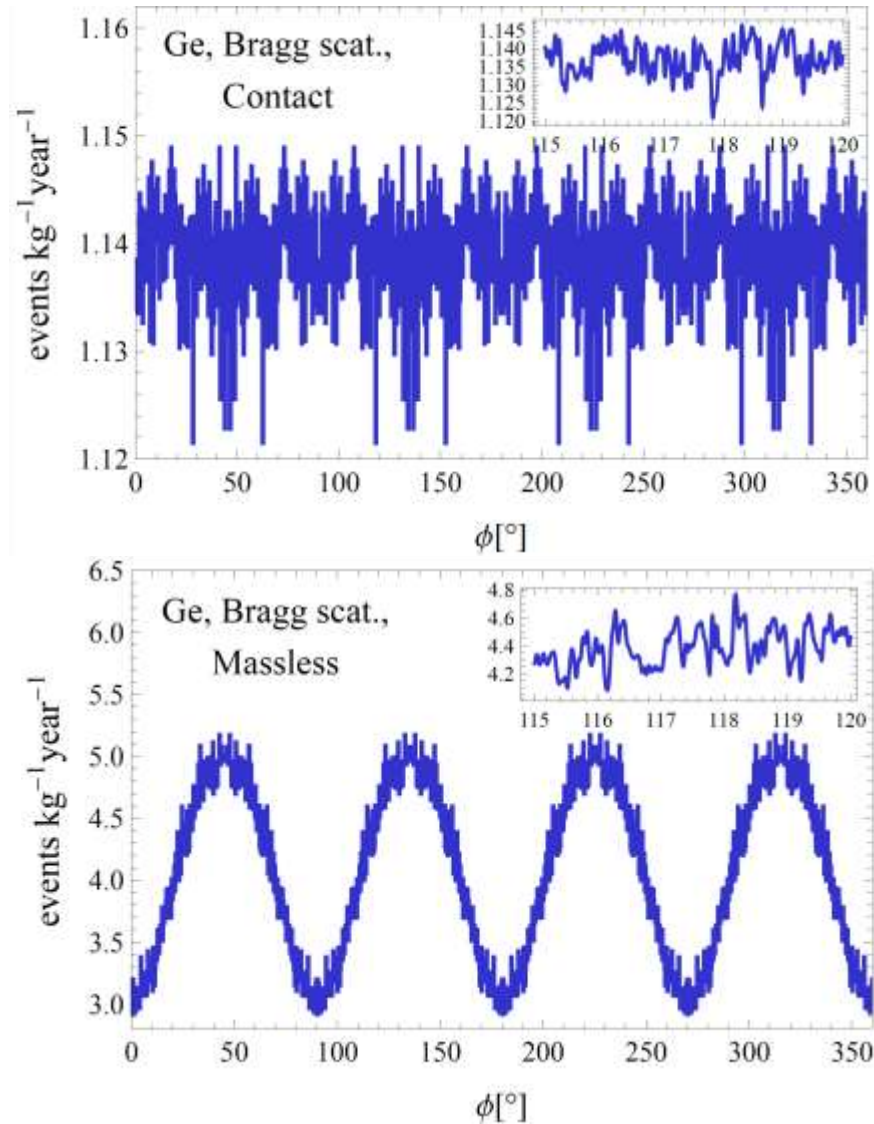


# Bragg Scattering of Inner Shell Electrons

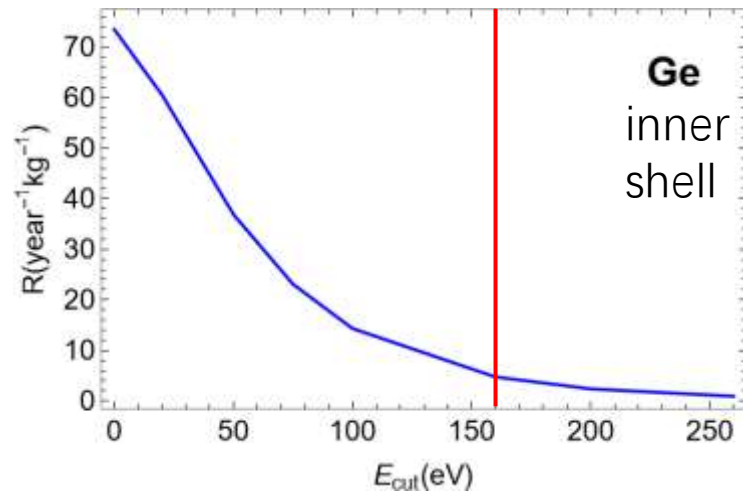
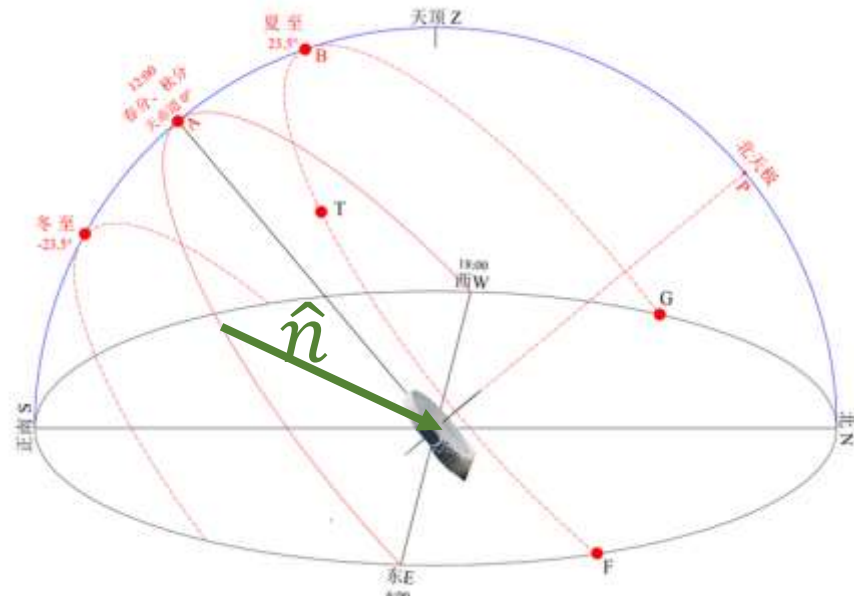
Equivalently  $\int d^3q \rightarrow \frac{(2\pi)^3}{V} \sum_{\vec{G}}$



# Bragg Scattering of Inner Shell Electrons



# Analysis of Daily Modulation

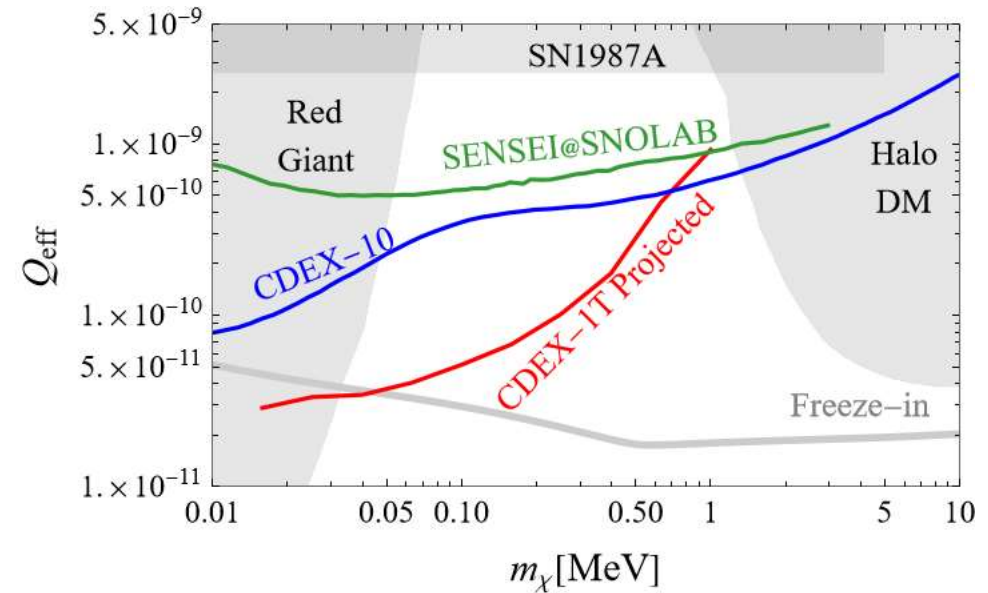


4-fold symmetry axis, 6 hour period, 6 bins:

$$A_h = \sum_i N_{ih} + N_{ih+6} + N_{ih+12} + N_{ih+18}$$

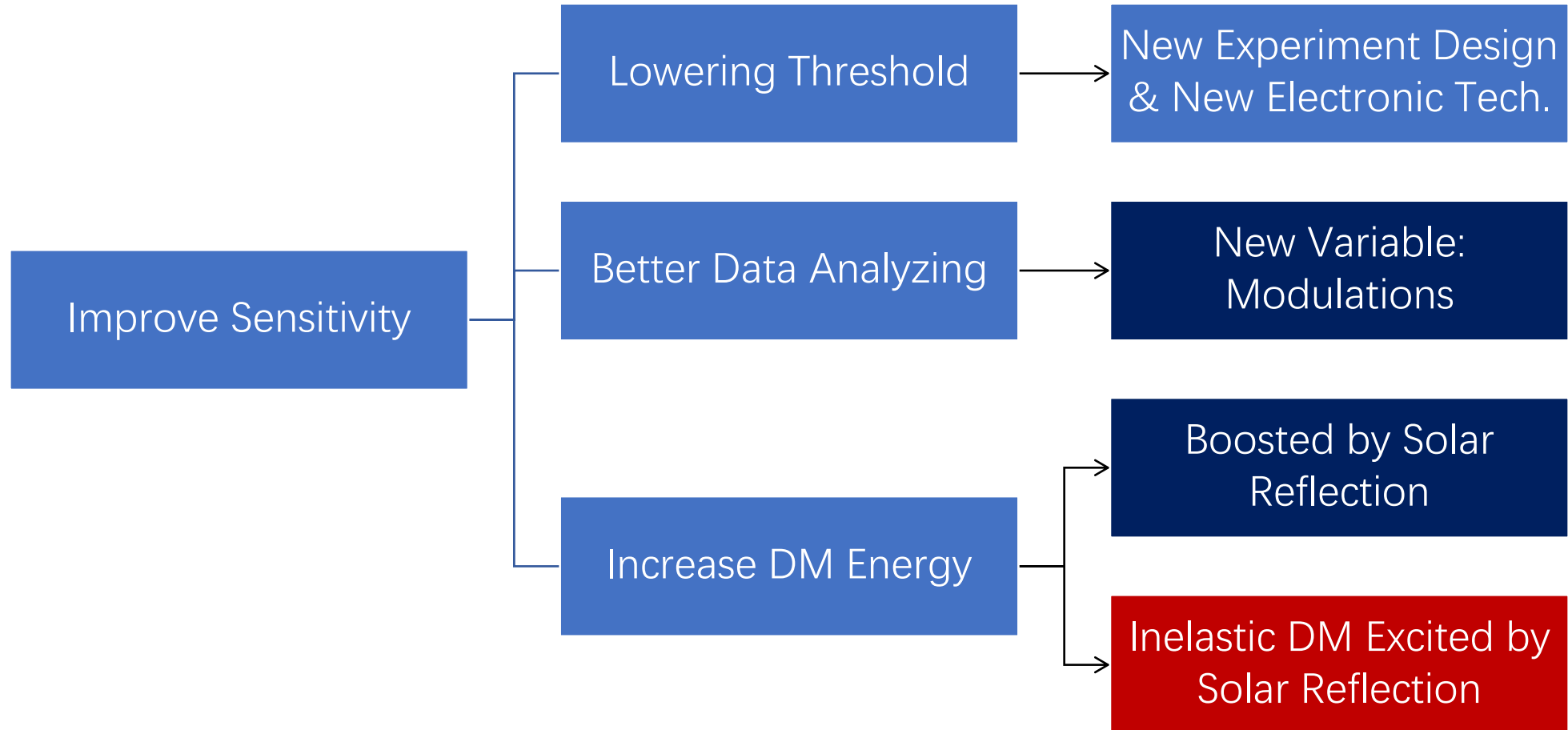
Fourier component

$$S = \sum_{ih} A_h \sin \frac{2\pi h}{6}, C = \sum_{ih} A_h \cos \frac{2\pi h}{6}$$



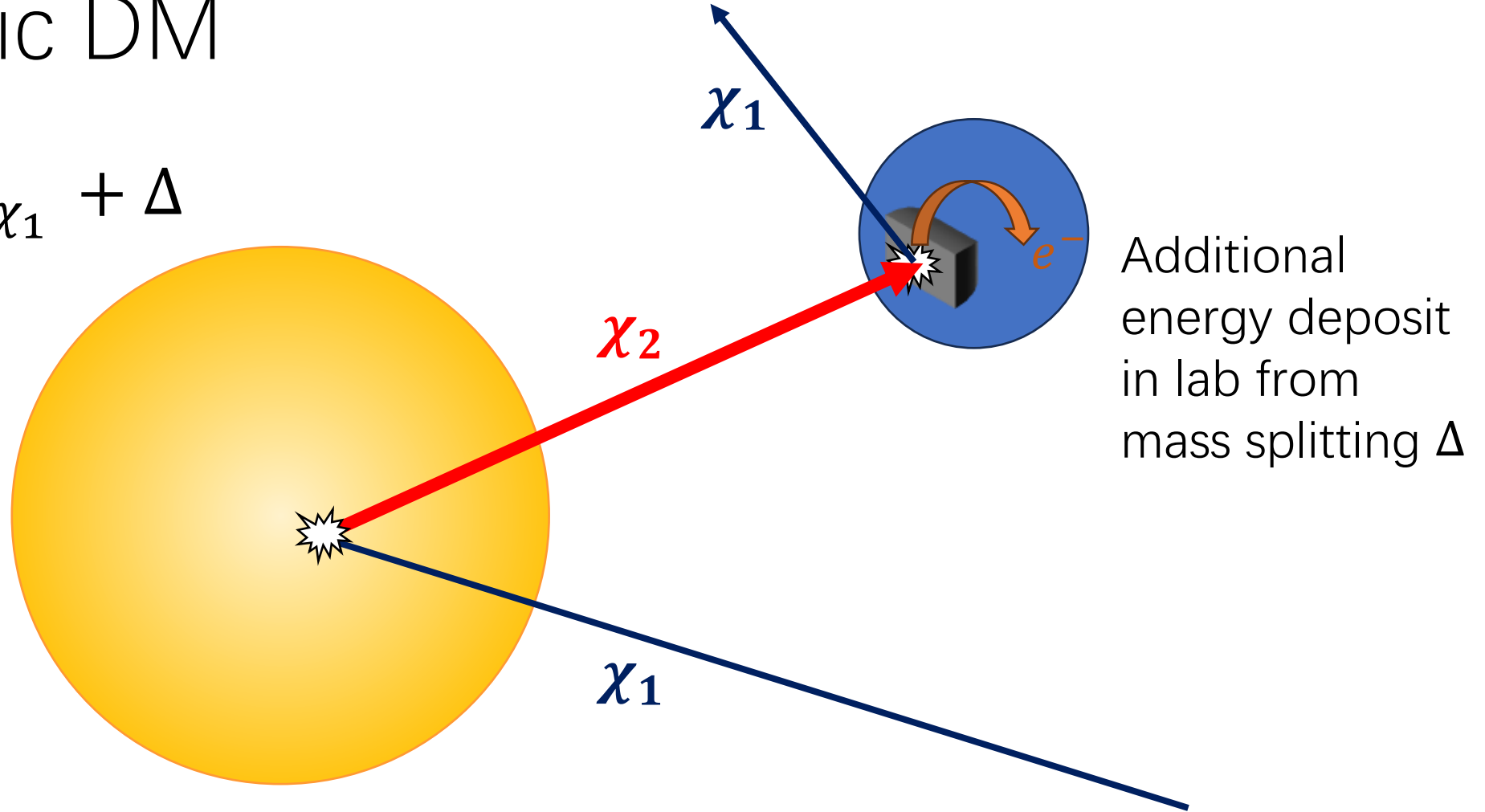


# Motivation: Inelastic DM



# Inelastic DM

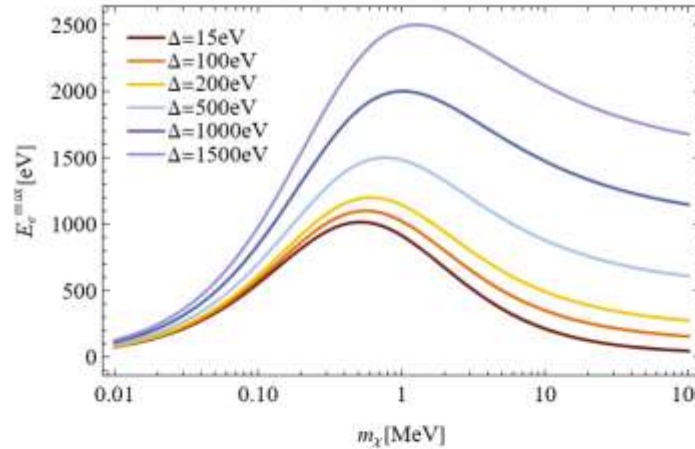
$$m_{\chi_2} = m_{\chi_1} + \Delta$$



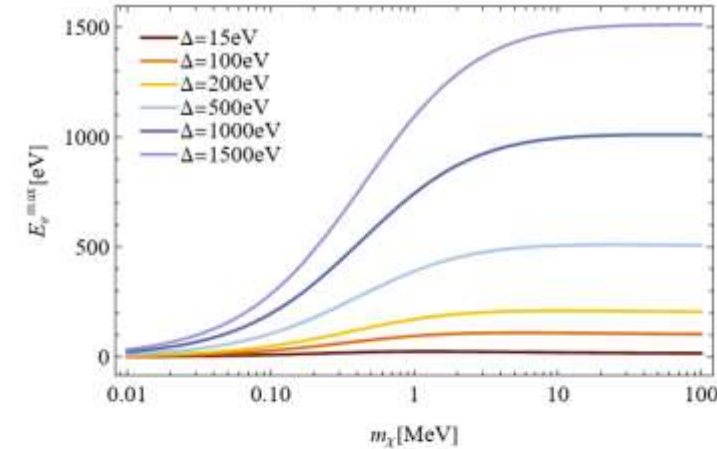
# Inelastic Scattering

- Additional energy release carried by smaller mass particle
- Small  $m_\chi$ : electron recoil is sensitive to  $E_\chi$ , not to  $\Delta$
- Large  $m_\chi$ : electron recoil is sensitive to  $\Delta$ , not to  $E_\chi$

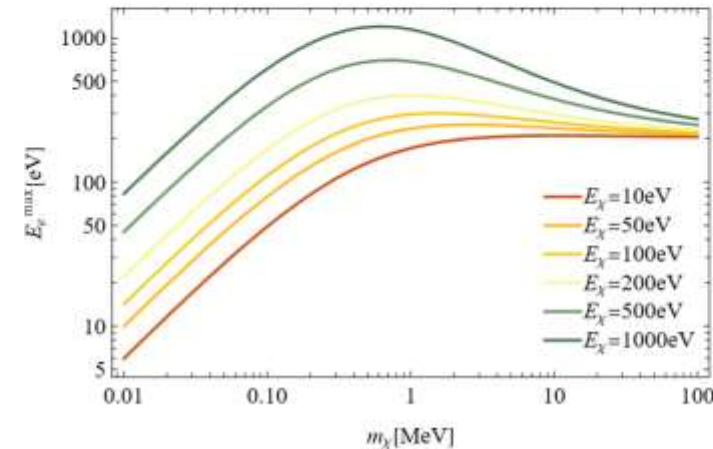
$$E_e < E_e^{\max} = \frac{(\sqrt{m_e m_\chi (E_\chi m_e + \Delta(m_e + m_\chi))} + m_e \sqrt{E_\chi m_\chi})^2}{m_e(m_e + m_\chi)^2}$$



(a)  $E_\chi = 1000 \text{ eV}$

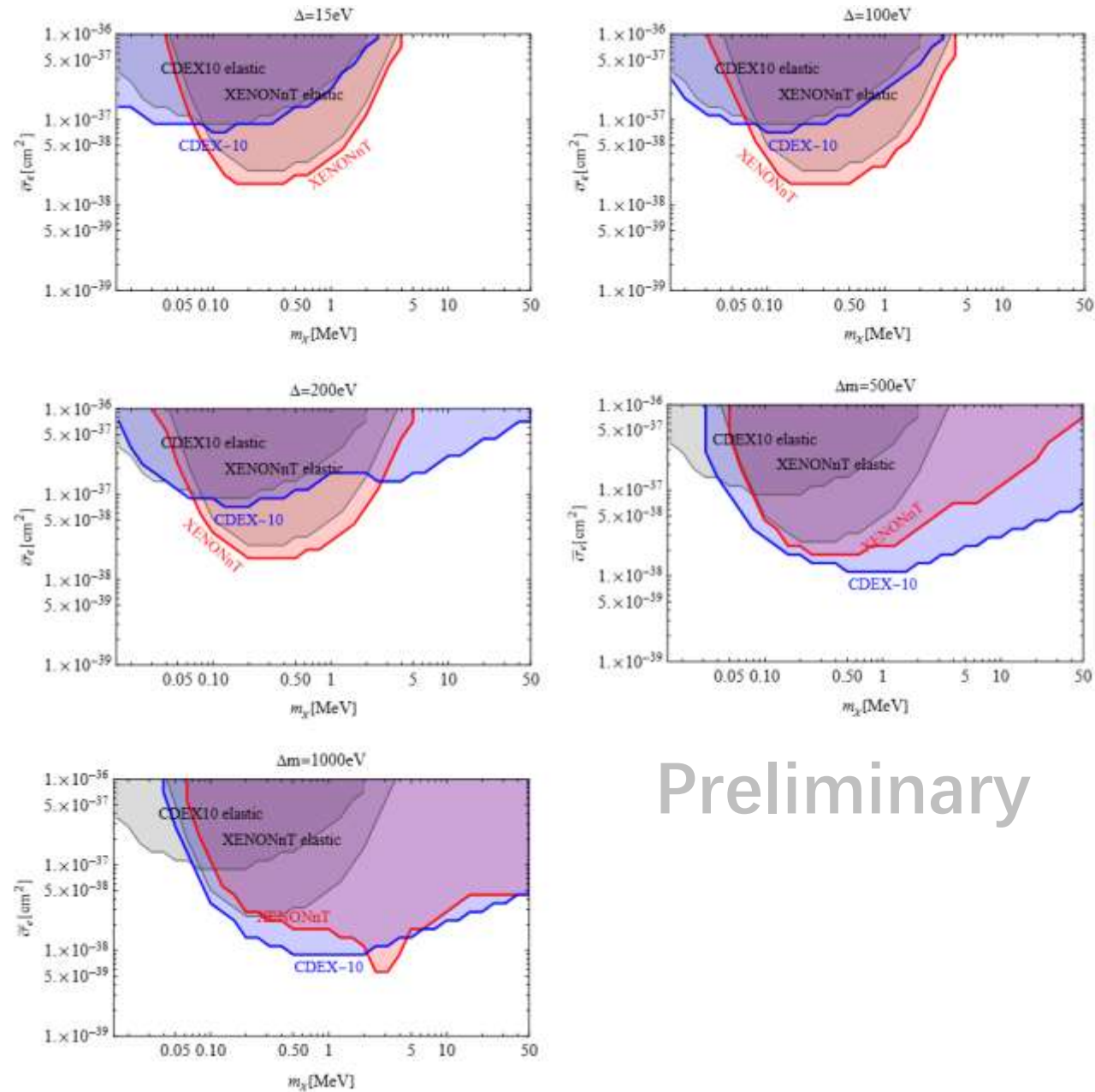


(b)  $E_\chi = 10 \text{ eV}$

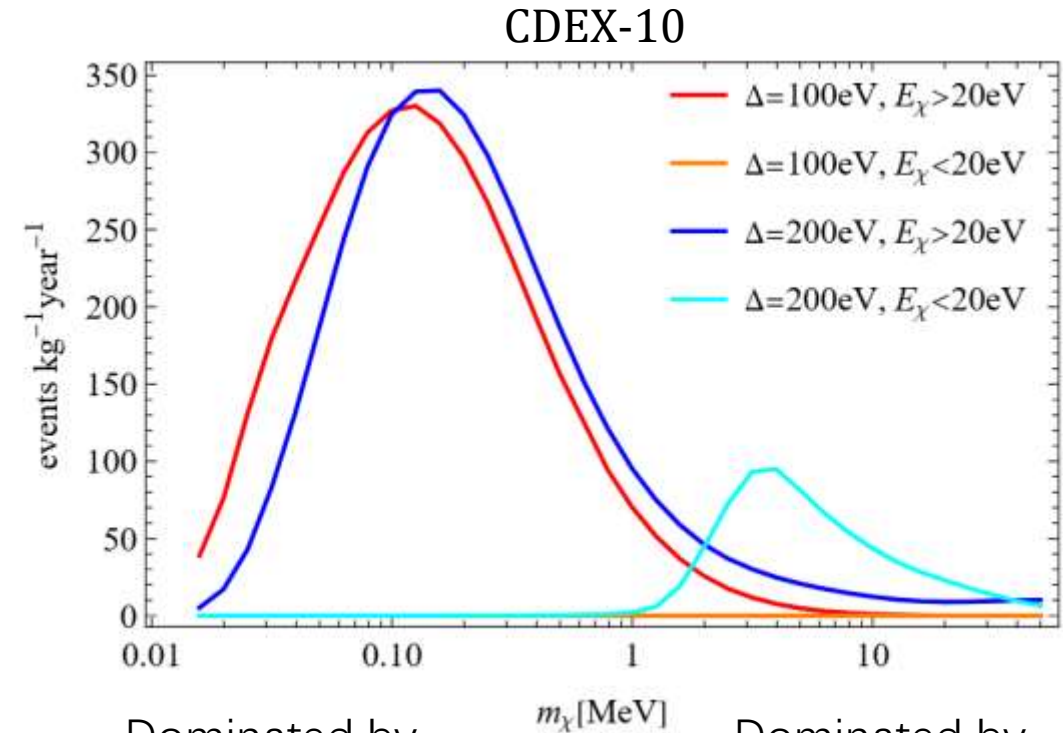


(c)  $\Delta = 200 \text{ eV}$

# Limit of Solar Reflected Inelastic DM



Preliminary



Dominated by high-kinetic-energy DM scattering

Dominated by excited state energy release

# Summary

- Solar reflected DM is crucial to test light DM freeze-in model
- Crystal structure causes anisotropic scattering, results in modulations. Largest with momentum transfer  $\sim 3\text{keV}$ . This method is irrelevant to the background.
- Inelastic DM can be excited inside the Sun, and then release energy in the experiment target. The electron recoil is enhanced when  $m_\chi > m_e$ .